

# ECE 110 Lab: Measurement Data Demo

## 1 Importing BenchVue Data

BenchVue can export data in a number of standardized file formats, including an array format that works well with Matlab. Below we provide brief code snippets showing how to import these files into either Matlab or Python. In this case we measured the voltage and current provided by our bench power supply. Additionally we note that when working with data from the bench power supplies, BenchVue will append an extra data point with the value zero after the last point is measured. Depending on the sweep direction this extra value may be at the beginning or end of the array. We can easily ignore this data point by simply not referring to its index. In the following code we assume the zero is appended to the end of the array.

### 1.1 Matlab Code

```
%Your file location will differ from this test location
load('W:\documents\IV_output 2018-02-26')
current = Trace_1_GetCH1CurrentMeasurement(1:end-1);
voltage = Trace_1_GetCH1VoltageMeasurement(1:end-1);
```

### 1.2 Python Code

```
import scipy.io

#Your file location will differ from this test location
mat = scipy.io.loadmat('W:\documents\IV_output 2018-02-26.mat')

current = mat['Trace_1_GetCH1CurrentMeasurement']
voltage = mat['Trace_1_GetCH1VoltageMeasurement']

#We re-define our variables and omit the last data point
current = current[0:-1]
voltage = voltage[0:-1]
```

## 2 Polyfit Sample Code

In lab we often collect data about our circuits, measuring multiple data points as functions of time, voltage, or current. Once we have our measurement data we can perform polynomial curve fitting in order to determine a polynomial that best replicates the properties of our data. Lower order polynomials can only represent simple behavior, with a 1<sup>st</sup>-order polynomial simply being a linear representation in the form of  $y = mx + b$ . For such a case, for some given data points of  $y$  and  $x$ , we must determine the values  $m$  and  $b$ .

In the following subsections we provide sample Matlab and Python code to determine these coefficients for some test values of current and voltage using `polyfit` commands (read the documentation of the function for further information). We then plot the original data and the output of the linear model.

Try increasing the order of the polyfit function and plotting the higher-order polynomial representation!

## 2.1 Matlab Code

```
%Polyfit demo
%By John D

%Create arrays of the provided data points
current = [0.0006, 87.99, 93.60, 131.5, 148.9, 188.8, 215.2, 215.2, 258.4, ...
           347.7, 534.9, 800];

voltage = [8.837, 8.772, 8.759, 8.707, 8.688, 8.688, 8.627, 8.627, 8.586, ...
           8.514, 8.375, 7.99];

%Plot the original data
figure;
plot(voltage,current,'DisplayName','Original data points');

%Perform a polyfit on the data points voltage and current
%The corresponding coefficients for a 1st order polynomial are stored in p
p = polyfit(voltage,current,1);

%Plot the linear model, in (m*V)+b form
hold on;
plot(voltage,voltage*p(1) + p(2), 'DisplayName', '1st-order polynomial');

title('Linear curve fitting')
xlabel('Voltage (V)')
ylabel('Current (mA)')
legend('show')
grid('on')
```

## 2.2 Python Code

```
# -*- coding: utf-8 -*-
"""
Polyfit demo
@author: John D
"""

import numpy as np
import matplotlib.pyplot as plt

#Create arrays of the provided data points
current = np.array([0.0006, 87.99, 93.60, 131.5, 148.9, 188.8, 215.2, 215.2,
                    258.4, 347.7, 534.9, 800])

voltage = np.array([8.837, 8.772, 8.759, 8.707, 8.688, 8.688, 8.627, 8.627,
                    8.586, 8.514, 8.375, 7.99])

#Plot the original data
plt.plot(voltage,current, label='Original data points')

#Perform a polyfit on the data points voltage and current
#The corresponding coefficients for a 1st order polynomial are stored in p
p = np.polyfit(voltage,current,1)
```

```

#Plot the linear model, in (m*V)+b form
plt.plot(voltage, voltage*p[0] + p[1], label='$1^{st}$-order polynomial')

plt.title('Linear curve fitting')
plt.xlabel('Voltage (V)')
plt.ylabel('Current (mA)')
plt.legend()
plt.grid('on')

```

## 2.3 Working On Data Subsets

We can apply a polynomial fit to an entire dataset, but sometimes we are interested in the behavior of distinct subsets of our measurement data. For instance, if we are taking IV measurements of a motor we will see two very different trends in our data as the motor transitions from being stalled to when it starts moving. In these cases it is helpful to make new variables for these relevant subsets. Below are two code snippets that show how to split an array with one new variable holding the first 5 values, and the second variable holding the remaining values.

### 2.3.1 Matlab Code

```

voltage = [8.837, 8.772, 8.759, 8.707, 8.688, 8.688, 8.627, 8.627, 8.586, ...
           8.514, 8.375, 7.99];

%Note that Matlab indexing starts at one and the end index term is inclusive
voltage_subset1 = voltage(1:5)
voltage_subset2 = voltage(6:end)

```

### 2.3.2 Python Code

```

#Create arrays of the provided data points
voltage = np.array([8.837, 8.772, 8.759, 8.707, 8.688, 8.688, 8.627, 8.627,
                    8.586, 8.514, 8.375, 7.99])

#Note that Python indexing starts at zero and that the end index term is exclusive
voltage_subset1 = voltage[0:5]
voltage_subset2 = voltage[5:]

```