



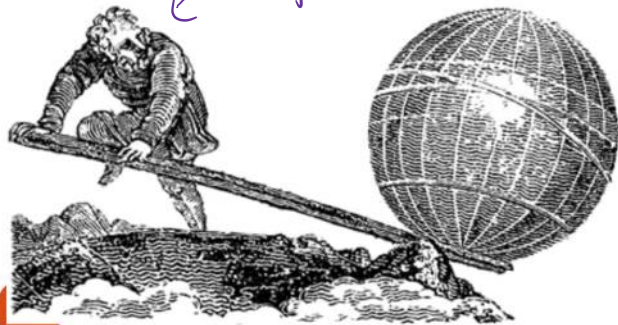
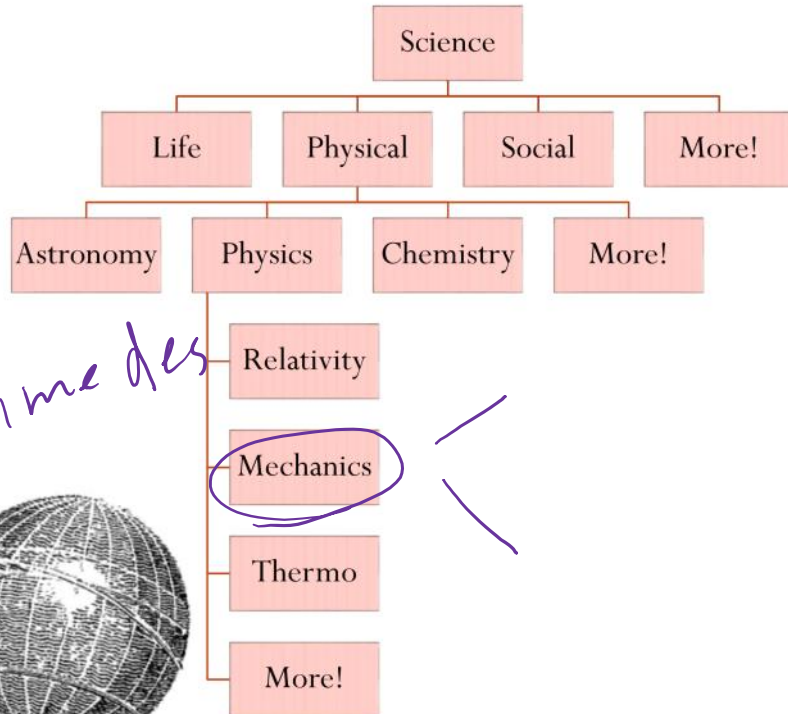
Announcements

- ☐ Go through course website (schedule & lectures)
- ☐ Register i>clicker (Compass)
- ☐ MATLAB Clinics *Wed / Fri 9am - 5pm MEL 1001*
- ☐ Special ME Office Hours (Grainger Library room 429):
Wednesday (8/30) and Thursday (8/31), 4-6 pm
- ☐ Upcoming deadlines:
 - Friday (9/1)
 - Prairie Learn HW0
 - Sunday (9/3)
 - Mastering Engineering HW1
 - Tuesday (9/5)
 - Prairie Learn HW1



Chapter 1: General Principles

What is “statics”?



Archimedes

Mechanics

Mechanics is a branch of the physical sciences that is concerned with the **state of rest or motion of bodies** that are subjected to the **action of forces**

Rigid Bodies



Statics



Dynamics

Deformable Bodies



Solid
Mechanics

Fluids



Compressible
and
incompressible



victorstuff.com

state of rest or motion of bodies that are subjected to the action of forces



www.ashvegas.com

Which forces?

- gravity ✓
- electrical
- magnetic
- ⋮

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L2 - Gen Principles & Force Vectors

Fundamental concepts

Basic quantities:

= length - mass
- time - force

Idealizations:

- Particle: has mass, but not size.
- Rigid Body: has mass and size (system of particles)
no deformation
- Concentrated Force: it is applied at a point.

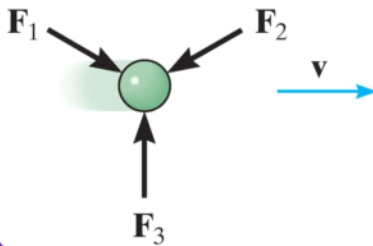


Understanding and applying these things allows for amazing achievements in engineering!

Newton's laws of motion

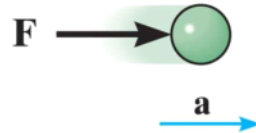
First law:

Object in motion will remain so until acted upon by a net force.



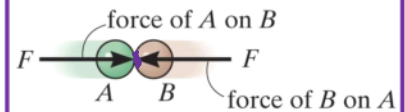
Second law: a particle acted upon by an unbalanced force \mathbf{F} experiences an acceleration \mathbf{a} that is proportional to the particle mass m :

$$\mathbf{F} = m\mathbf{a}$$



Third law: the mutual forces of action and reaction between two particles are

equal,
opposite and
collinear.



non-collinear

Newton's law of gravitational attraction

The mutual **force F of gravitation** between two particles of mass m_1 and m_2 is given by:

$$F = G \frac{m_1 m_2}{r^2}$$

G is the universal constant of gravitation (small number)

r is the distance between the two particles

Weight is the force exerted by the earth on a particle at the earth's surface:

$$W = m \left(\frac{G m_e}{r_e^2} \right) = mg \quad \begin{matrix} 9.81 \frac{m}{s^2} \\ 32.2 \frac{ft}{s^2} \end{matrix}$$

✓ M_e is the mass of the earth

✓ r_e is the distance between the earth's center and the particle near the surface

→ g is the acceleration due to the gravity



Figure: 01_PH003
The astronaut's weight is diminished, since she is far removed from the gravitational field of the earth.

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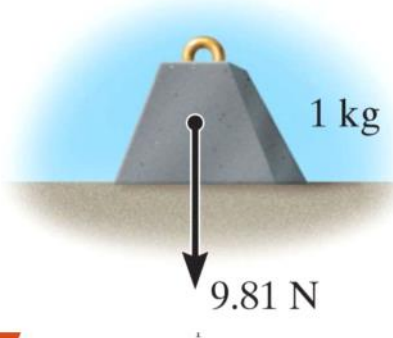
Units

TABLE 1-1 Systems of Units

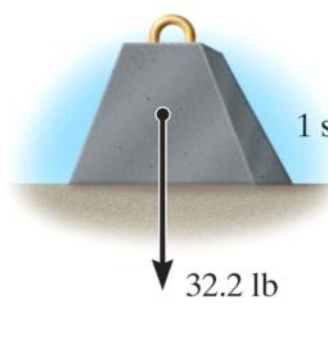
Name	Length	Time	Mass	Force
International System of Units SI	meter m	second s	kilogram kg	newton* N $\left(\frac{\text{kg} \cdot \text{m}}{\text{s}^2}\right)$
U.S. Customary FPS	foot ft	second s	slug* $\left(\frac{\text{lb} \cdot \text{s}^2}{\text{ft}}\right)$	pound lb

*Derived unit.

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1 kg
9.81 N



1 slug
32.2 lb

$$G = 66.73 \times 10^{-12} \frac{\text{m}^3}{\text{kg} \cdot \text{s}^2}$$

$$g = 9.81 \frac{\text{m}}{\text{s}^2} \quad \checkmark$$

$$g = 32.2 \frac{\text{ft}}{\text{s}^2} \quad \checkmark$$

Numerical Calculations

Dimensional Homogeneity

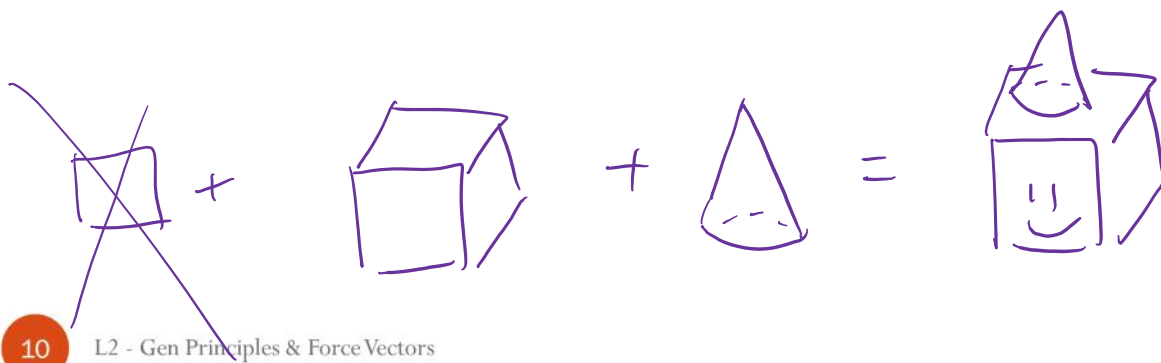
Equations **must** be dimensionally homogeneous, i.e., each term must be expressed in the same units.

Work problems in the units given unless otherwise instructed!

$$\sum F = F_1 + F_2 + \overset{mg}{W} = F_R$$

$$[N] + [N] + [N] = [N]$$

$$mg = [kg] \left[\frac{m}{s^2} \right] = \frac{kg \cdot m}{s^2} = [N]$$



Numerical Calculations

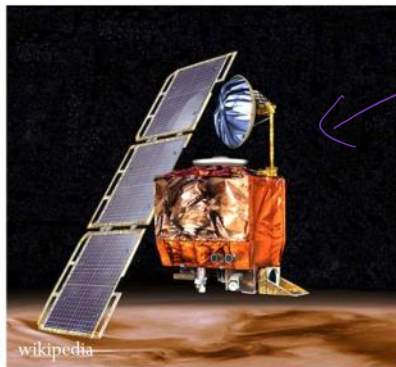
Significant figures

The number of significant figures contained in any number determines the accuracy of the number. Use 3 or > significant figures for final answers. For intermediate steps, use symbolic notation, store numbers in calculators or use more significant figures, in order to maintain precision.

$$\begin{array}{ccc} 134.76 & \Rightarrow & 130 \quad \text{!!} \\ \text{=} & & \text{---} \\ \downarrow & & \\ 135. & & \end{array}$$

Why so picky? Units matter...

- A national power company mixed up prices quoted in kilo-Watt-hour (kWh) and therms.
 - Actual price = \$50,000
 - Paid while trading on the market: \$800,000
- In Canada, a plane ran out of fuel because the pilot mistook liters for gallons!. He landed the plane safely without power on an emergency airstrip.



<http://www.planetseed.com/sciencearticle/importance-units>

Mars Climate Orbiter
 - take sat. photo
 - weather
 - 193.1 million usd!!!
Lockheed NASA
 FPS. 31

General procedure for analysis

1. Read the problem carefully; write it down carefully.
2. MODEL THE PROBLEM: Draw given diagrams neatly and construct additional figures as necessary.
3. Apply principles needed.
4. Solve problem symbolically. Make sure equations are dimensionally homogeneous
5. Substitute numbers. Provide proper units *throughout*. Check significant figures. Box the final answer(s).
6. See if answer is reasonable.

Chapter 2: Force Vectors

Scalars and vectors

	Scalar	Vector
Examples	Mass, Volume, Time	Force, Velocity
Characteristics	It has a magnitude	It has a magnitude and direction
Special notation used in TAM 210/211	None	Bold font or symbols (“~” or “→”) Ex:

A, S

\tilde{A}

\vec{A}

\tilde{A}

~~A~~

Multiplication or division of a vector by a scalar

$$B = \alpha A$$

\vec{A}

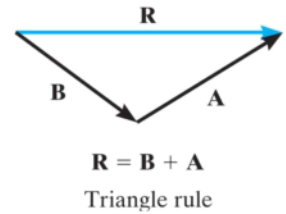
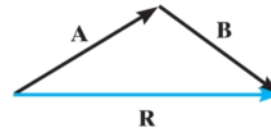
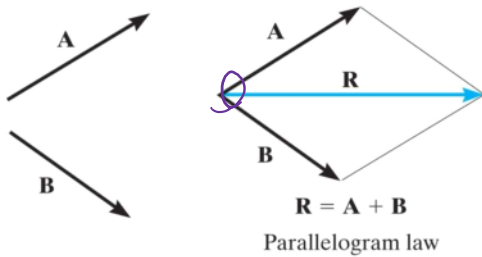
$2\vec{A}$

$-\vec{A}$

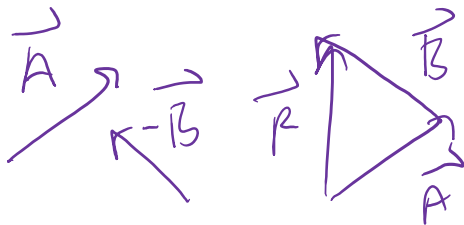
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Vector addition

$$R = A + B$$

**Vector subtraction:**

$$R = A - B = A + (-B)$$

**Commutative law:**

$$R = A + B = B + A$$

Associative law:

$$A + (B + C) = (A + B) + C$$

Scalar/Vector multiplication:

$$\alpha(A + B)$$

$$(\alpha + \beta)A$$