

Defining Encryption

Lecture 2

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Towards Defining Secrecy
against the Computationally Bounded

Roadmap

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- First, Symmetric Key Encryption

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 - In theory and in practice

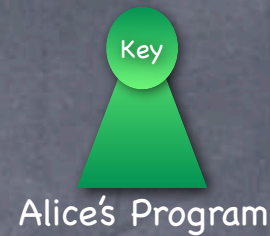
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- Today: defining symmetric-key encryption

Building the Model

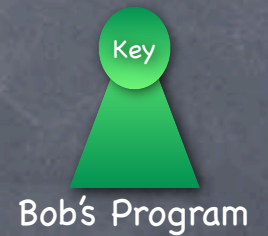
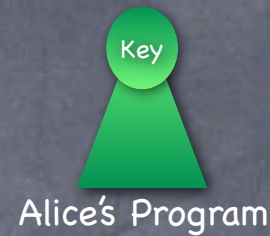
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- Alice, Bob and Eve. Alice and Bob share a key (a bit string)



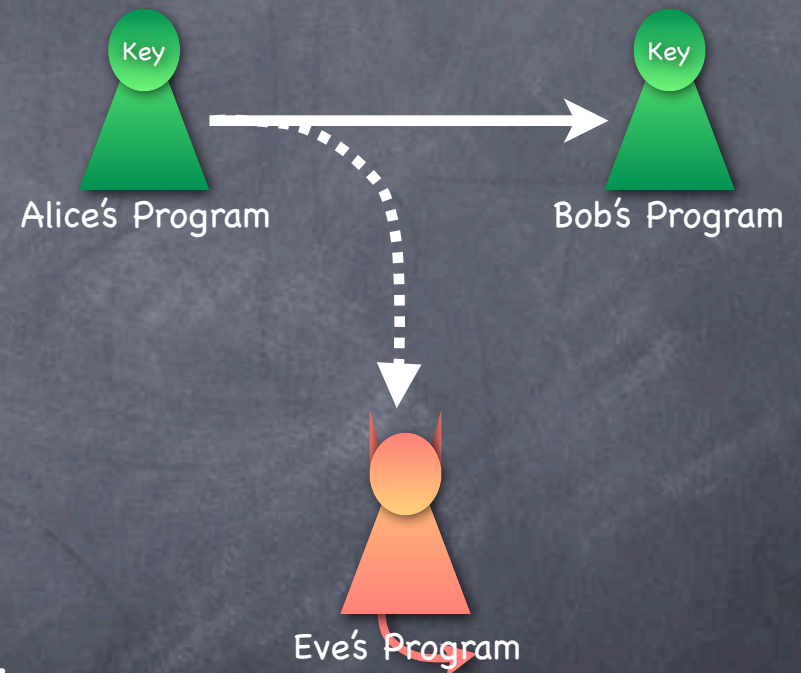
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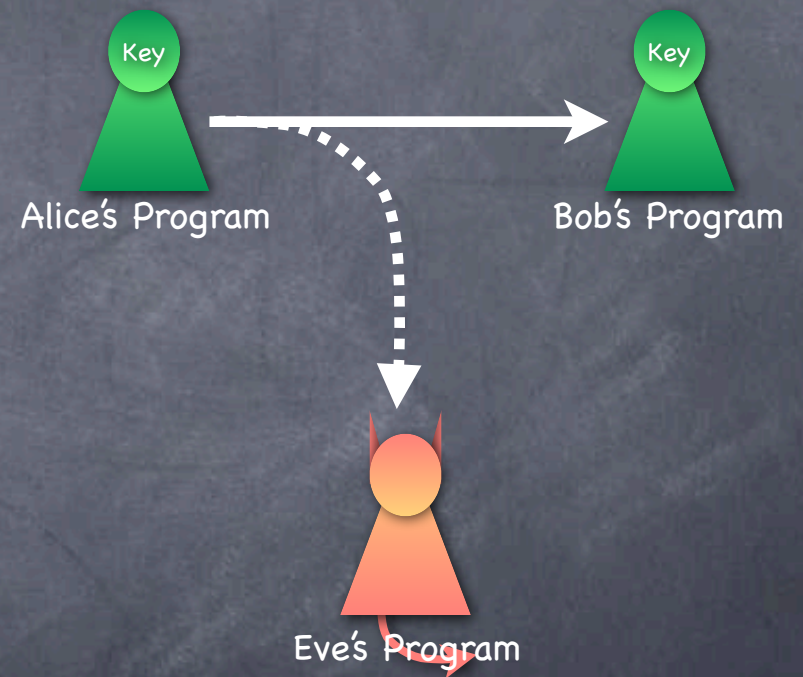


Building the Model

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- Alice wants Bob to learn a message, "without Eve learning it"
- Alice can send out a bit string on the channel. Bob and Eve both get it

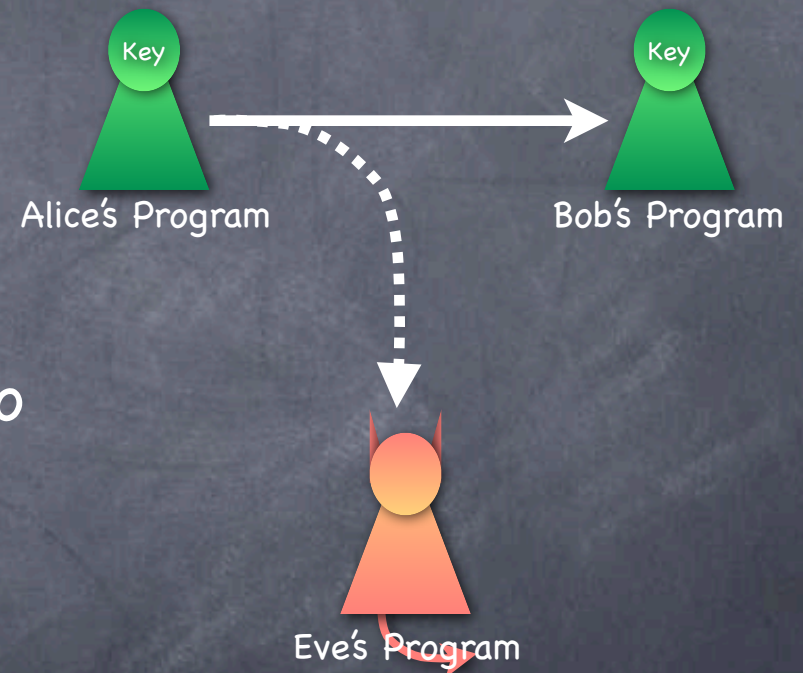


Encryption: Syntax



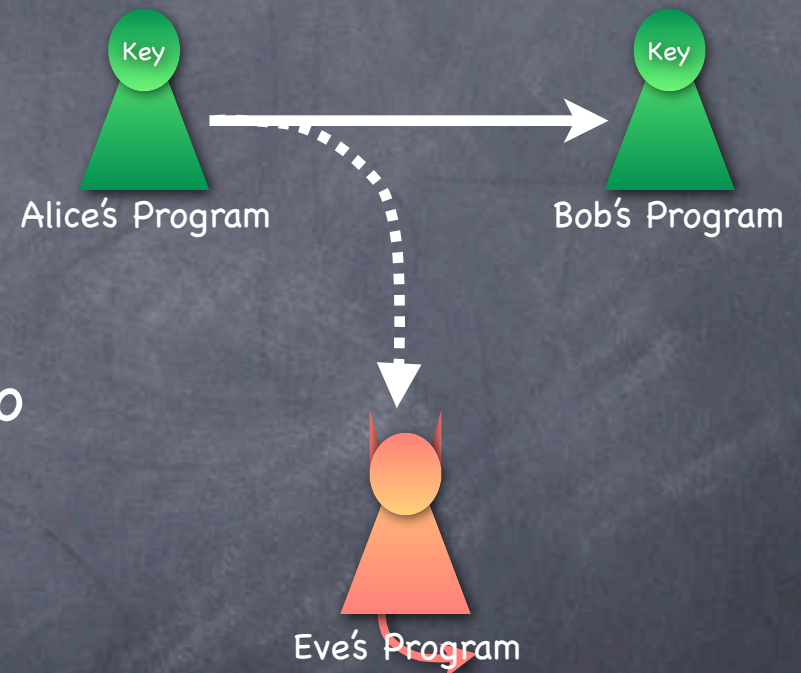
Encryption: Syntax

- Three algorithms
 - **Key Generation:** What Alice and Bob do a priori, for creating the shared secret key
 - **Encryption:** What Alice does with the message and the key to obtain a "ciphertext"
 - **Decryption:** What Bob does with the ciphertext and the key to get the message out of it

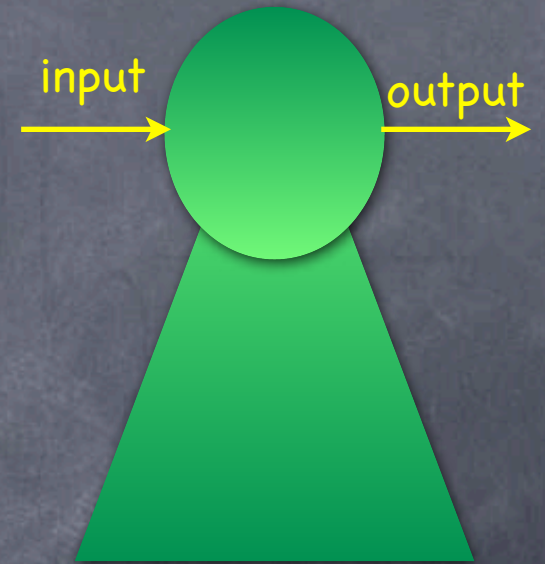


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- All of these are (probabilistic) computations

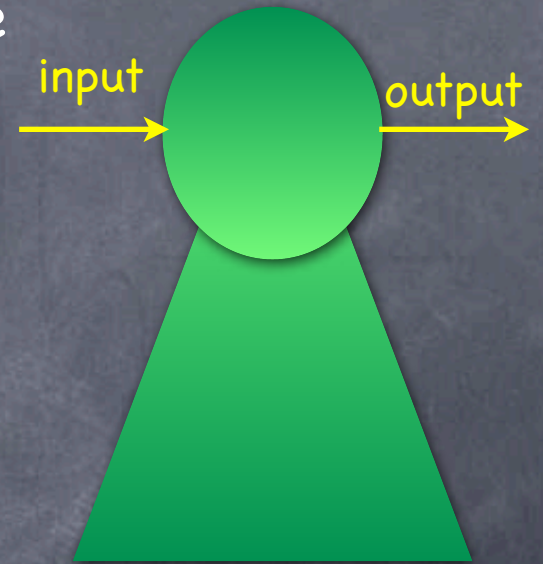


Modeling Computation



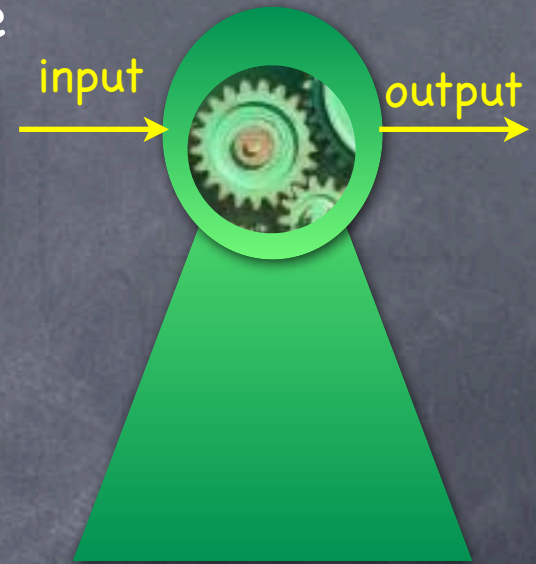
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- In our model (standard model) parties are programs (computations, say Turing Machines)



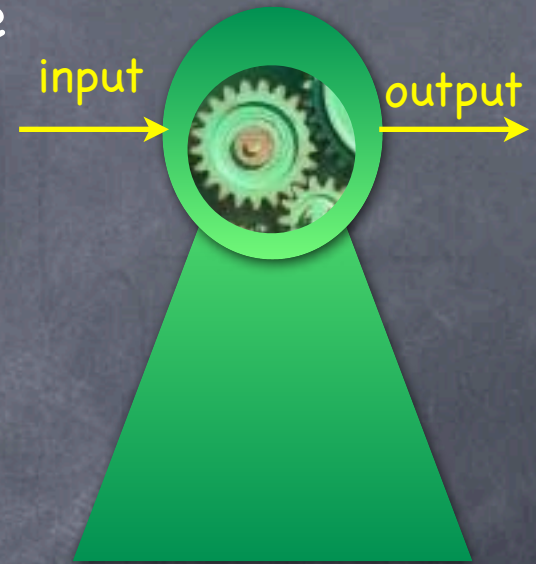
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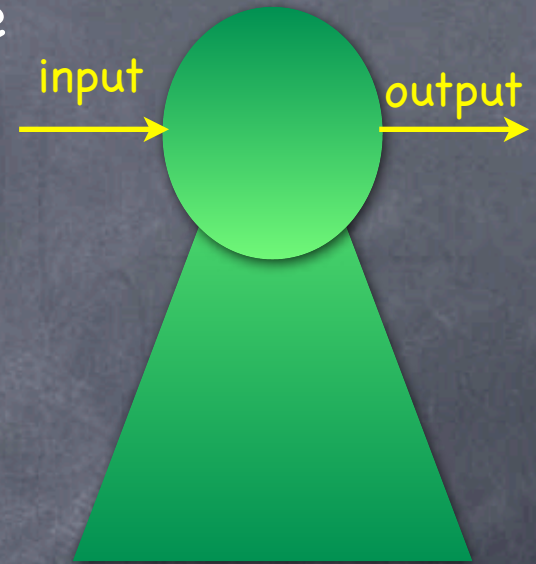
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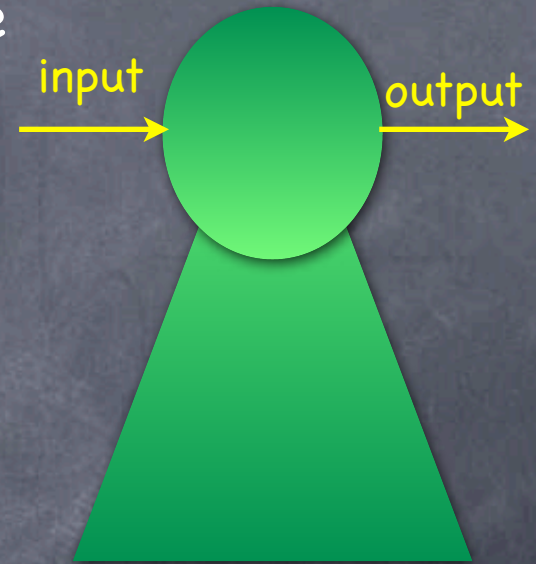
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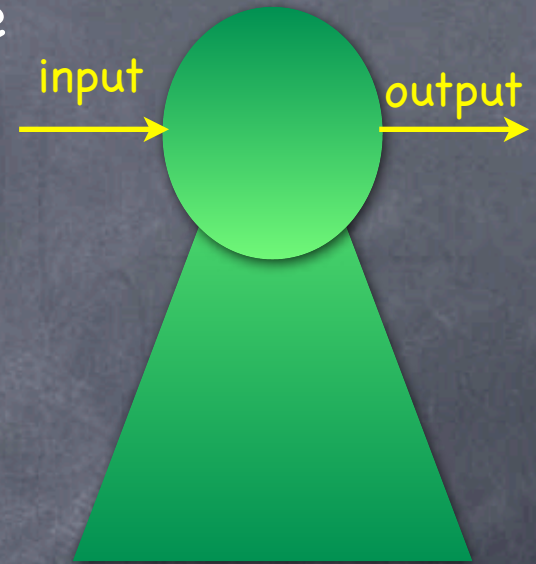
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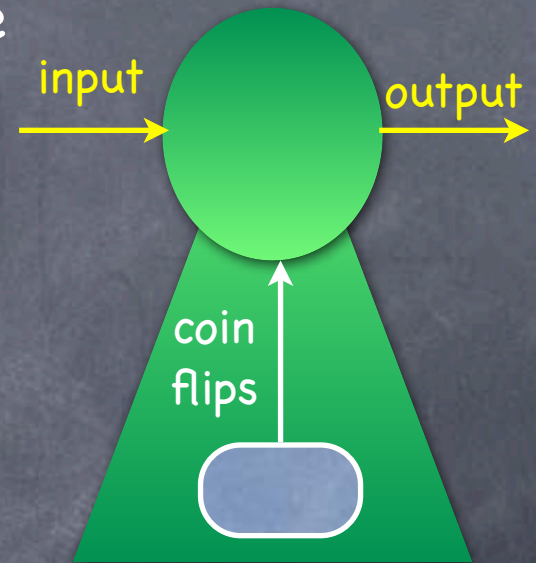
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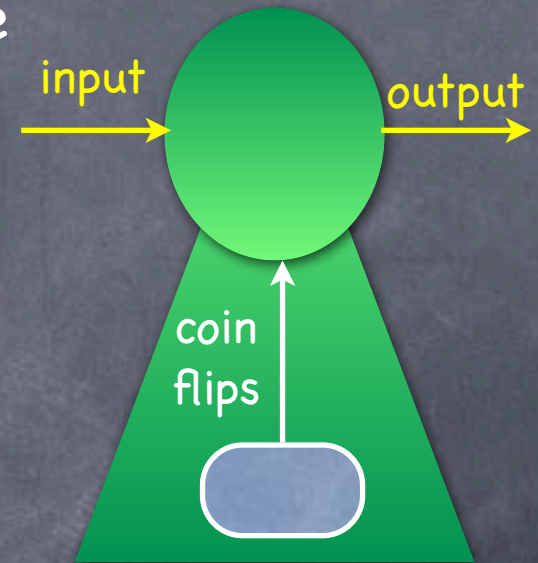
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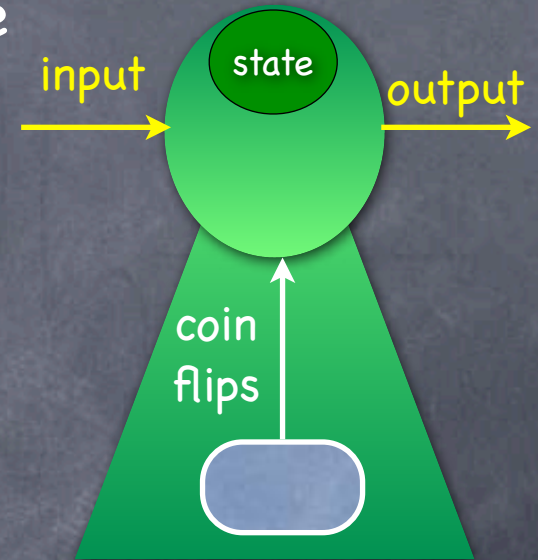
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Ideal coin flips: If n coins flipped, each outcome has probability 2^{-n}

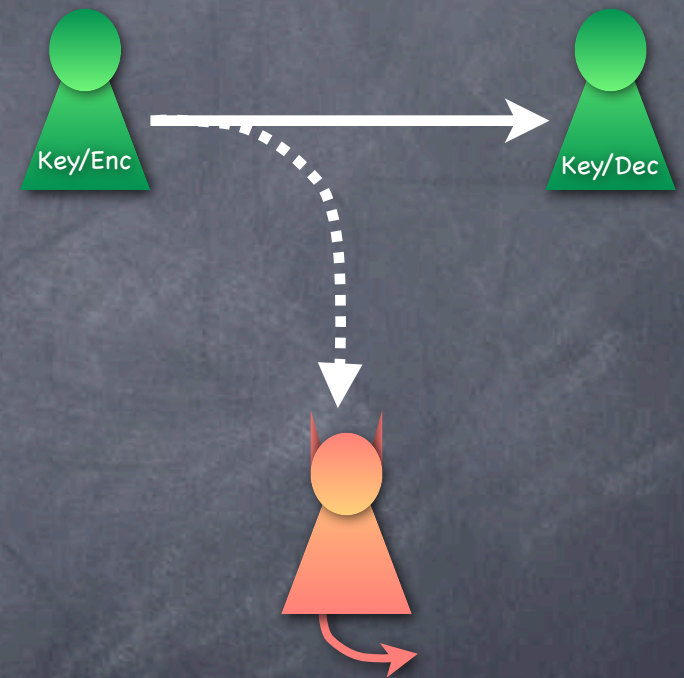
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 - Sometimes stateful



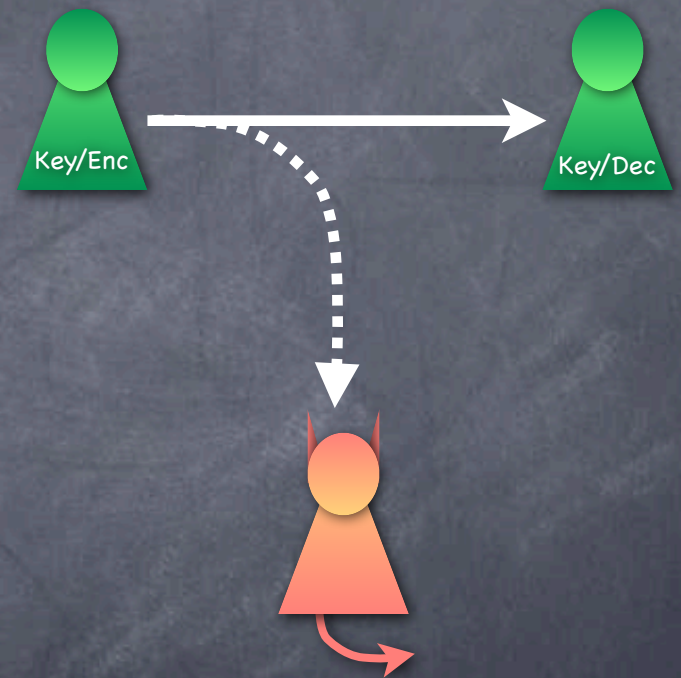
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The Environment



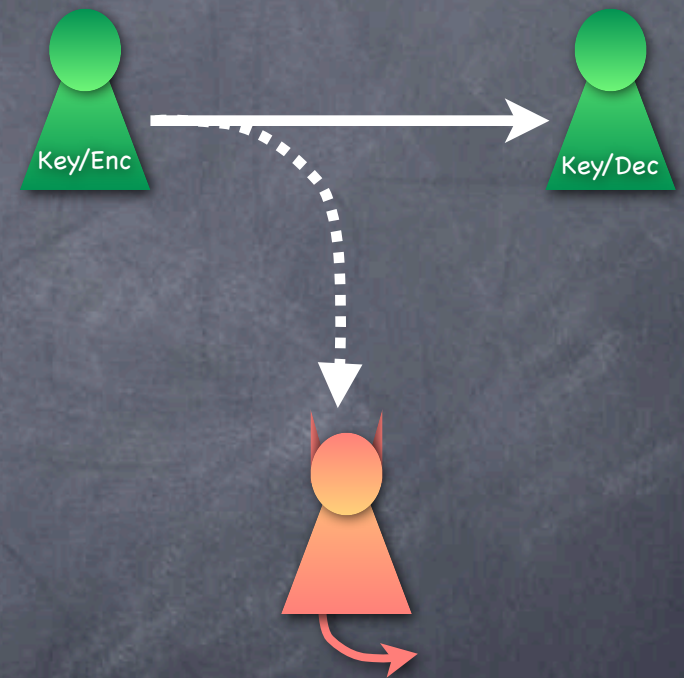
The Environment

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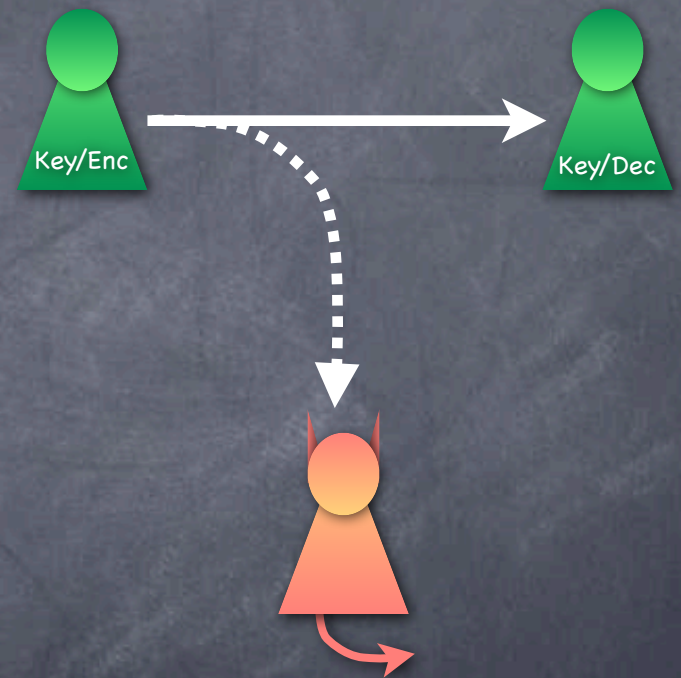
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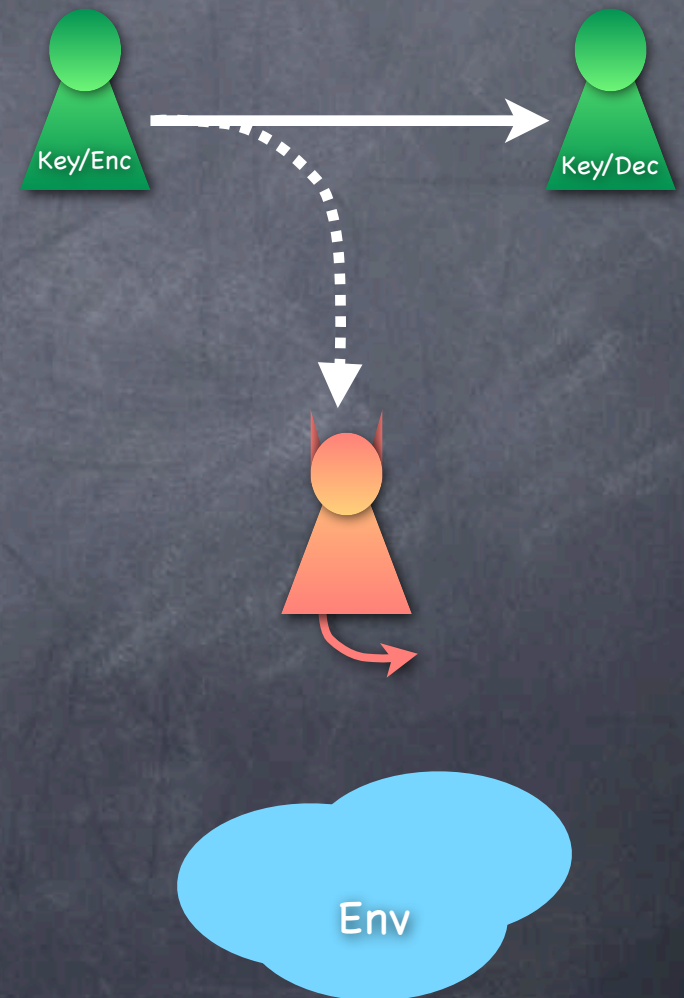
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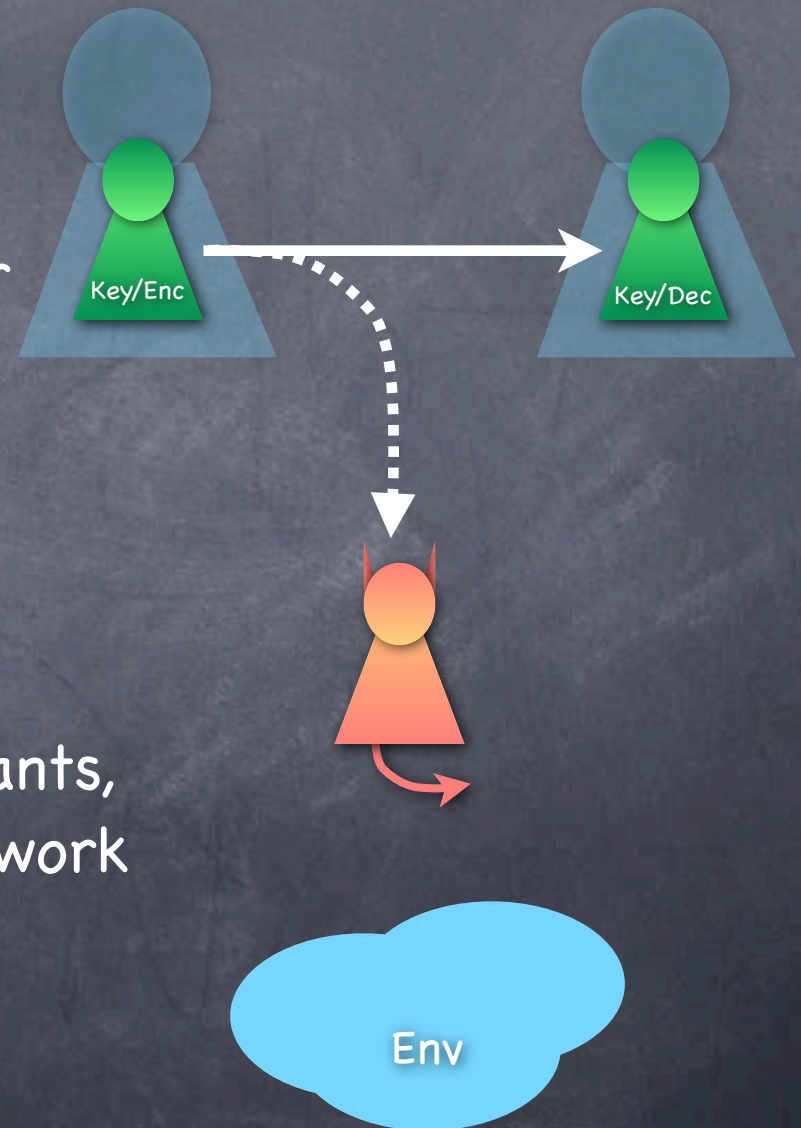
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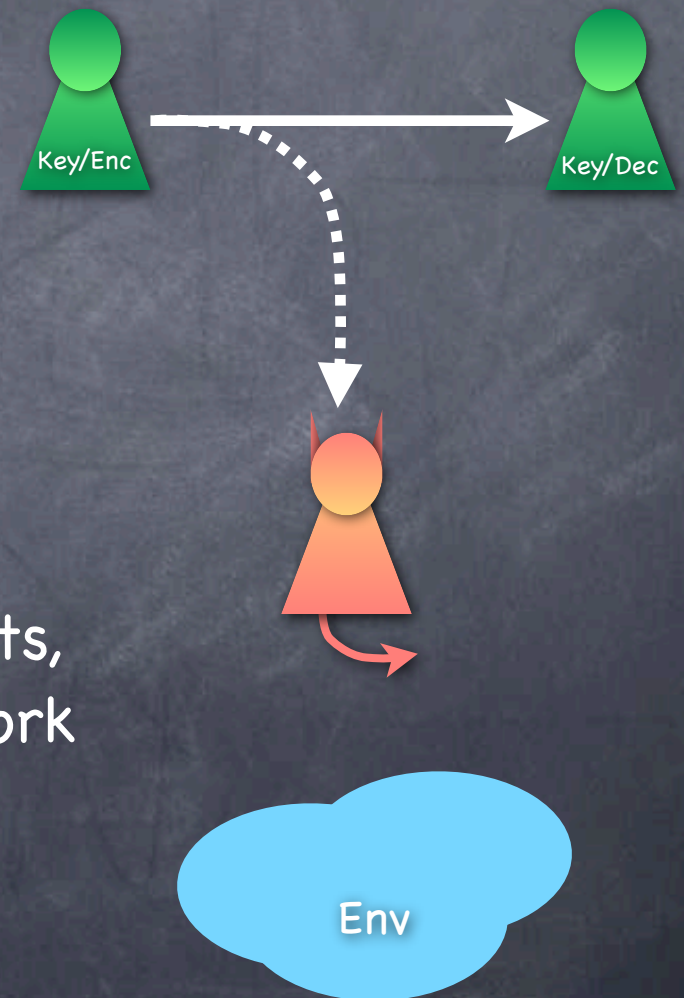
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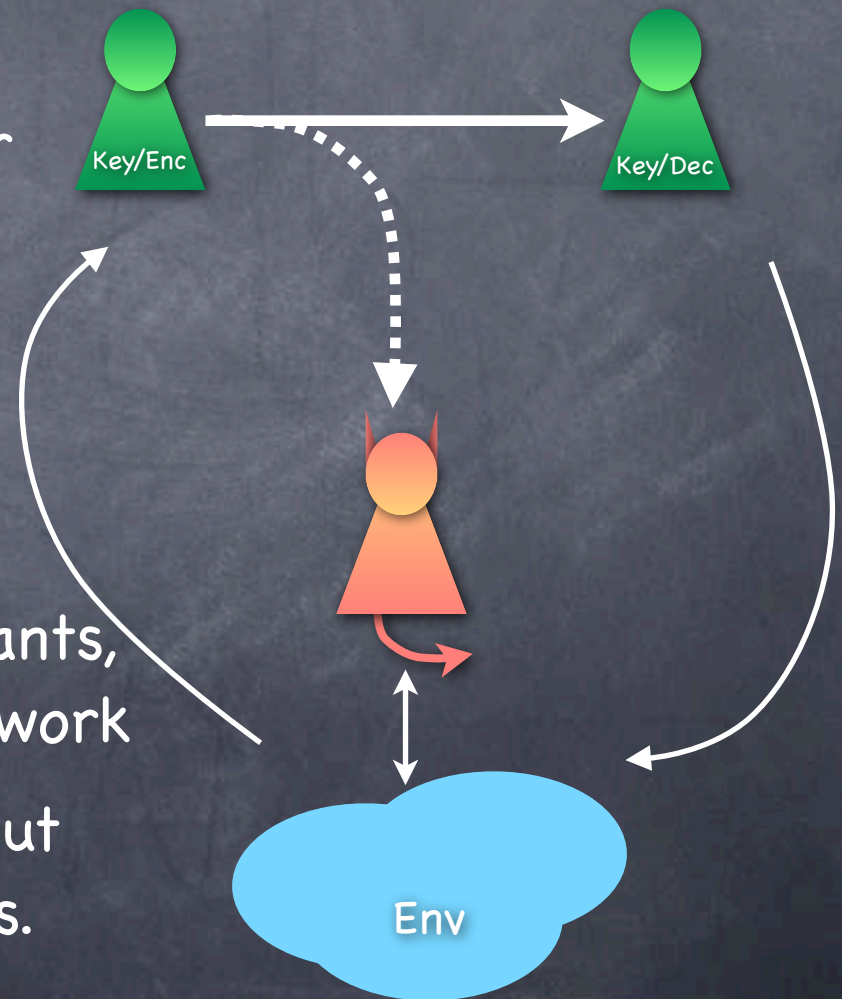
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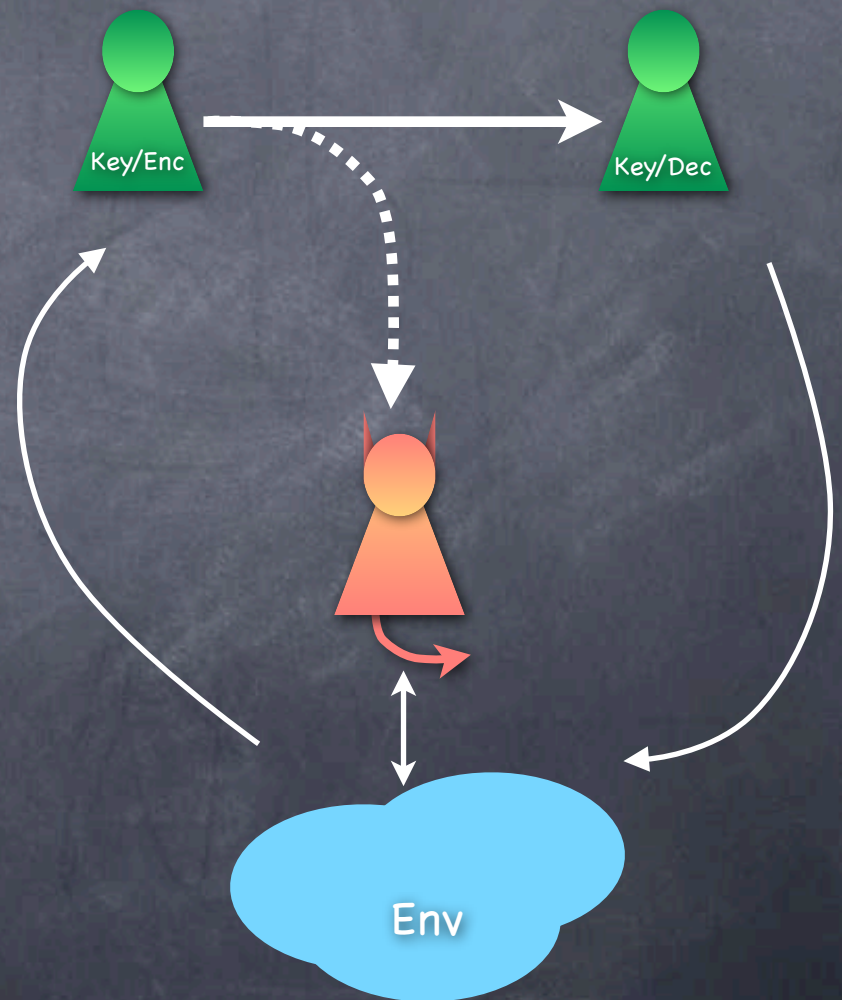


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 - Abstract entity from which the input comes and to which the output goes. Arbitrarily influenced by Eve

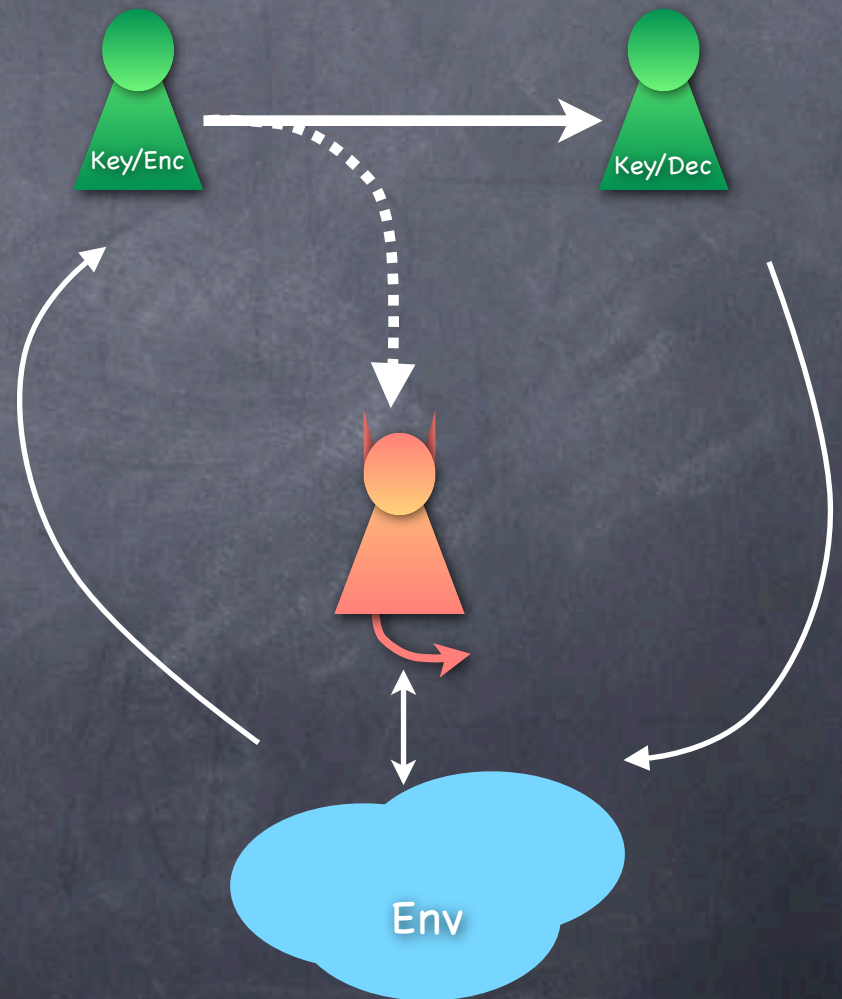


Defining Security



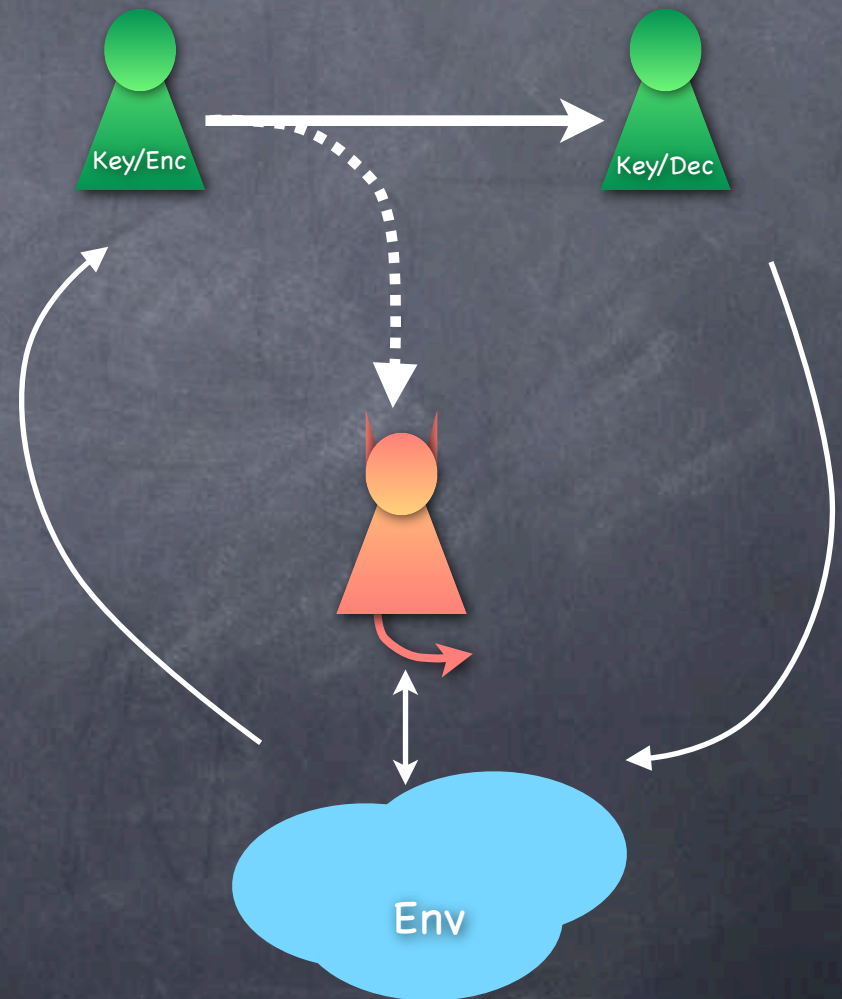
Defining Security

- Eve shouldn't be able to produce any "bad effects" in any environment



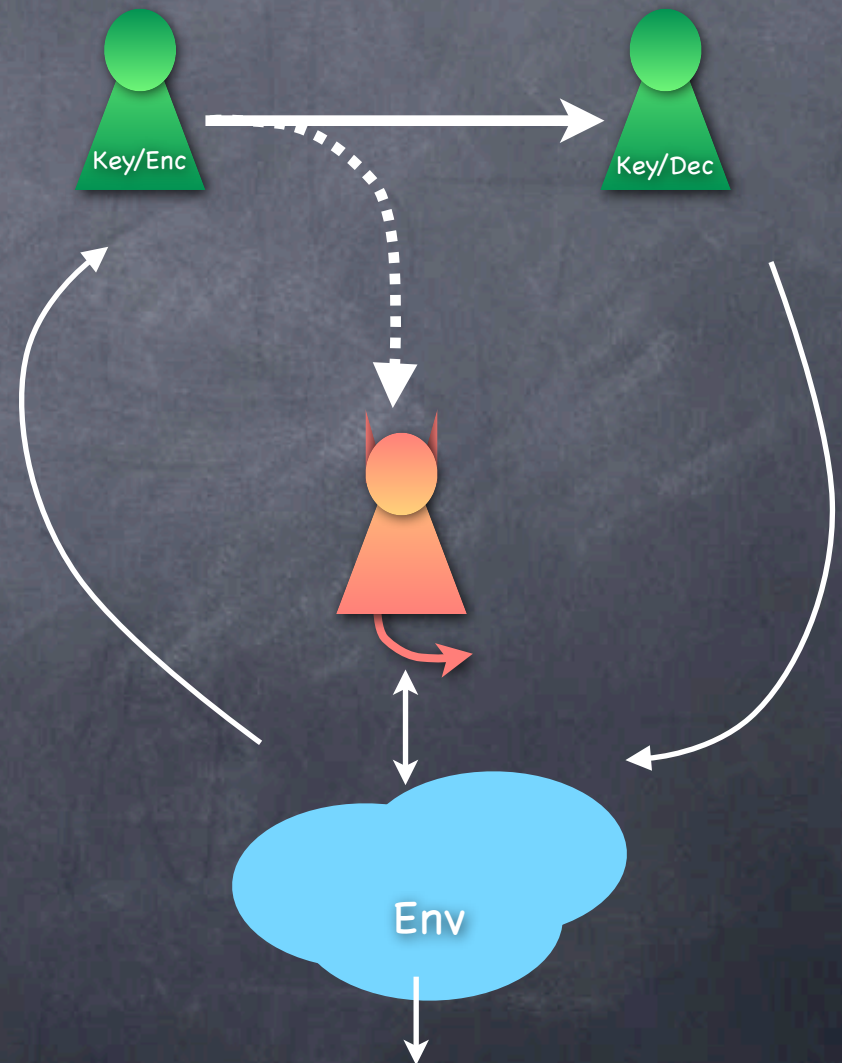
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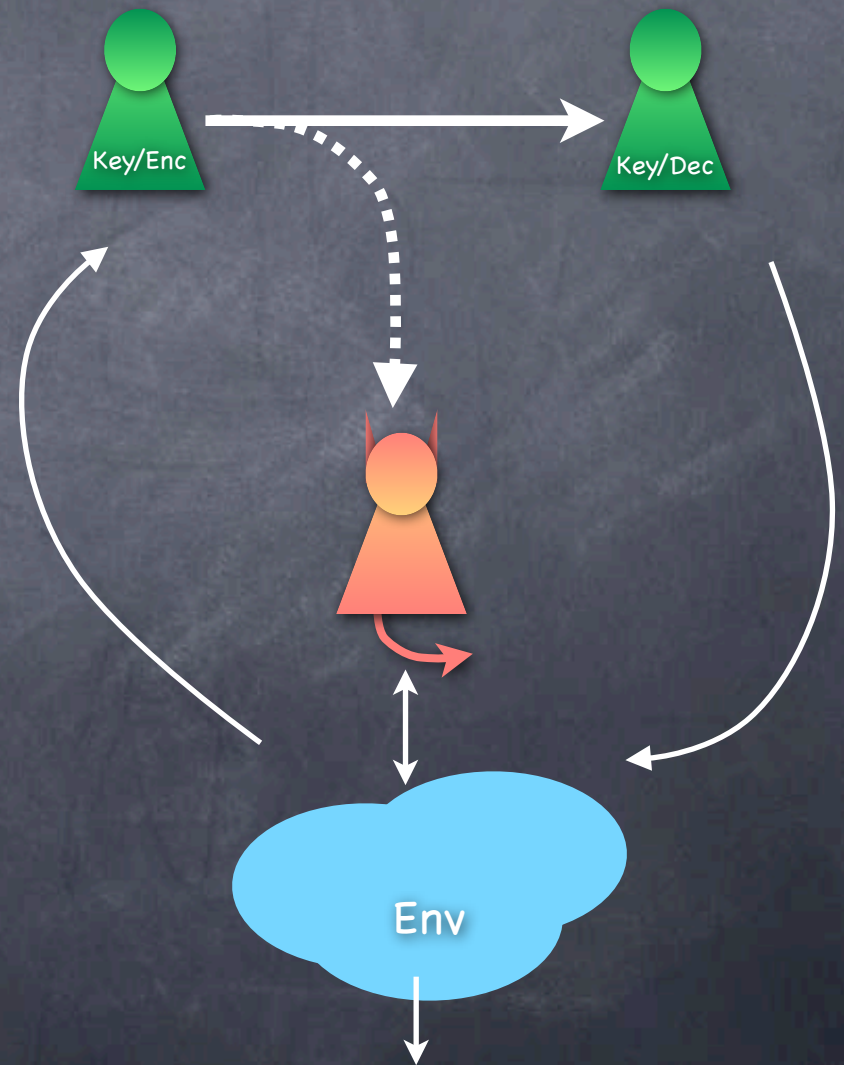
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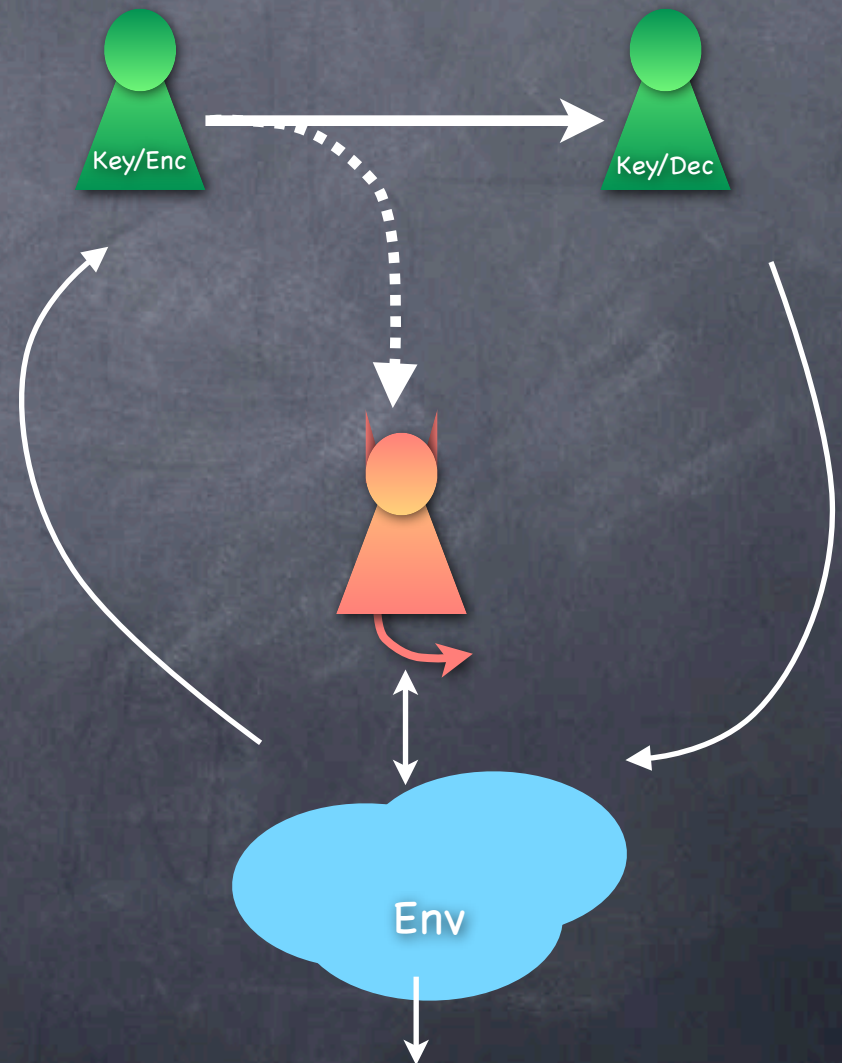
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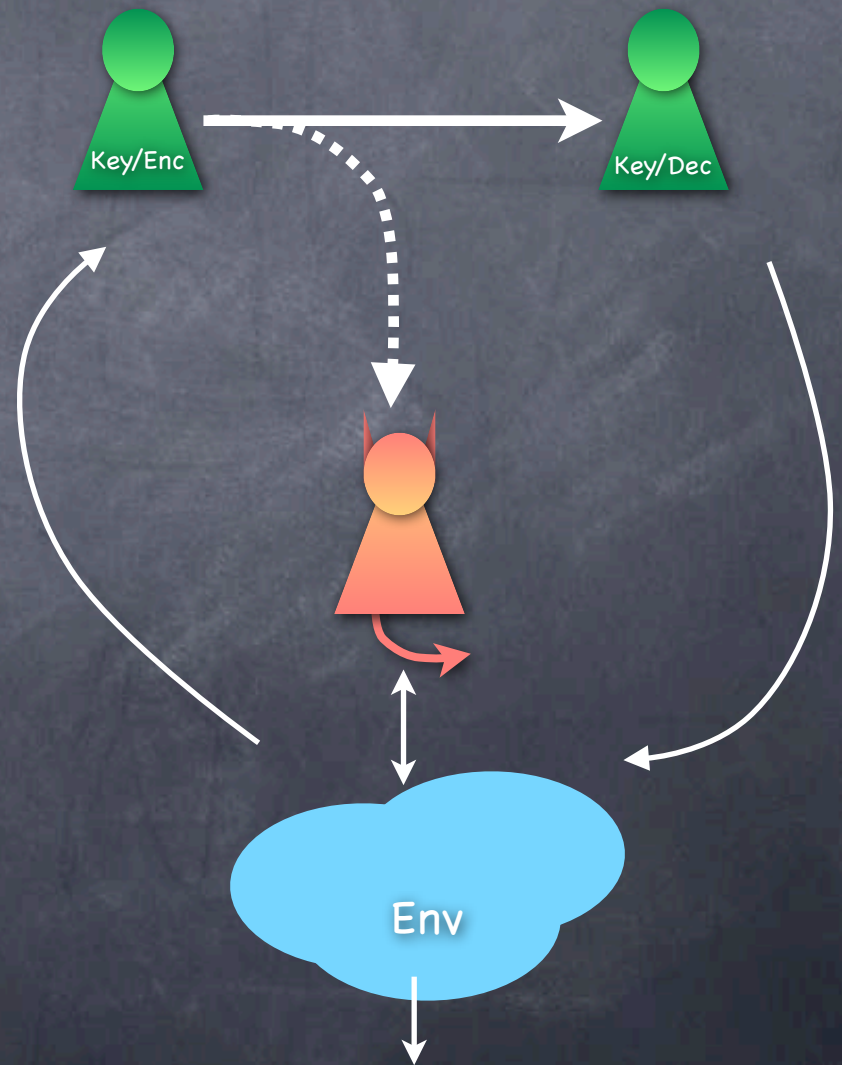
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 - Anything that Eve couldn't have caused if an "ideal channel" was used



Defining Security

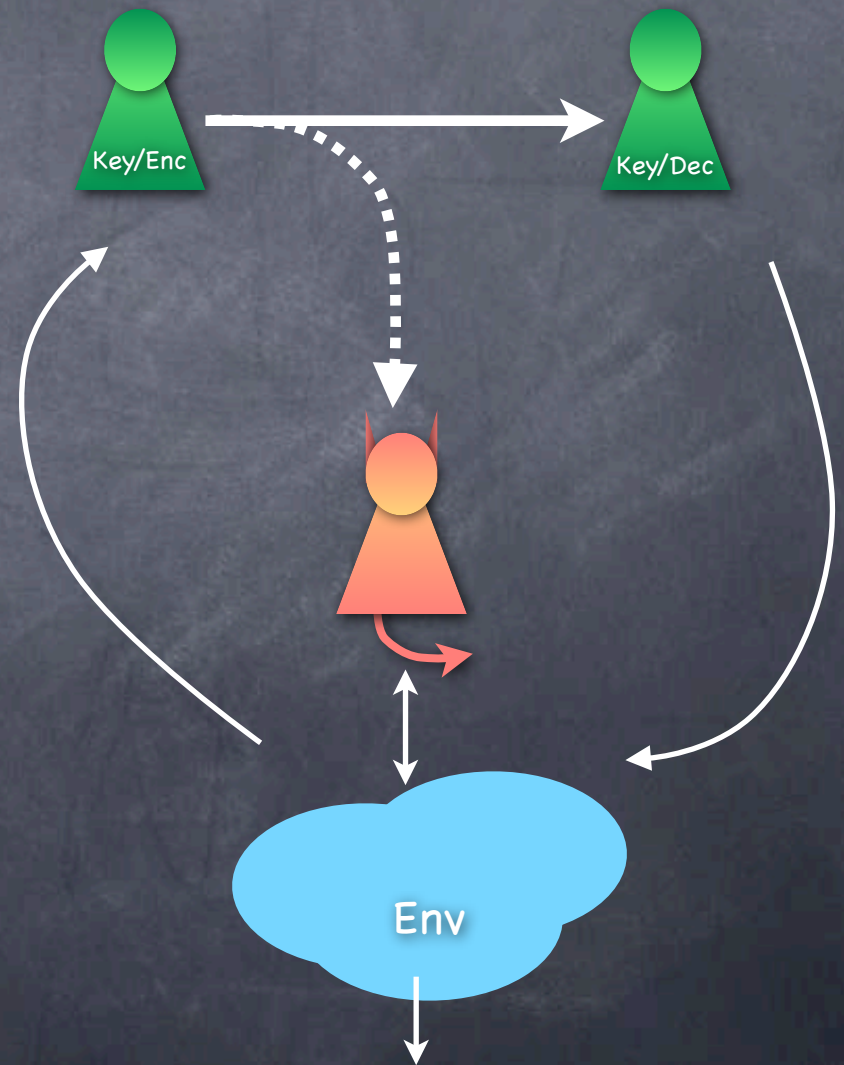
The REAL/IDEAL Paradigm



Defining Security

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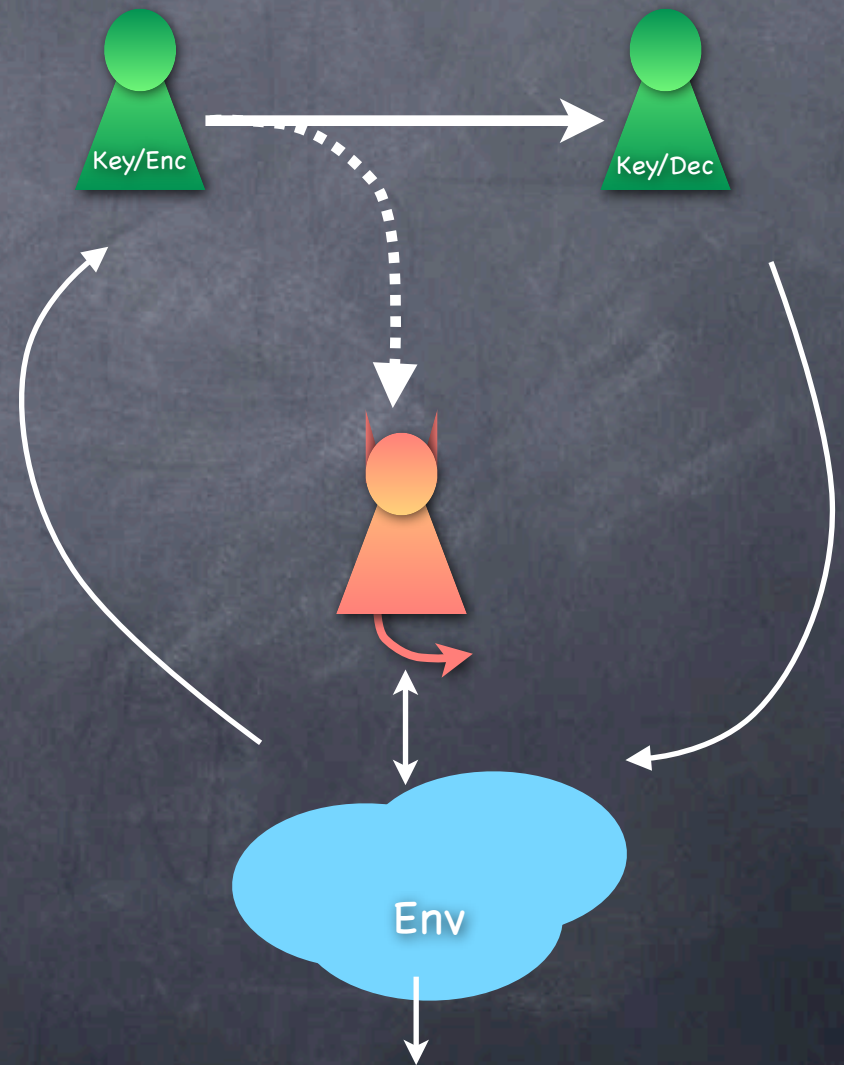
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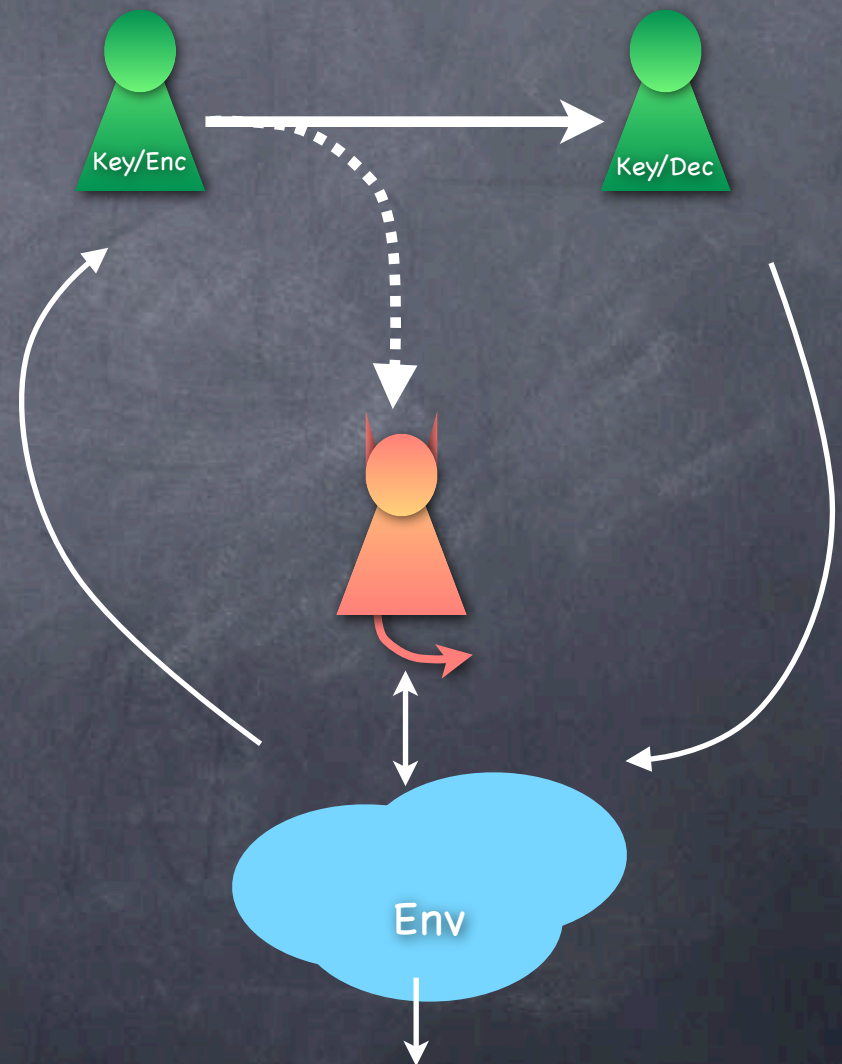
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Defining Security

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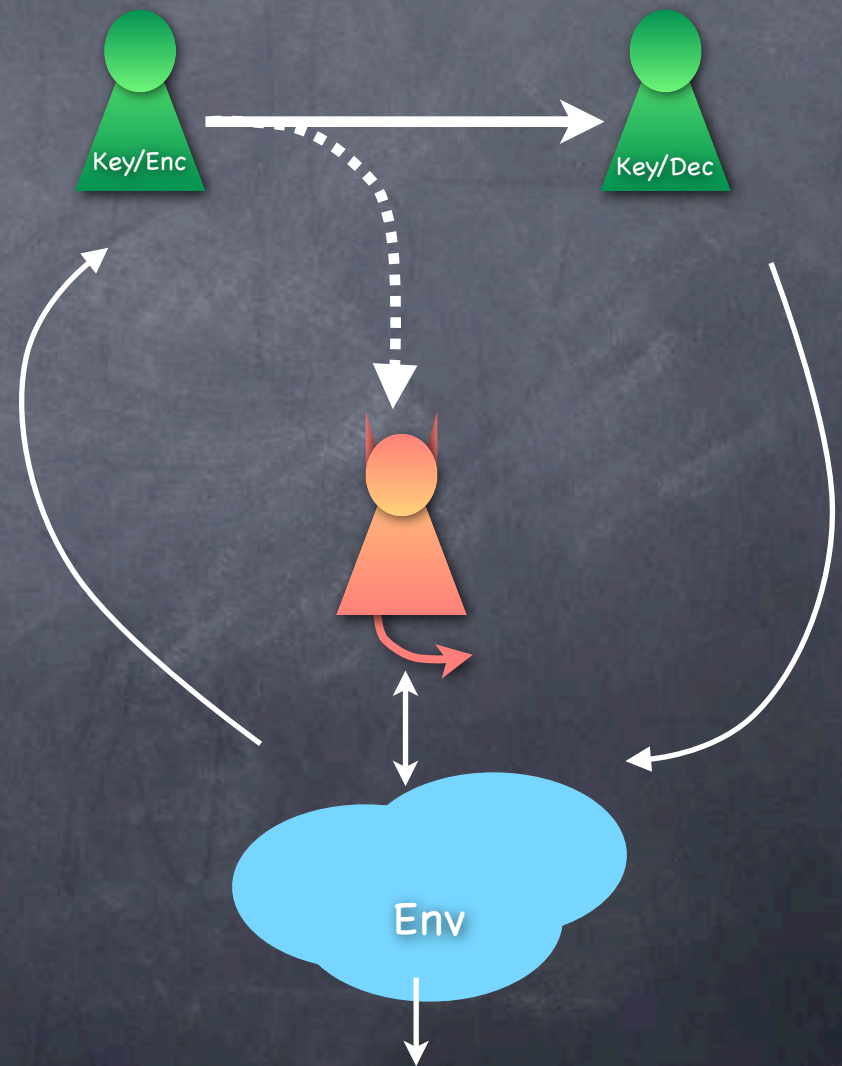
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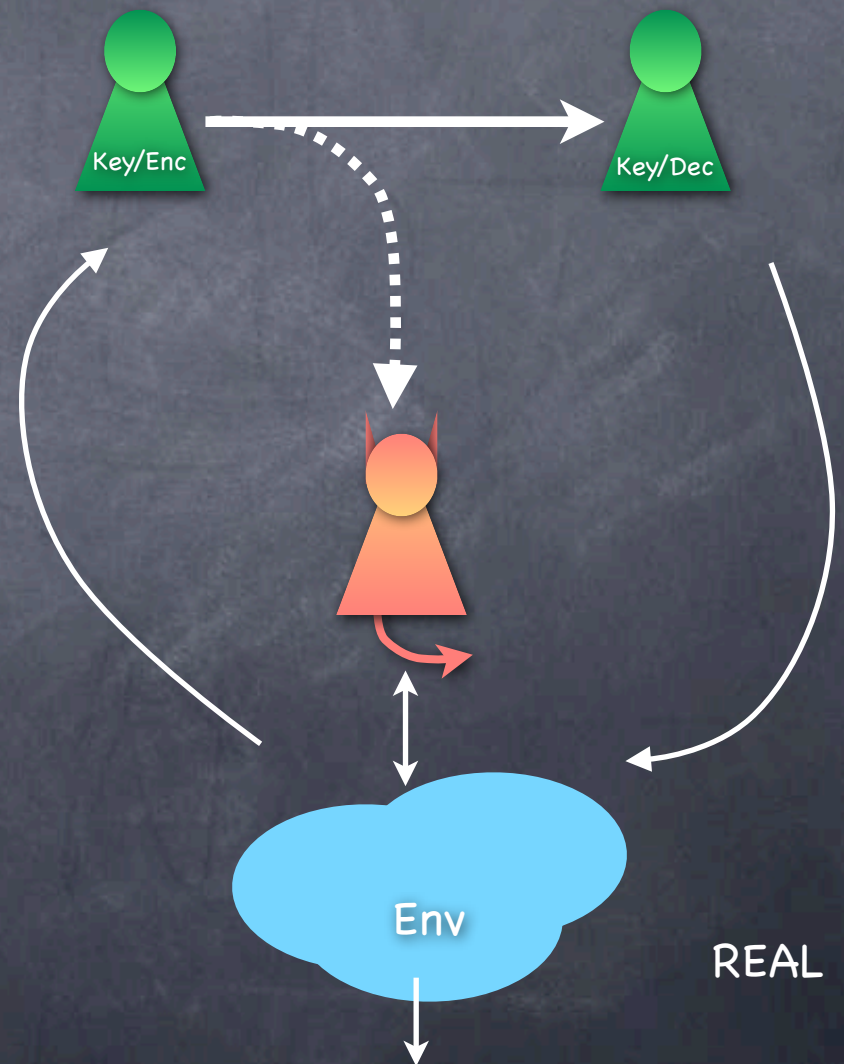
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- **REAL world:** Using encryption
- Encryption is **secure if** whatever Eve can do in the REAL world (using some strategy), she can do in the IDEAL world too (using an appropriate strategy)



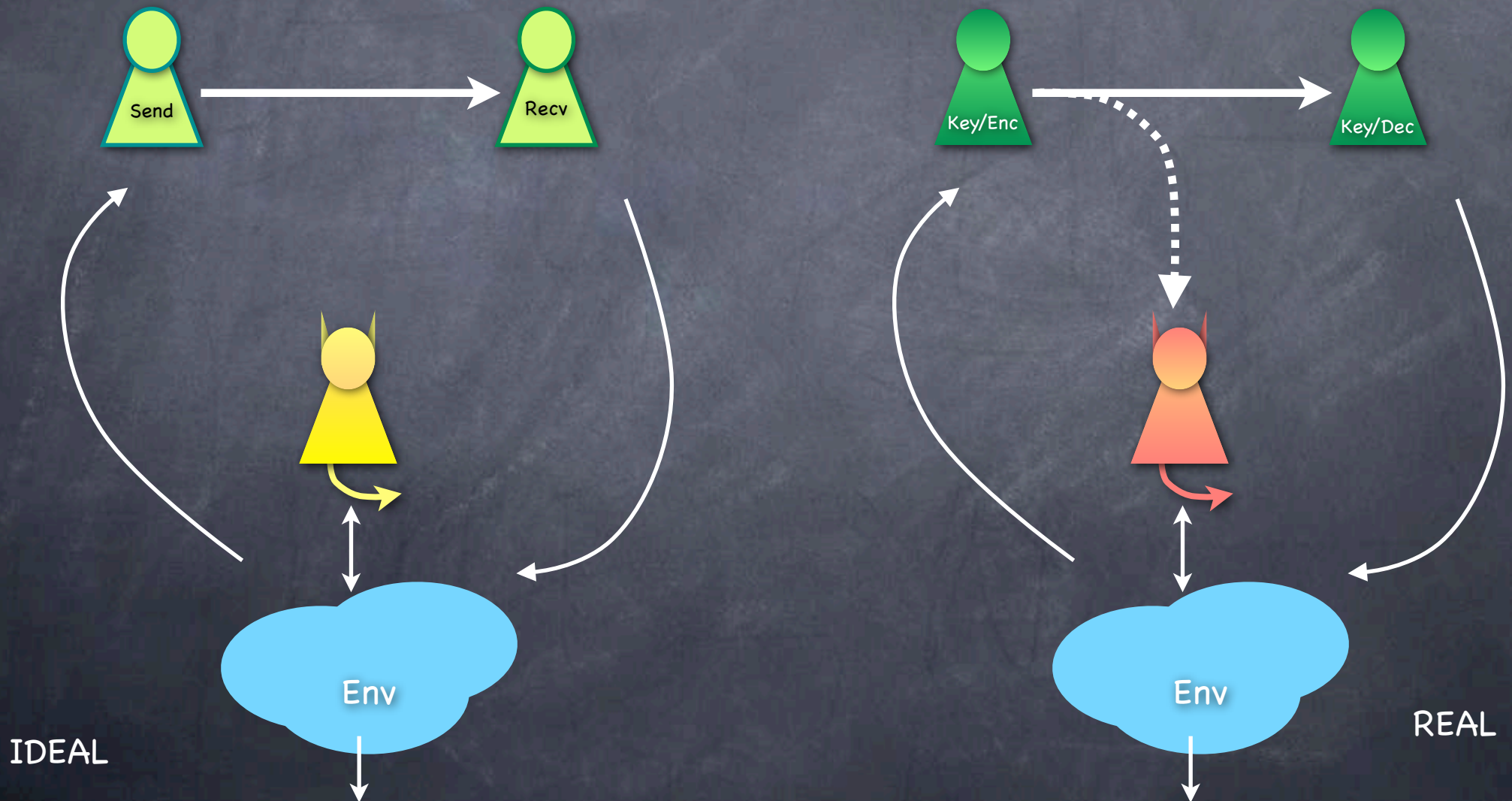
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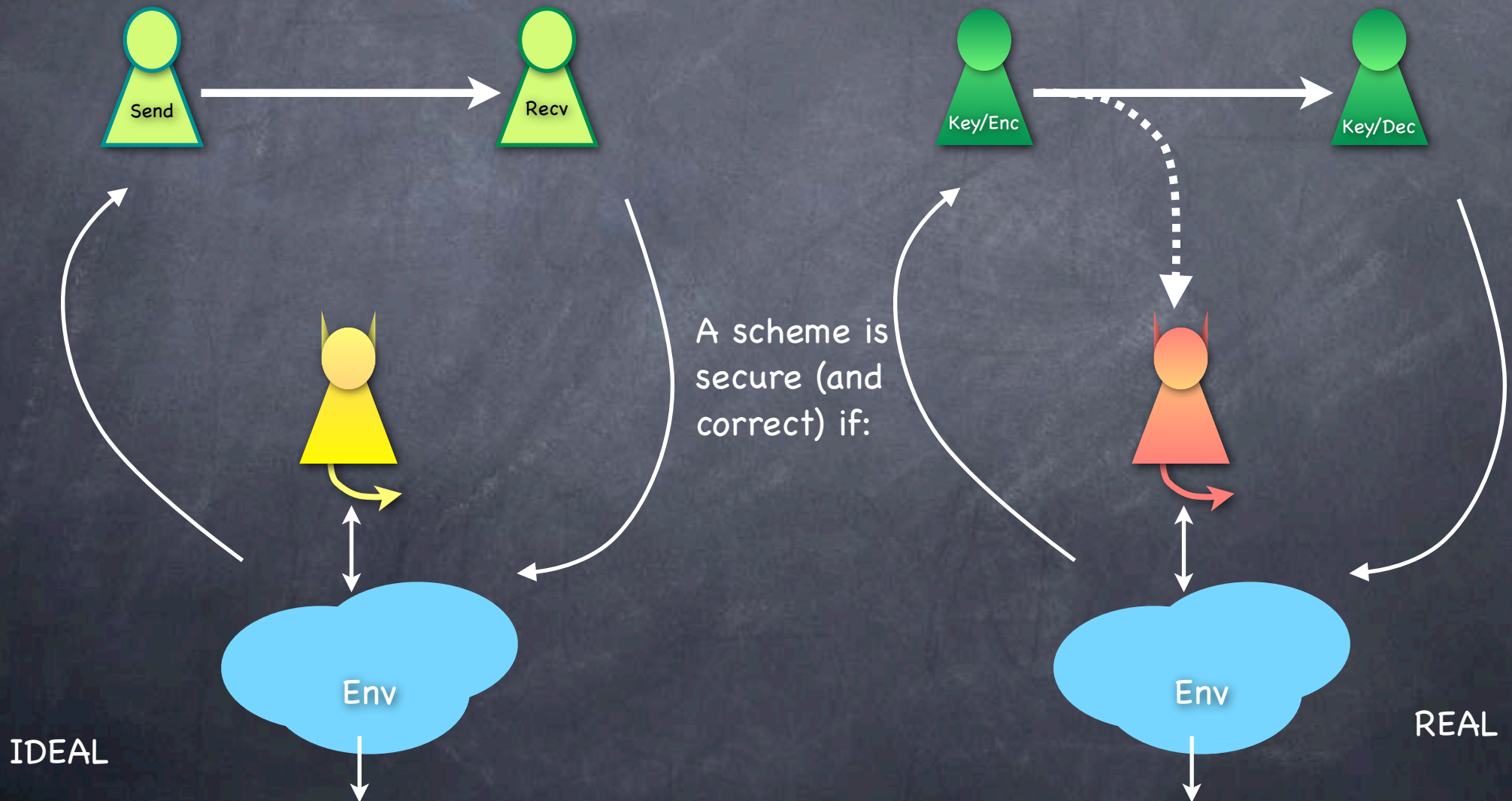
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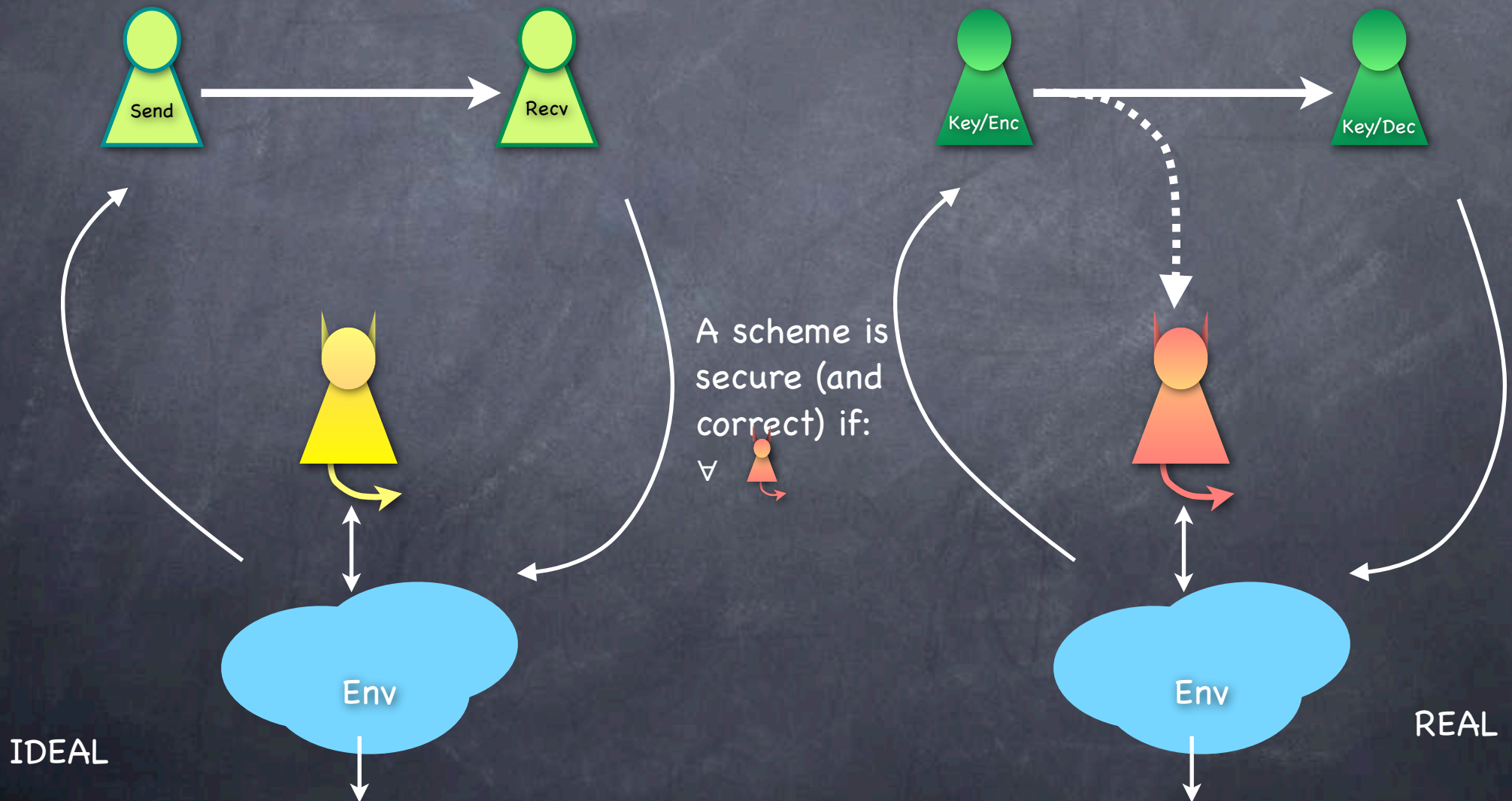
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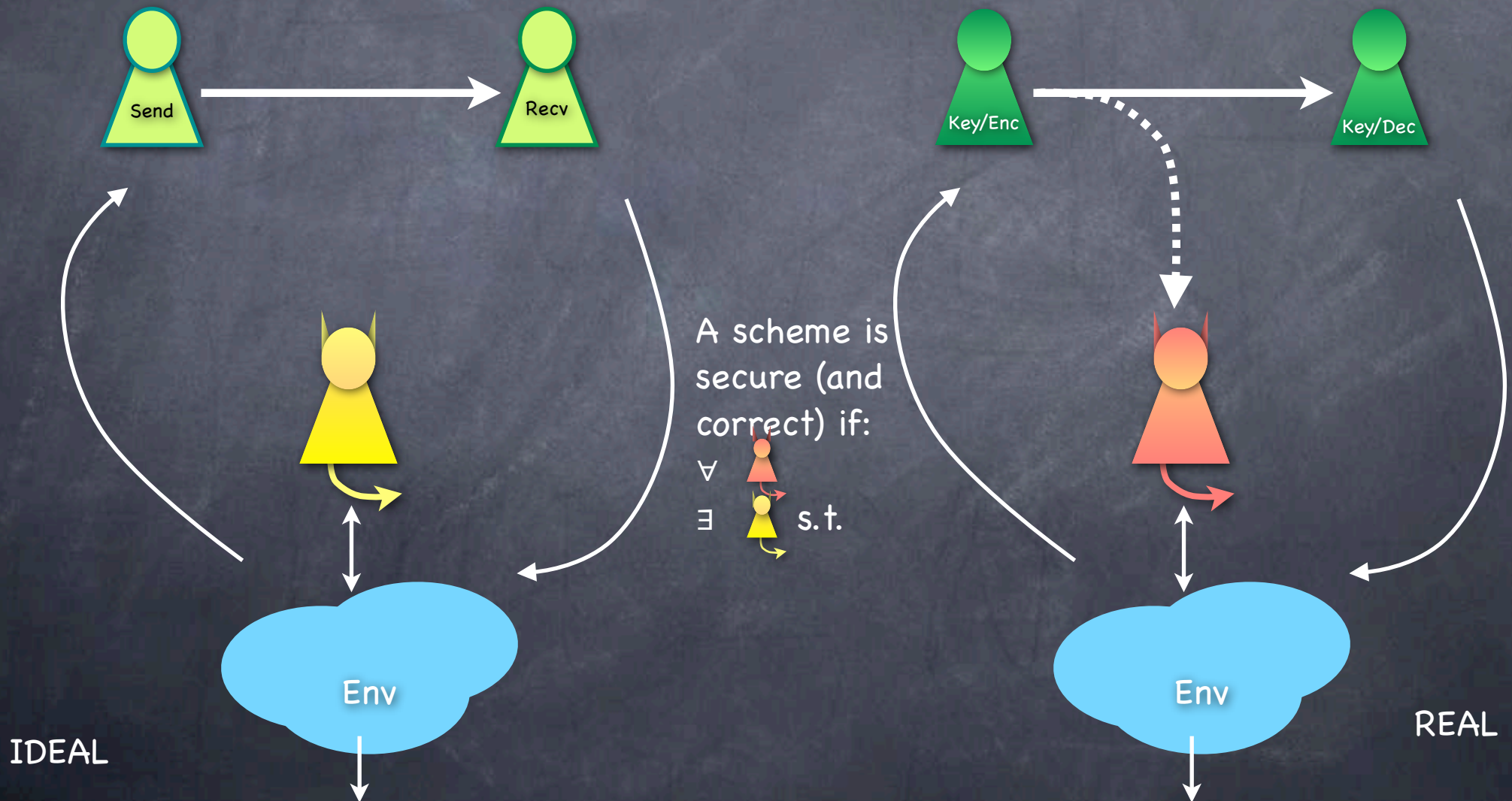
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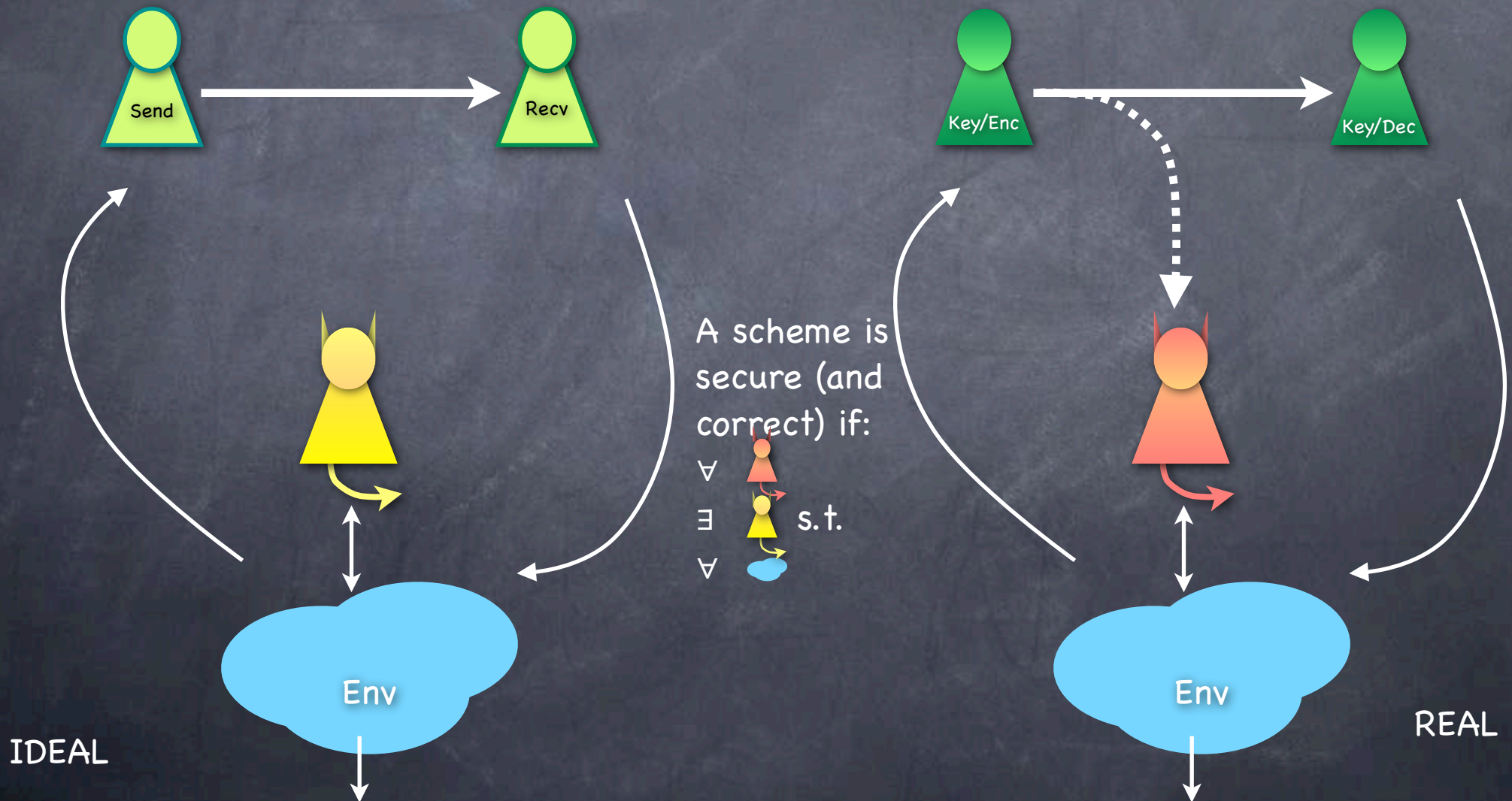
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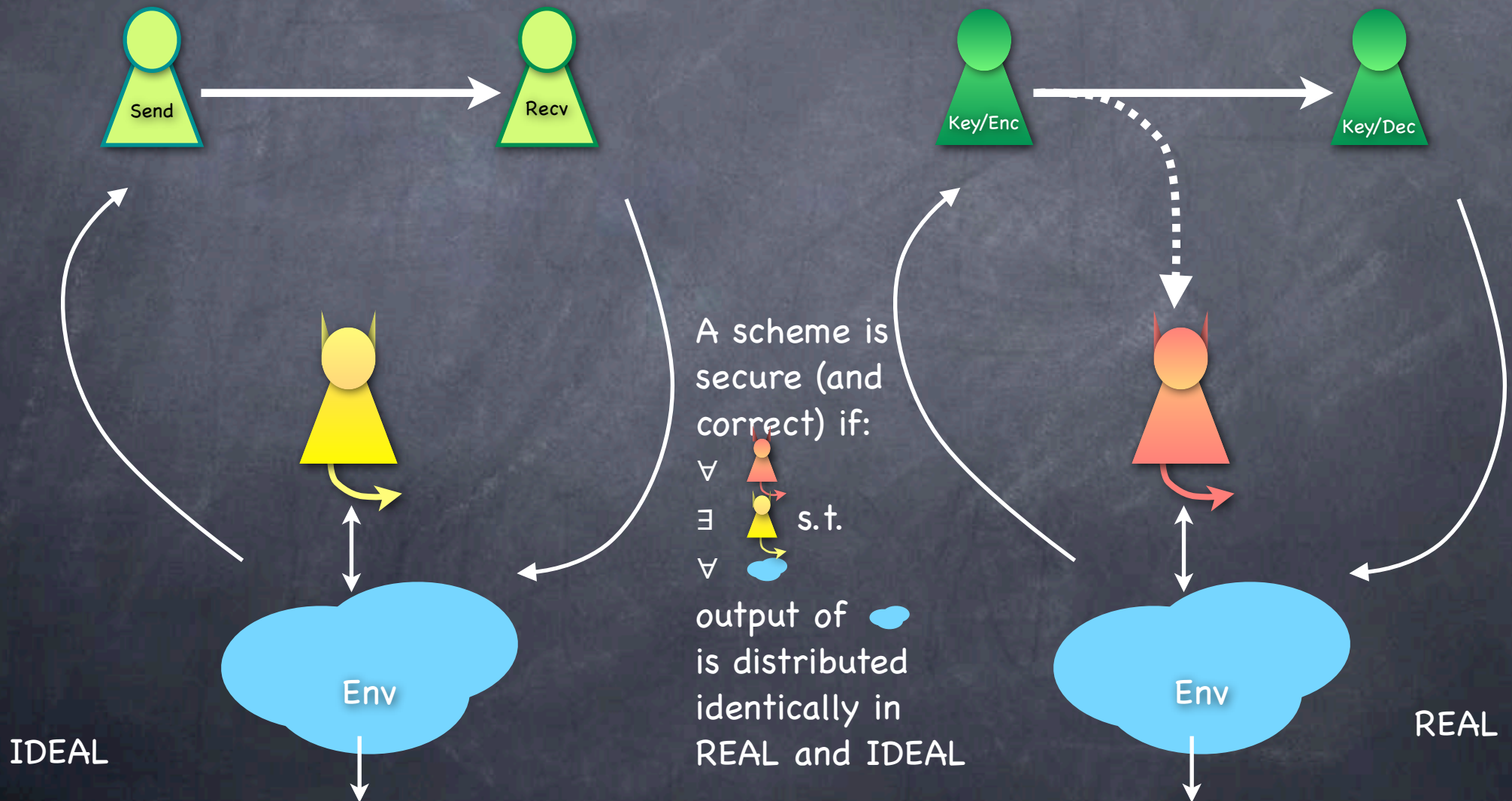
Defining Security

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Defining Security

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- We will see three definitions of symmetric-key encryption
 - Security of “one-time encryption”
 - Security of (multi-message) encryption
 - Security against “active attacks”
- Will also see alternate (but essentially equivalent) security definitions

Onetime Encryption

Onetime Encryption

The Syntax

- Shared-key (Private-key) Encryption
 - **Key Generation:** Randomized
 - $K \leftarrow \mathcal{K}$, uniformly randomly drawn from the key-space
(or according to a key-distribution)
 - **Encryption:** Deterministic
 - $\text{Enc}: \mathcal{M} \times \mathcal{K} \rightarrow \mathcal{C}$
 - **Decryption:** Deterministic
 - $\text{Dec}: \mathcal{C} \times \mathcal{K} \rightarrow \mathcal{M}$

Onetime Encryption

Perfect Secrecy



Onetime Encryption

Perfect Secrecy

- Perfect secrecy: $\forall m, m' \in \mathcal{M}$

- $\{\text{Enc}(m, K)\}_{K \leftarrow \text{KeyGen}} = \{\text{Enc}(m', K)\}_{K \leftarrow \text{KeyGen}}$

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$\mathcal{M} \backslash \mathcal{K}$	0	1	2	3
a	x	y	y	z
b	y	x	z	y

Onetime Encryption

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Same for $\text{Enc}(b, K)$.

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- More generally $\mathcal{M} = \mathcal{K} = \mathcal{C} = \mathcal{G}$ (a finite group) and $\text{Enc}(m, K) = m + K, \text{Dec}(c, K) = c - K$

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b	y	x	z	y

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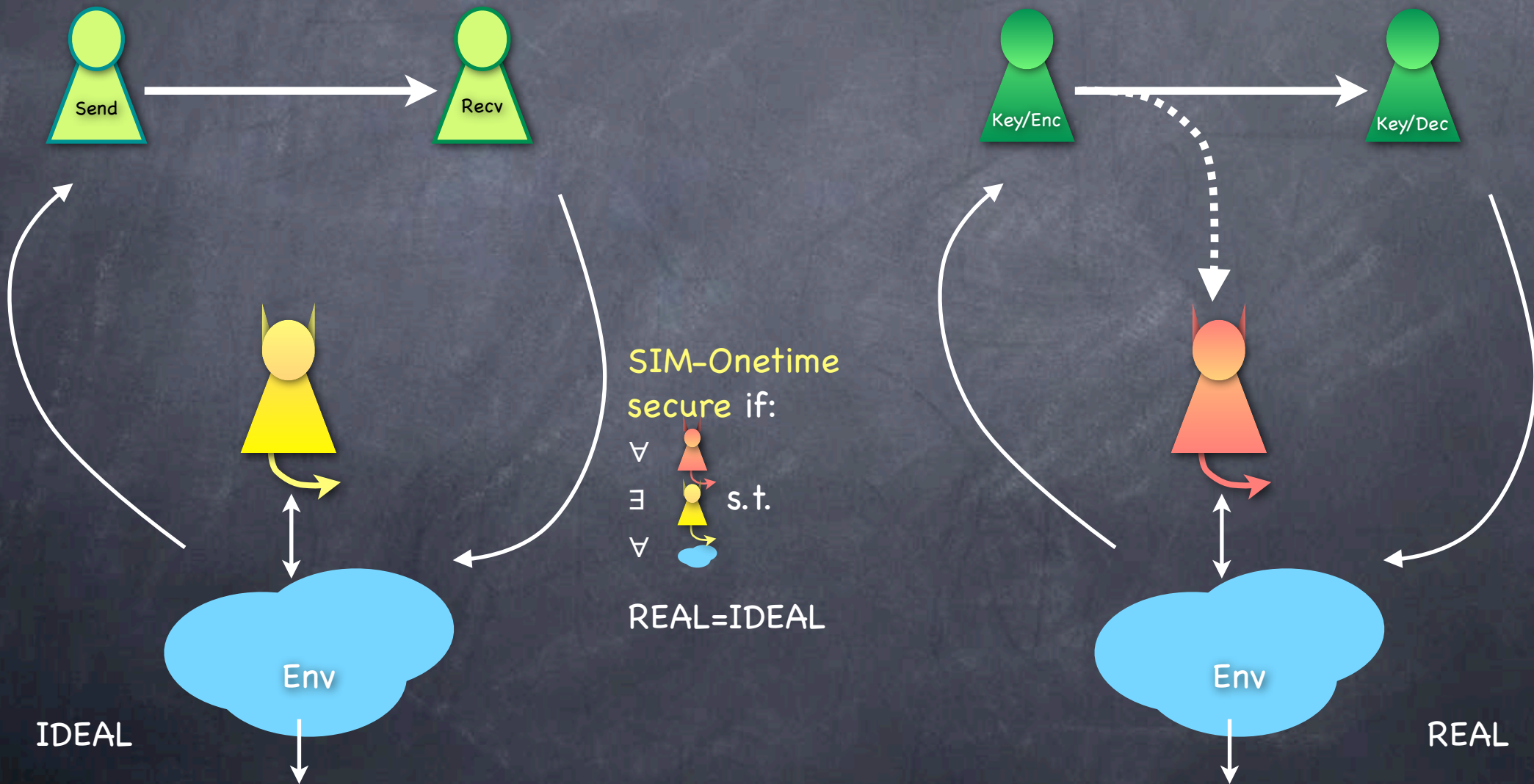
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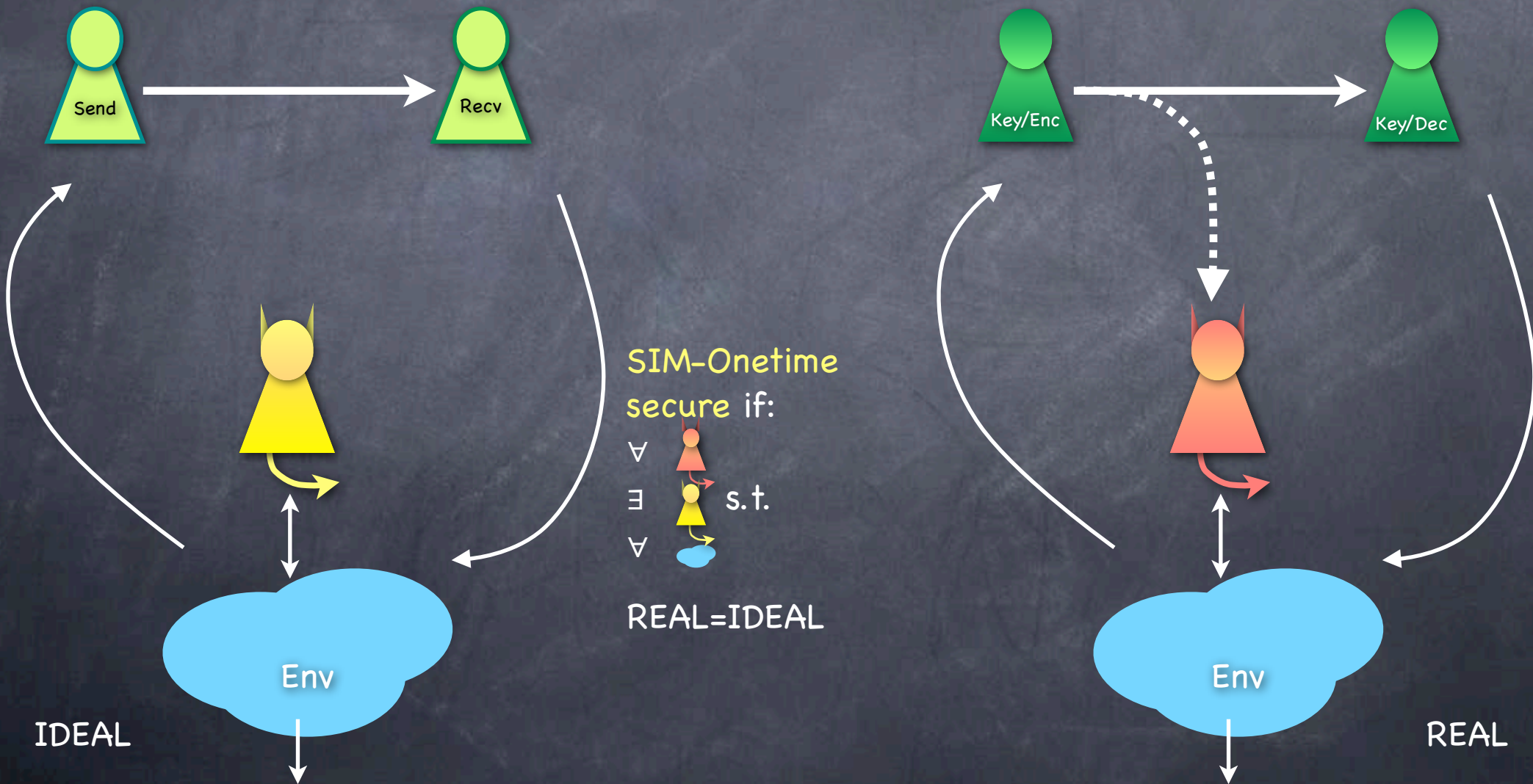
SIM-Onetime Security



Onetime Encryption

SIM-Onetime Security

- Class of environments which send only one message

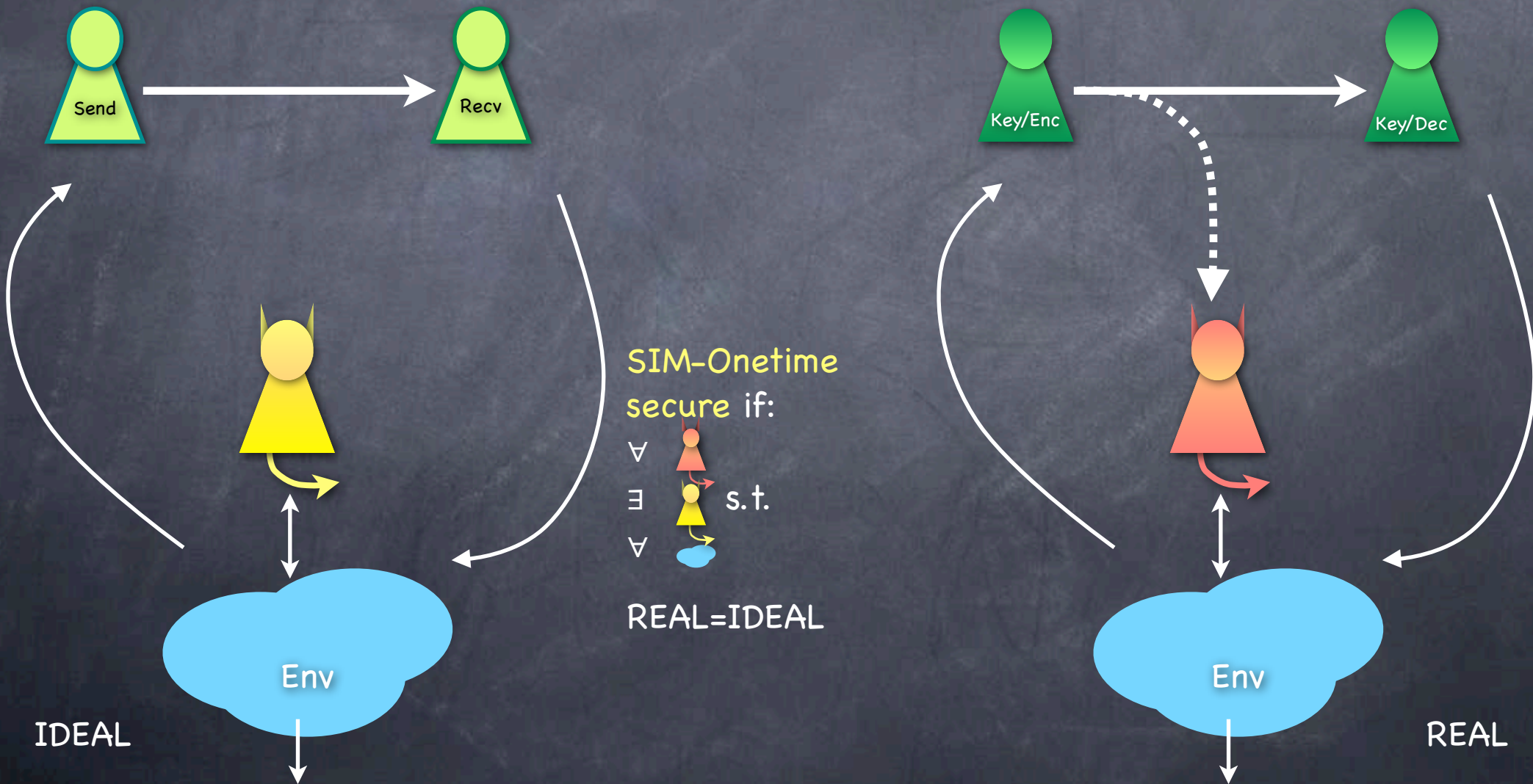


Onetime Encryption

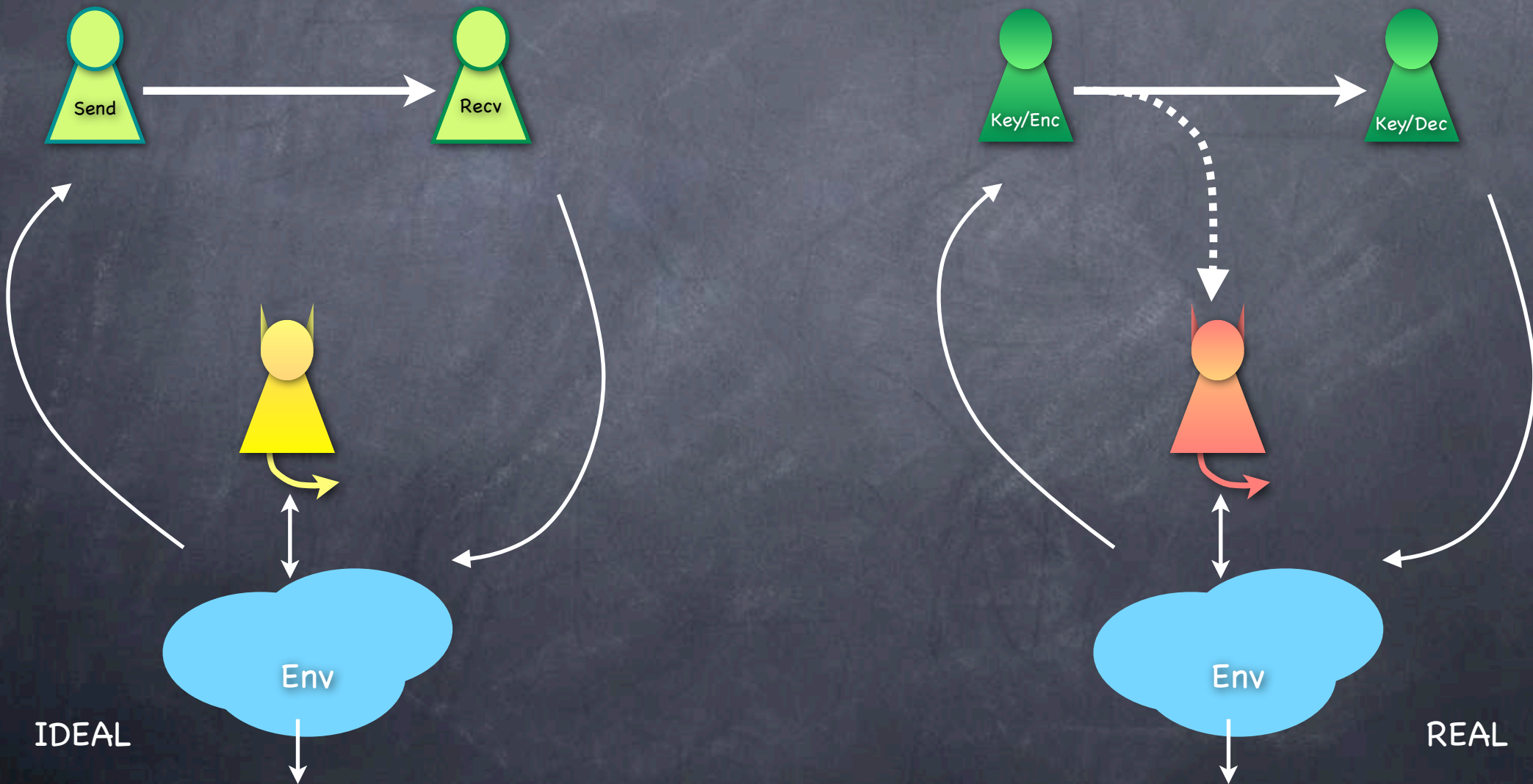
SIM-Onetime Security

Equivalent to
perfect secrecy
+ correctness

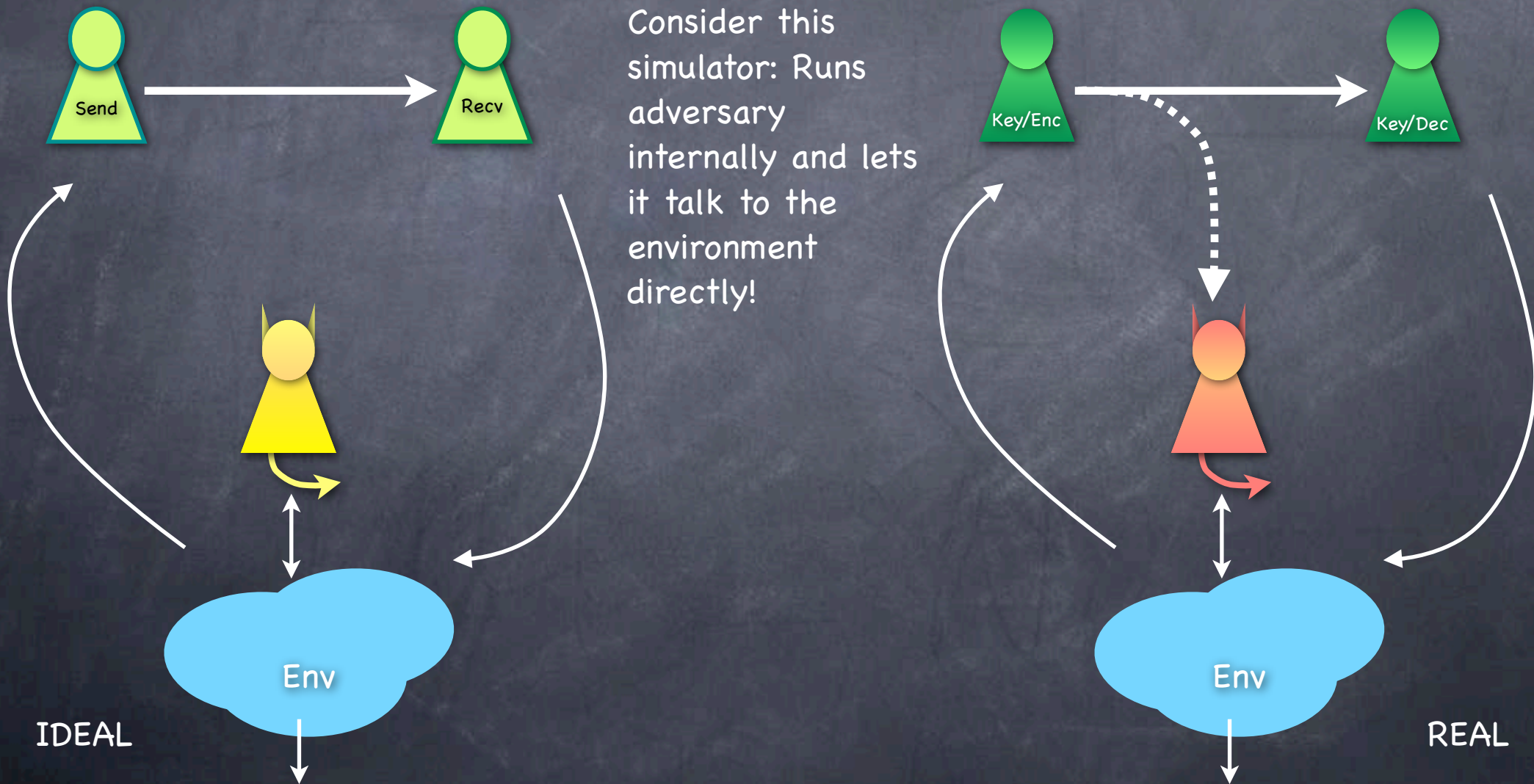
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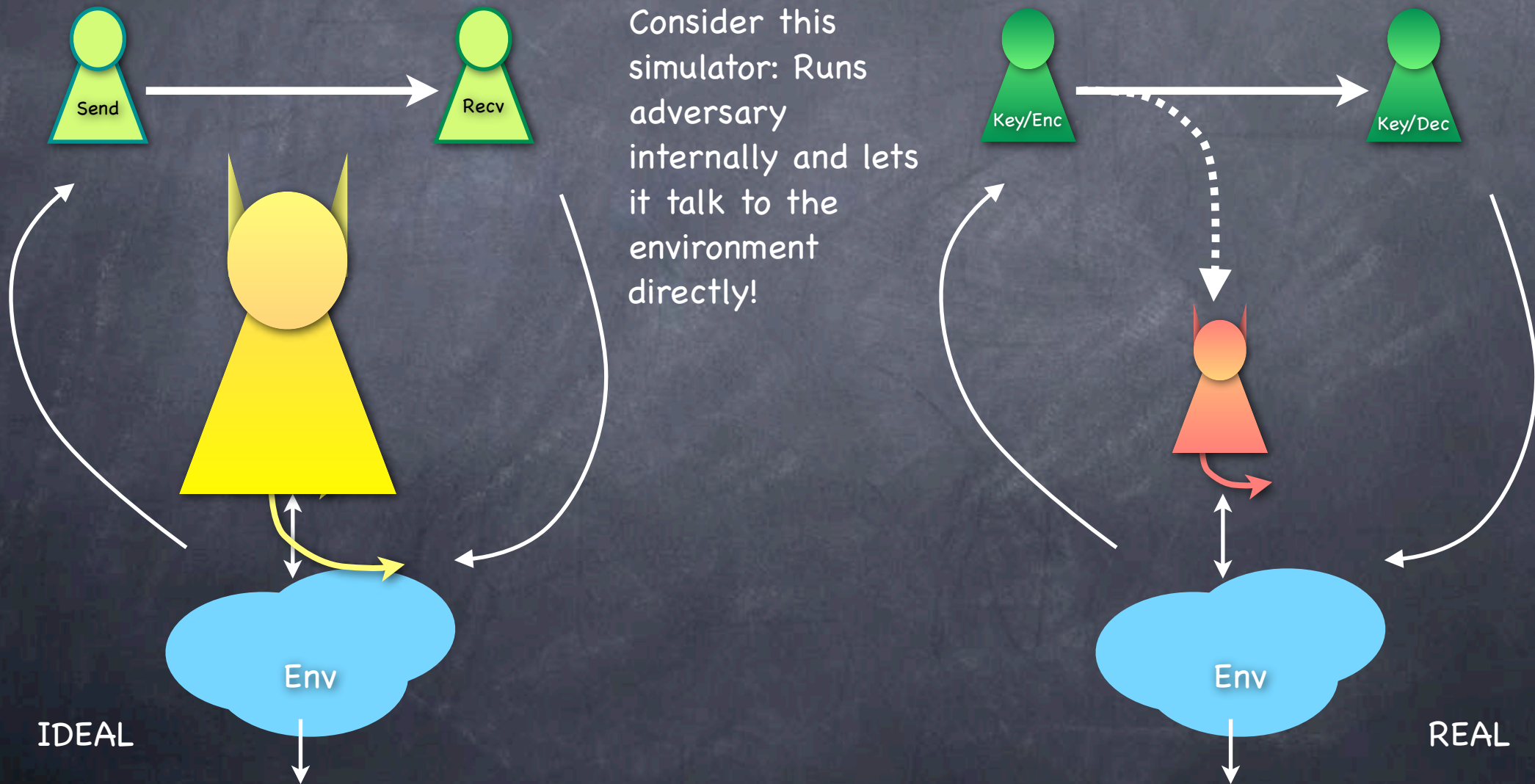
Perfect Secrecy + Correctness \Rightarrow
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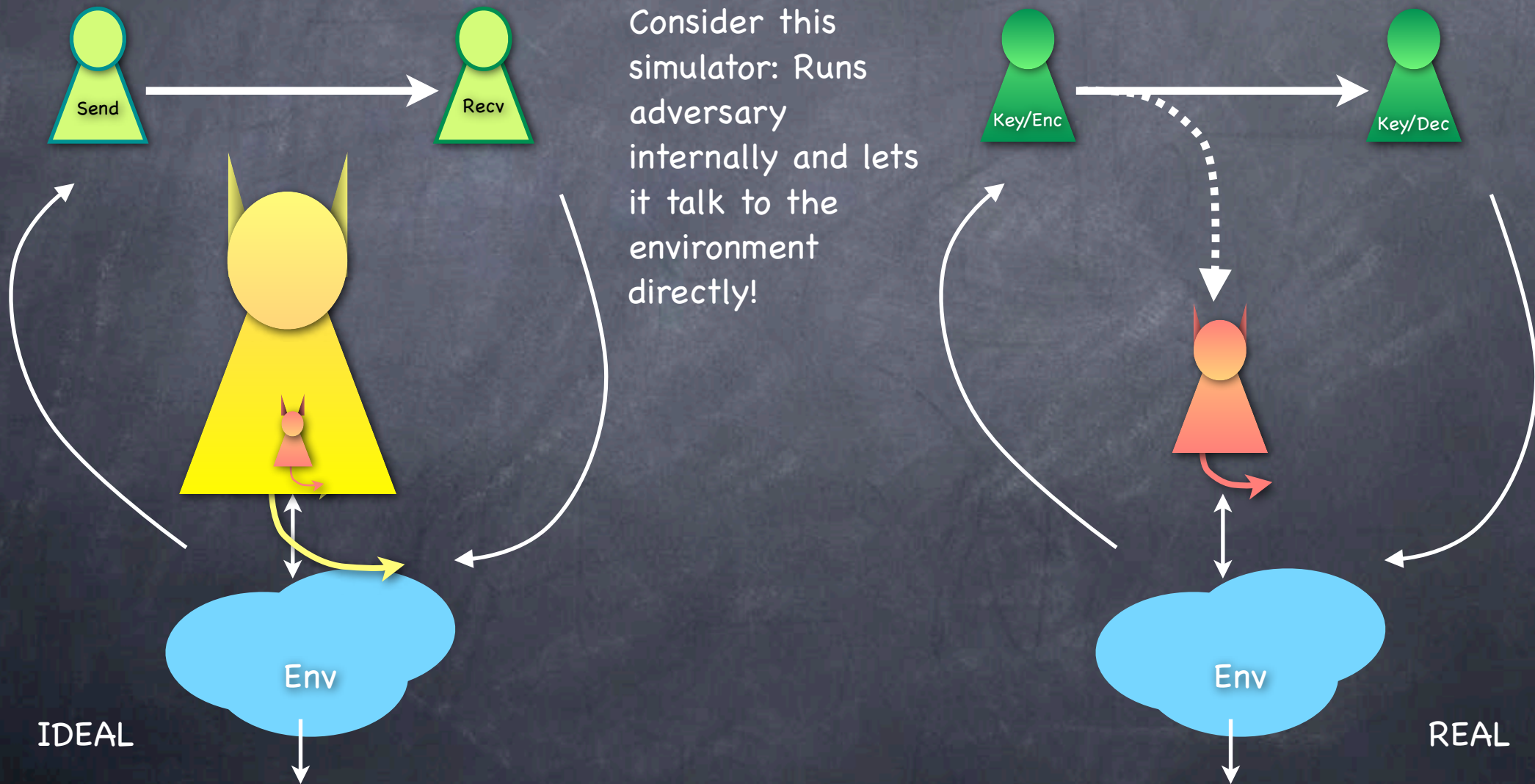
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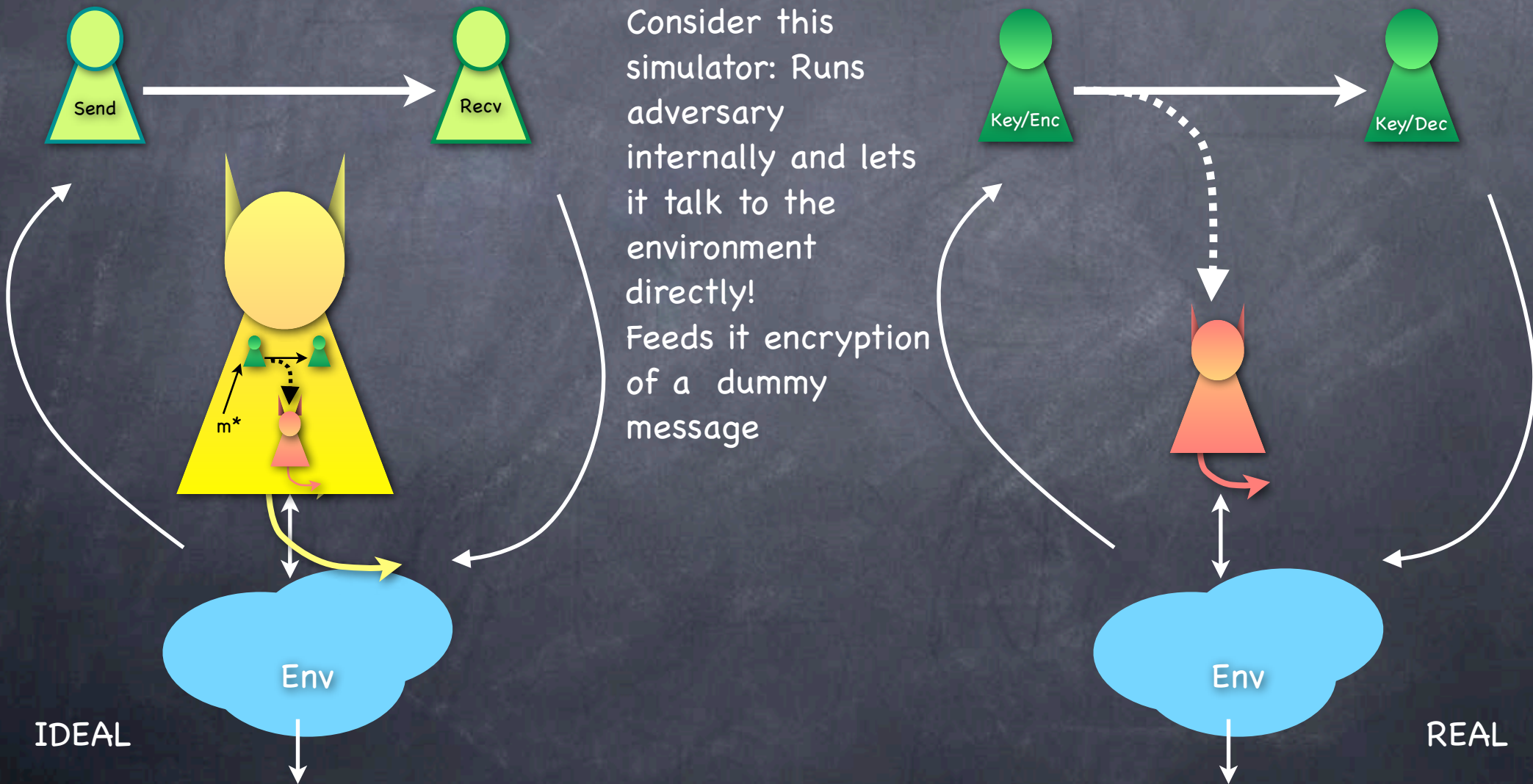
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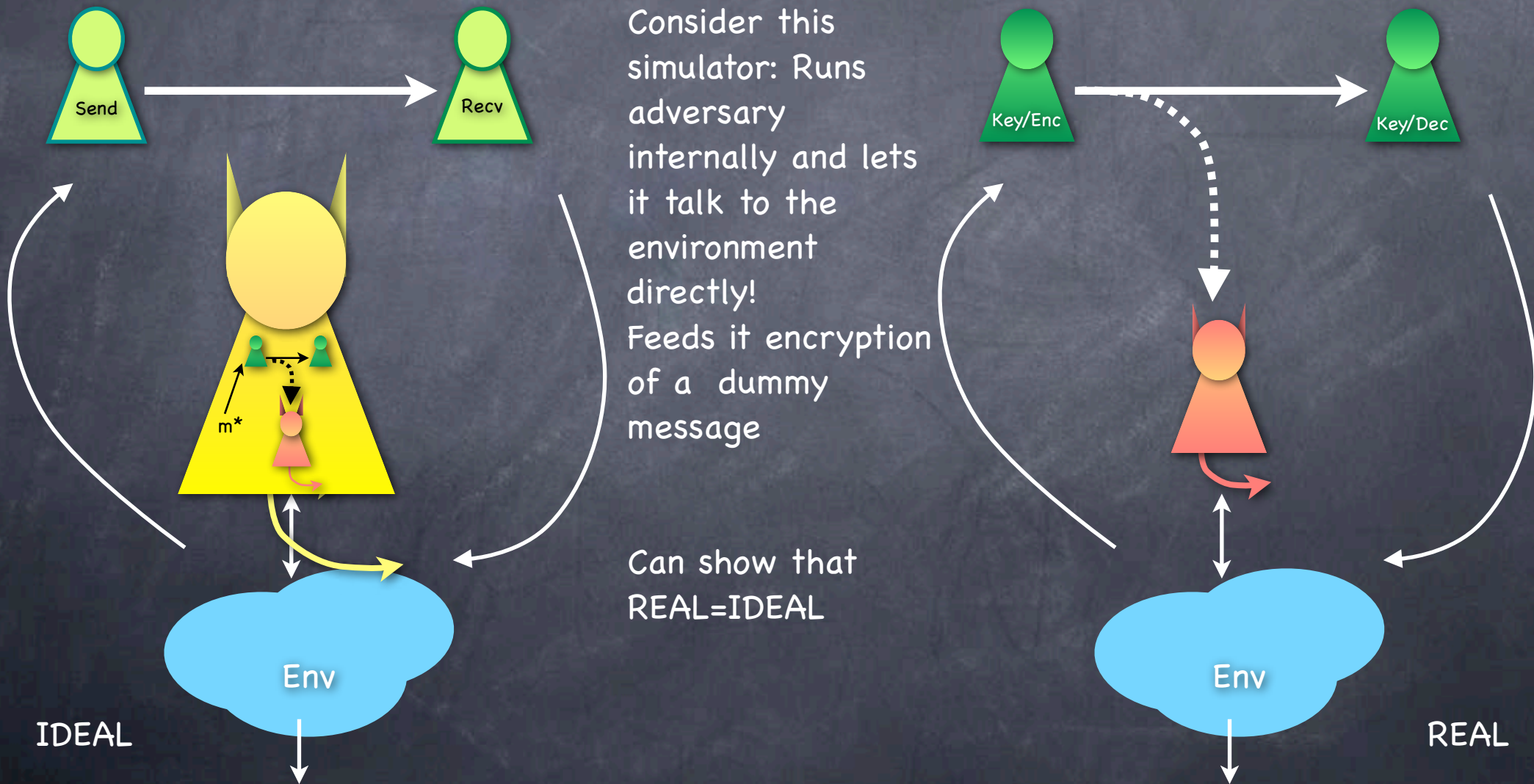
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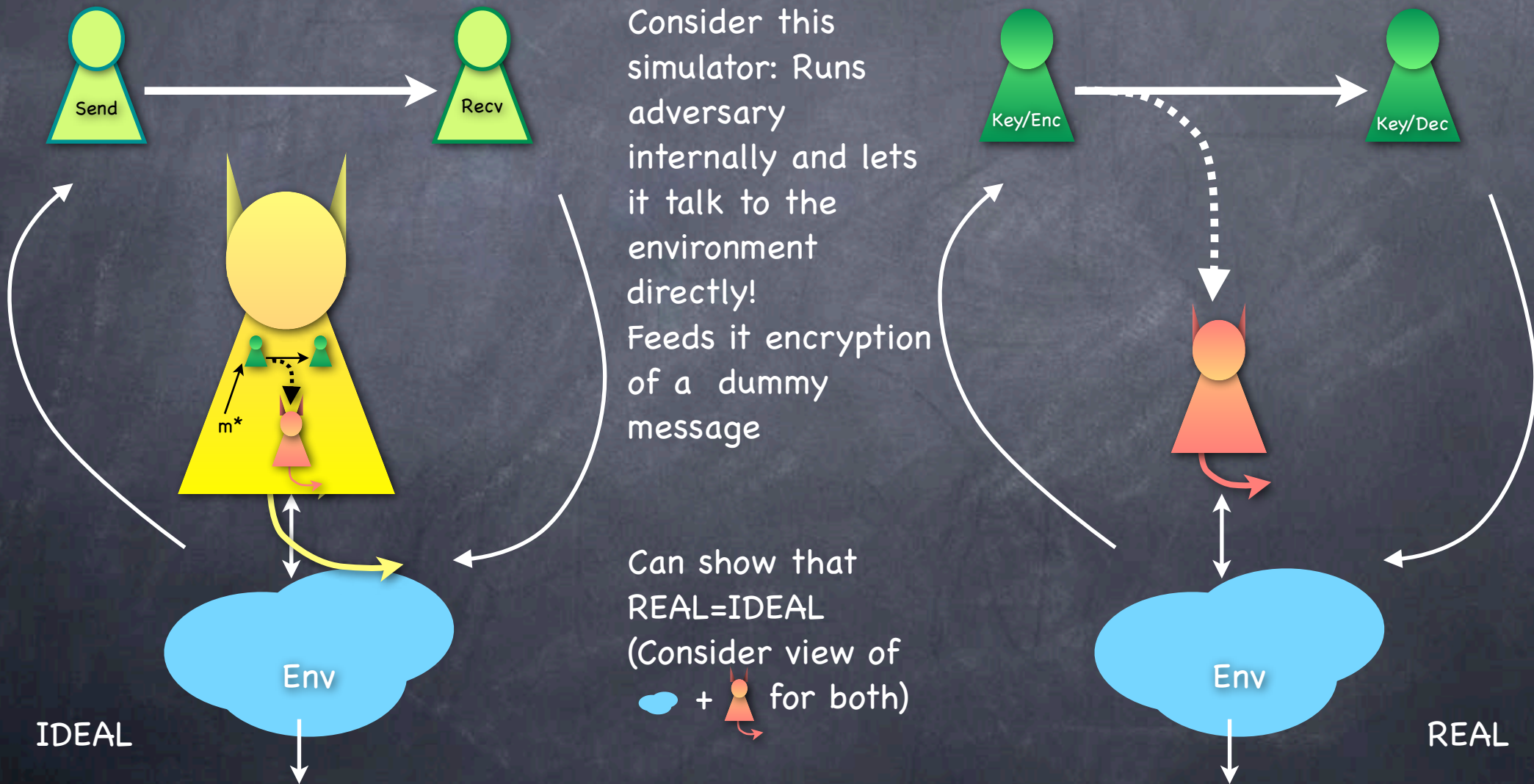
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 - Also, Eve' allowed to learn the fact that a message is sent

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IND-Onetime Security

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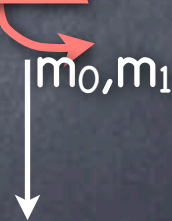
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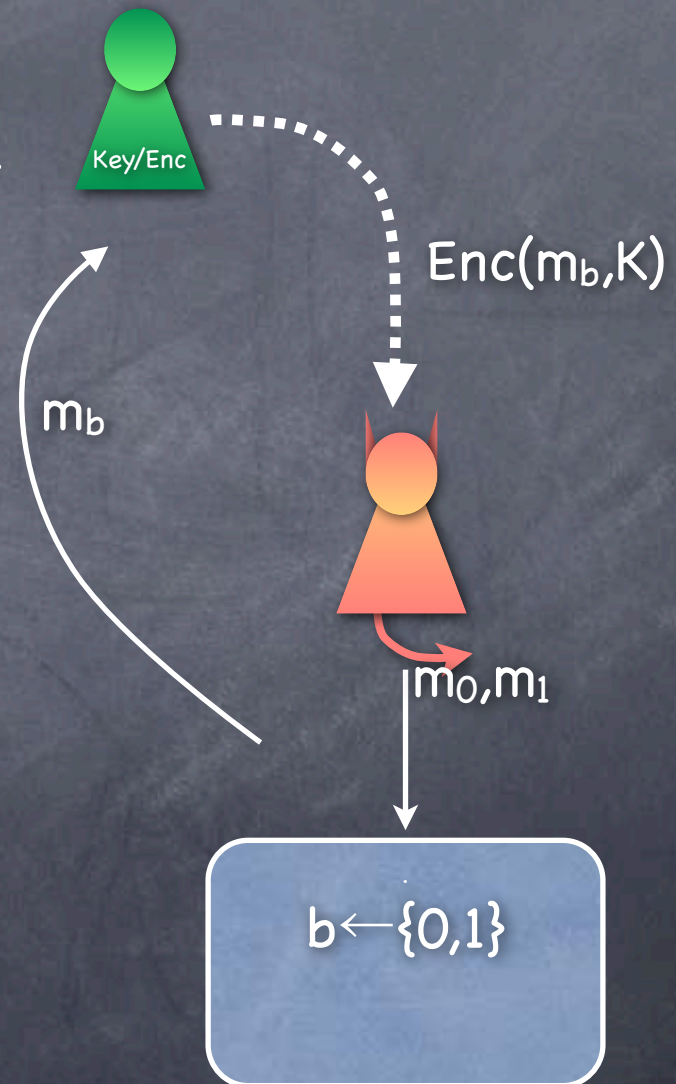
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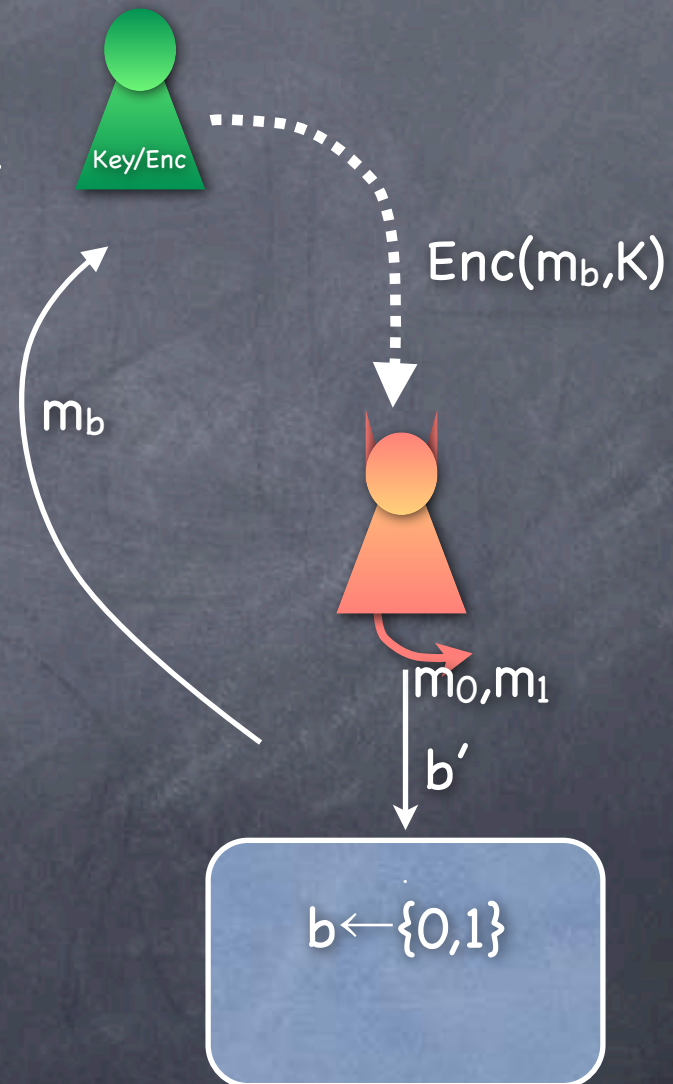


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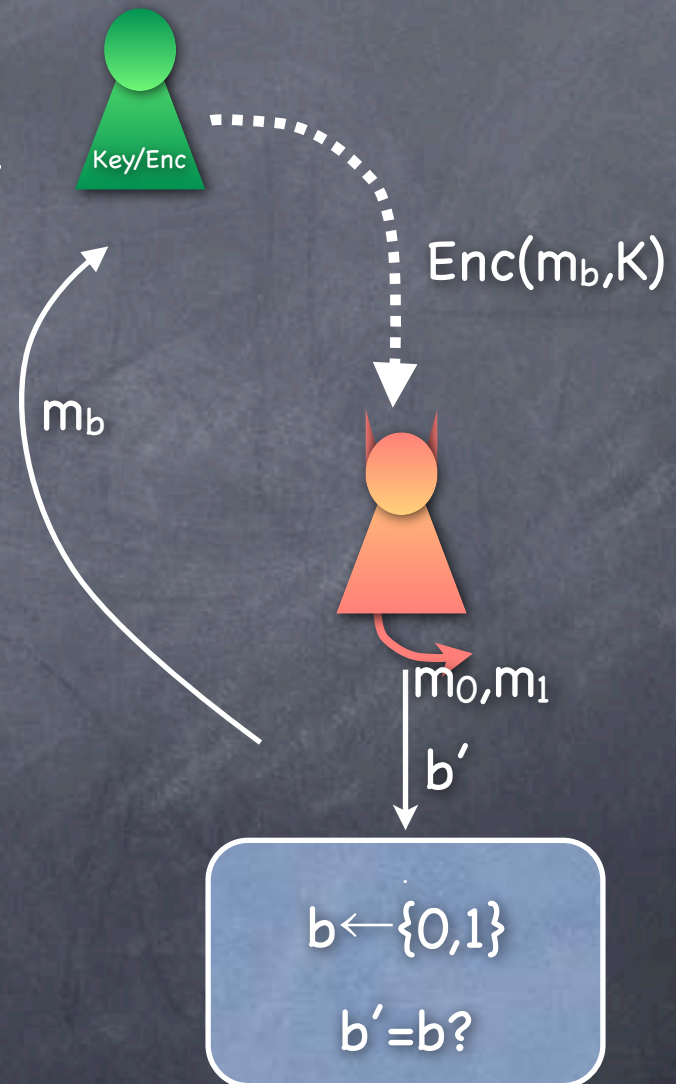


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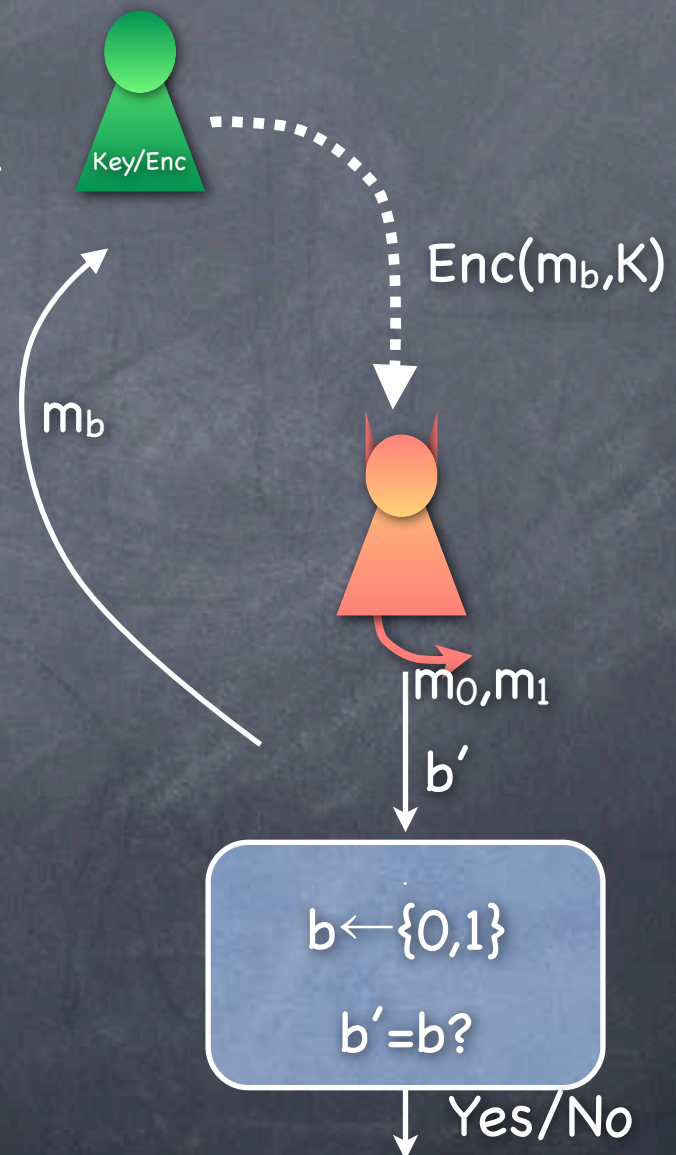


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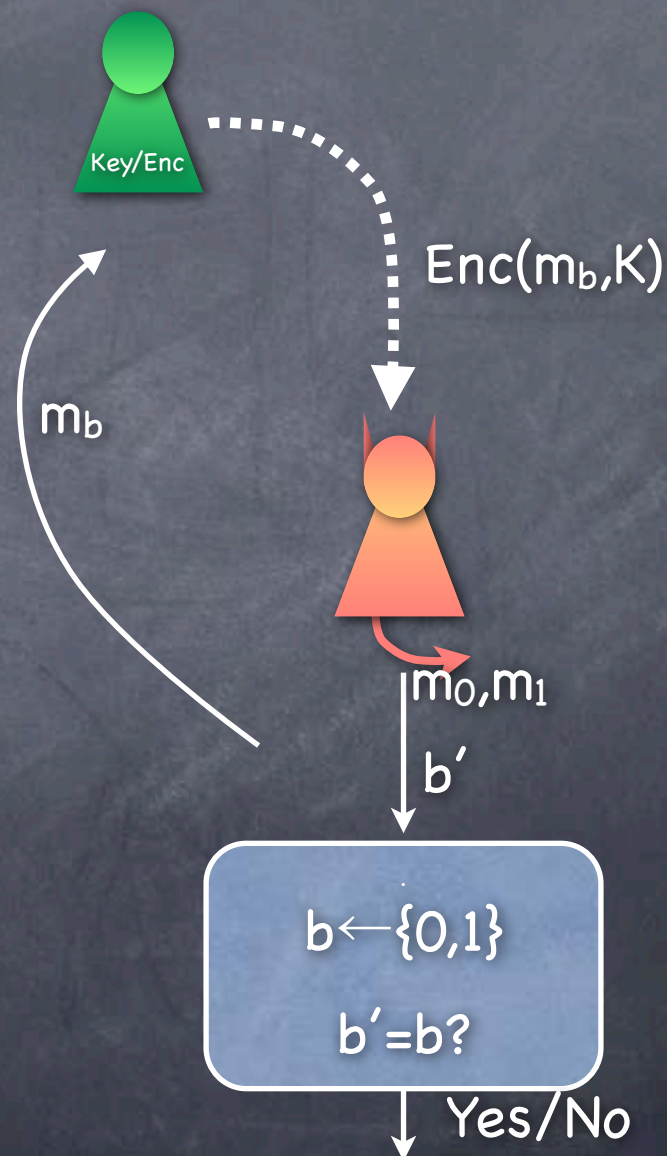


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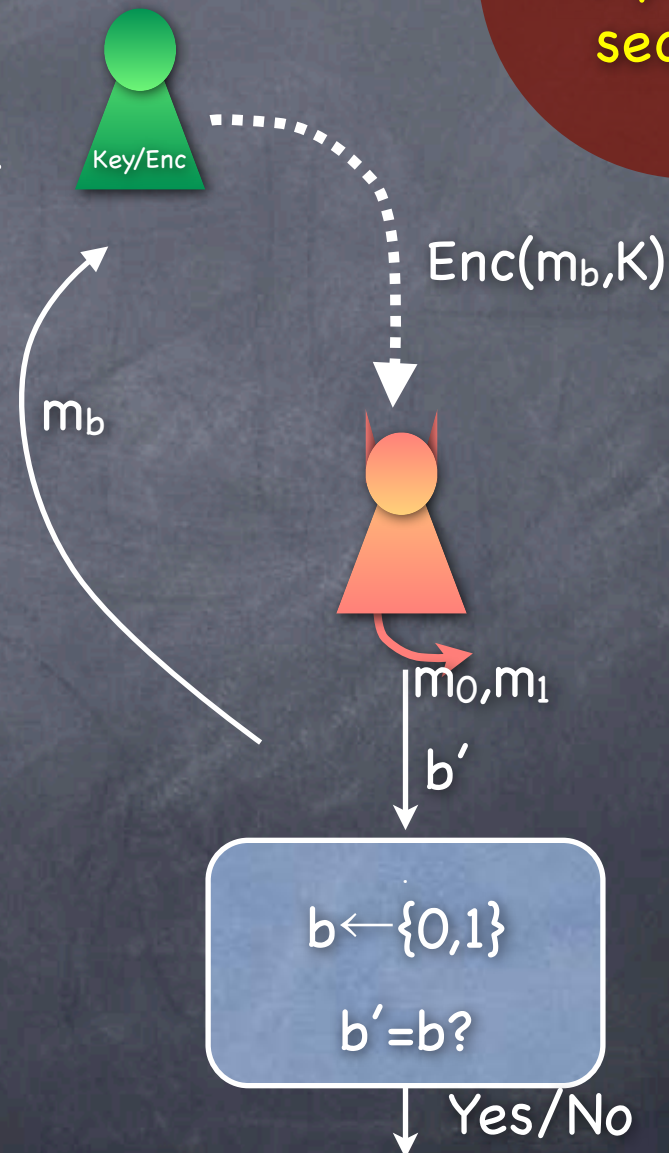
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- Best of both worlds when they are equivalent:
 - use IND- definition while say, proving security of a construction;
 - use SIM- definition when low-level details are not important