

To do ...

- Go to discussion – 8% of your grade!
- Check your grades on compass ($-- \neq 0$)
- Sign up for Quiz 4 (CBTF next week)
- HW 13 ME due **Thurs**
- WA 2 due **Fri**
 - **Read instructions!!**



Frames and machines

Frames and machines are two common types of structures that have at least **one multi-force member** (Recall that trusses have nothing but two-force members).



Frames are generally **stationary** and used to **support various external loads**.

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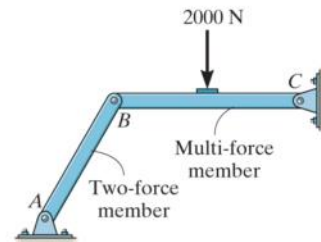
Q: 2-force members?

properly connected
members!
= Awesome!

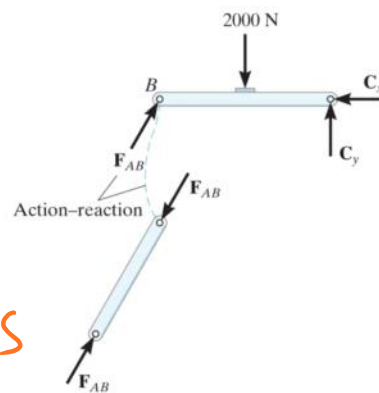
Machines contain **moving parts** and are designed to **alter the effect of forces**

Frames and machines

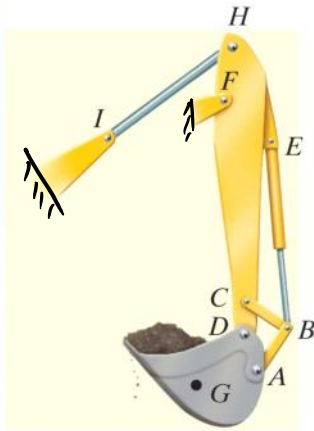
The members can be truss elements, beams, pulleys, cables, and other components. The general solution method is the same:



- DRAW FBD of entire Frame or machine
↳ then of each subsystem (members)



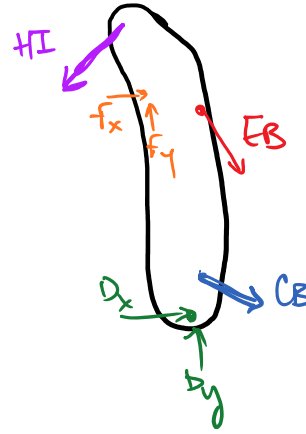
- Represent All interactions
- identify two-force members
- Do NOT include internal forces on FBD
- Count unknowns, check if possible to solve
- Choose subsystem that leads to the most direct solution
- Efficiently impose equilibrium equations and solve



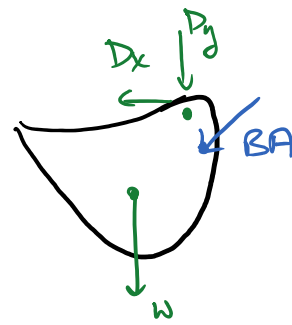
idealized model

Draw the FBD of the members of the backhoe. The bucket and its contents have a weight W .

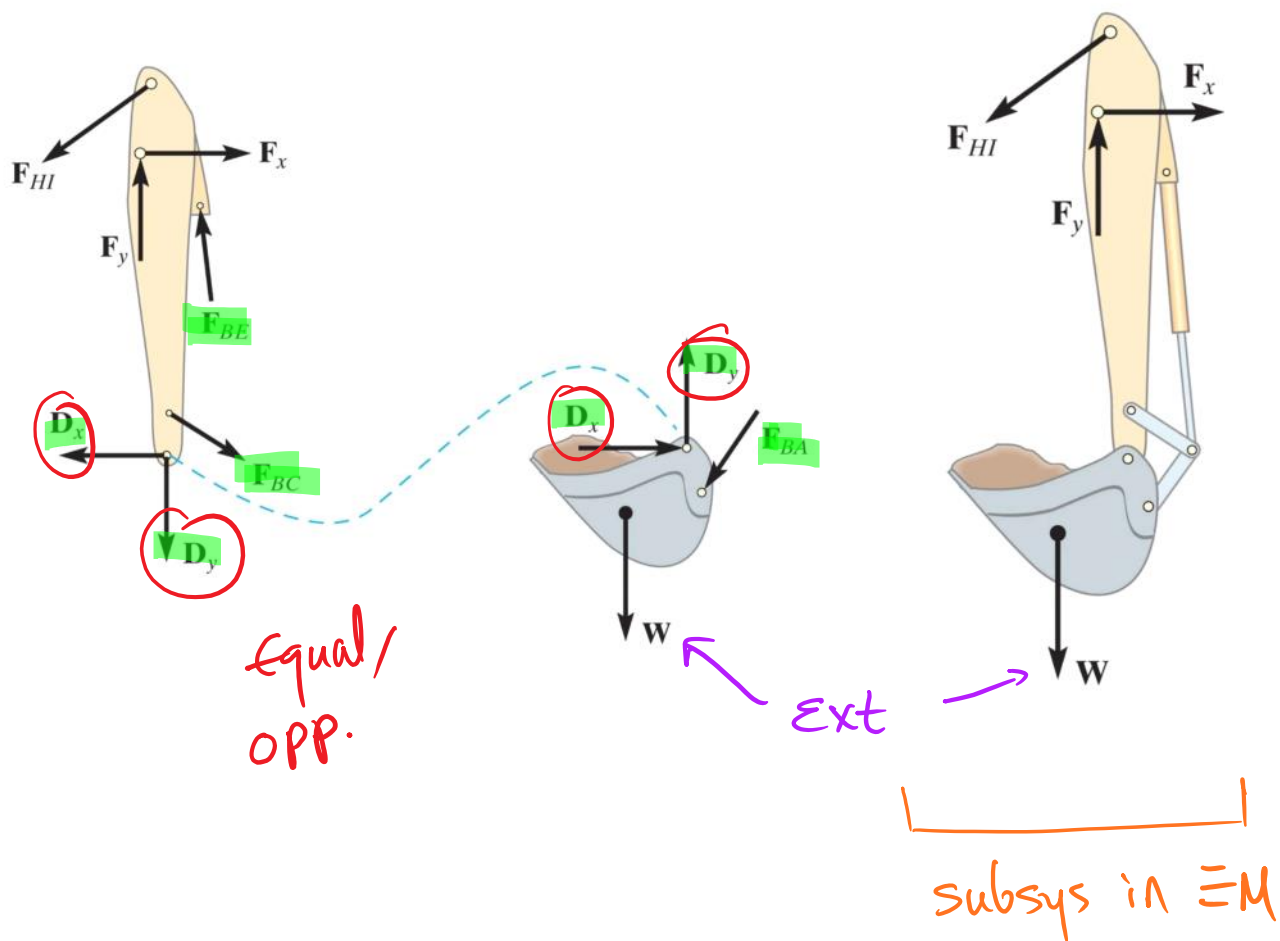
* 2 force members?

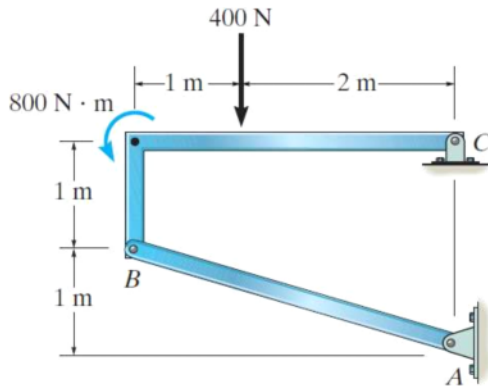


Subsys in ΞM



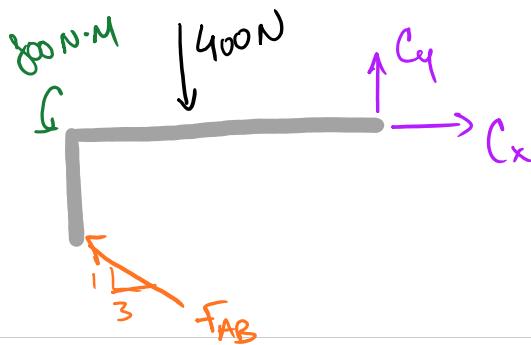
Subsys in ΞM





Find the horizontal and vertical components of the pin reactions at C and the magnitude of reaction at B.

- DRAW FBD of BC
- Identify 2-force member



3 unknowns!

Sum moments about C:

$$\sum M_C: \quad 2(400) + 800 - 3\left(\frac{1}{\sqrt{10}} F_B\right) - 1\left(\frac{3}{\sqrt{10}} F_B\right) = 0$$

$$\underline{F_B} = \frac{\sqrt{10}}{6} (1600) = \underline{843 \text{ N}}$$

Sum forces in x and y:

$$\sum F_x: \quad C_x - \frac{3}{\sqrt{10}} F_B = 0 \quad \therefore \underline{C_x} = \frac{3}{\sqrt{10}} F_B = \underline{800 \text{ N}}$$

$$\sum f_y: \quad C_y + \frac{1}{\sqrt{10}} F_B - 400 = 0 \quad \therefore \underline{C_y} = 400 - \frac{1}{\sqrt{10}} F_B = \underline{133 \text{ N}}$$