## CS447: Natural Language Processing

http://courses.engr.illinois.edu/cs447

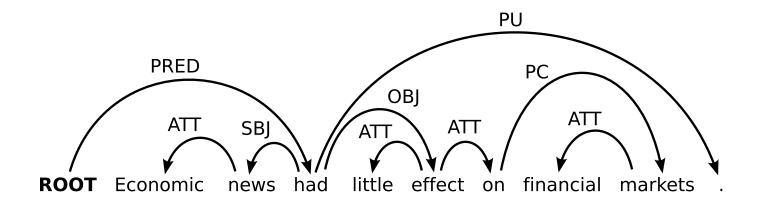
# Lecture 12: Dependency Parsing; Expressive Grammars

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# Dependency Parsing

# A dependency parse



Dependencies are (labeled) asymmetrical binary relations between two lexical items (words).

# Parsing algorithms for DG

## 'Transition-based' parsers:

learn a sequence of actions to parse sentences

#### **Models:**

State = stack of partially processed items

+ queue/buffer of remaining tokens

+ set of dependency arcs that have been found already

Transitions (actions) = add dependency arcs; stack/queue operations

## 'Graph-based' parsers:

learn a model over dependency graphs

#### Models:

a function (typically sum) of local attachment scores

For dependency trees, you can use a minimum spanning tree algorithm

# Transition-based parsing (Nivre et al.)

# Transition-based parsing: assumptions

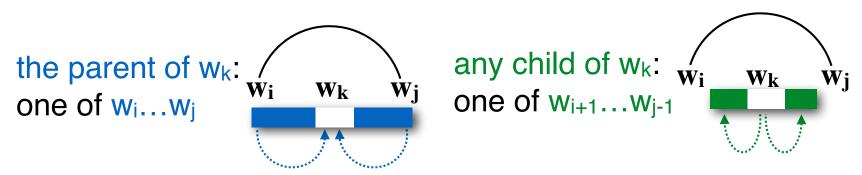
This algorithm works for projective dependency trees. Dependency tree:

Each word has a single parent (Each word is a dependent of [is attached to] one other word)

## Projective dependencies:

There are no crossing dependencies.

For any i, j, k with i < k < j: if there is a dependency between  $w_i$  and  $w_j$ , the parent of  $w_k$  is a word  $w_l$  between (possibly including) i and j:  $i \le l \le j$ , while any child  $w_m$  of  $w_k$  has to occur between (excluding) i and j: i < m < j



# Transition-based parsing

Transition-based shift-reduce parsing processes the sentence  $S = w_0w_1...w_n$  from left to right. Unlike CKY, it constructs a **single tree**.

#### **Notation:**

 $w_0$  is a special ROOT token.

 $V_S = \{w_0, w_1, ..., w_n\}$  is the vocabulary of the sentence R is a set of dependency relations

## The parser uses three data structures:

 $\sigma$ : a **stack** of partially processed words  $w_i \in V_S$ 

 $\beta$ : a **buffer** of remaining input words  $w_i \in V_S$ 

A: a set of dependency arcs  $(w_i, r, w_j) \in V_S \times R \times V_S$ 

# Parser configurations $(\sigma, \beta, A)$

## The **stack** $\sigma$ is a list of partially processed words

We push and pop words onto/off of  $\sigma$ .

 $\sigma | \mathbf{w} : \mathbf{w}$  is on top of the stack.

Words on the stack are not (yet) attached to any other words.

Once we attach w, w can't be put back onto the stack again.

## The **buffer** $\beta$ is the remaining input words

We read words from  $\beta$  (left-to-right) and push them onto  $\sigma$   $\mathbf{w}|\beta$ :  $\mathbf{w}$  is on top of the buffer.

#### The **set of arcs** A defines the current tree.

We can add new arcs to A by attaching the word on top of the stack to the word on top of the buffer, or vice versa.

# Parser configurations ( $\sigma$ , $\beta$ , A)

We start in the **initial configuration** ( $[w_0]$ ,  $[w_1,..., w_n]$ , {})

(Root token, Input Sentence, Empty tree)

We can attach the first word  $(w_1)$  to the root token  $w_0$ , or we can push  $w_1$  onto the stack.

 $(\mathbf{w_0})$  is the only token that can't get attached to any other word)

We want to end in the **terminal configuration** ([], [], A)

(Empty stack, Empty buffer, Complete tree)

Success!

We have read all of the input words (empty buffer) and have attached all input words to some other word (empty stack)

# Transition-based parsing

We process the sentence  $S = w_0w_1...w_n$  from left to right ("incremental parsing")

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In the parser configuration (\sigma | w_i, w_j | \beta, A):

w_i is on top of the stack. w_i may have some children w_j is on top of the buffer. w_j may have some children w_i precedes w_j (i < j)
```

We have to either attach  $w_i$  to  $w_j$ , attach  $w_j$  to  $w_i$ , or decide that there is no dependency between  $w_i$  and  $w_j$ 

If we reach  $(\sigma | \mathbf{w_i}, \mathbf{w_j} | \beta, \mathbf{A})$ , all words  $\mathbf{w_k}$  with  $\mathbf{i} < \mathbf{k} < \mathbf{j}$  have already been attached to a parent  $\mathbf{w_m}$  with  $\mathbf{i} \le \mathbf{m} \le \mathbf{j}$ 

# Parser actions

 $(\sigma, \beta, A)$ : Parser configuration with stack  $\sigma$ , buffer  $\beta$ , set of arcs A (w, r, w'): Dependency with head w, relation r and dependent w'

SHIFT: Push the next input word  $\mathbf{w_i}$  from the buffer  $\beta$  onto the stack  $\sigma$   $(\sigma, \mathbf{w_i} | \beta, \mathbf{A}) \Rightarrow (\sigma | \mathbf{w_i}, \beta, \mathbf{A})$ 

 $LEFT-ARC_r$ : ...  $w_i...w_j$ ... (dependent precedes the head)

Attach dependent  $w_i$  (top of stack  $\sigma$ ) to head  $w_j$  (top of buffer  $\beta$ ) with relation r from  $w_j$  to  $w_i$ . Pop  $w_i$  off the stack.

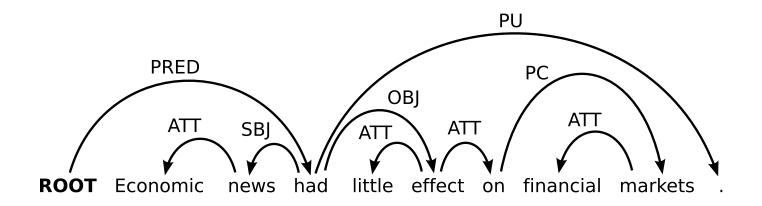
$$(\sigma|\mathbf{w_i},\mathbf{w_j}|\beta,\mathbf{A}) \Rightarrow (\sigma,\mathbf{w_j}|\beta,\mathbf{A} \cup \{(\mathbf{w_j},\mathbf{r},\mathbf{w_i})\})$$

RIGHT-ARC<sub>r</sub>: ... $\mathbf{w_{i}}$ ... $\mathbf{w_{j}}$ ... (dependent follows the head)

Attach dependent  $\mathbf{w_j}$  (top of buffer  $\beta$ ) to head  $\mathbf{w_i}$  (top of stack  $\sigma$ ) with relation  $\mathbf{r}$  from  $\mathbf{w_i}$  to  $\mathbf{w_j}$ . Move  $\mathbf{w_i}$  back to the buffer

$$(\sigma|\mathbf{w}_i,\mathbf{w}_j|\boldsymbol{\beta},\mathbf{A}) \Rightarrow (\sigma,\mathbf{w}_i|\boldsymbol{\beta},\mathbf{A} \cup \{(\mathbf{w}_i,\mathbf{r},\mathbf{w}_j)\})$$

# An example sentence & parse



Transition	Configuration		
	([ROOT],	[Economic,, .],	Ø)

Transition Configuration		
([ROOT],	[Economic,, .],	Ø)

#### 

#### 

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#### **Transition Configuration** ([ROOT], [Economic, $\dots$ , .], $\emptyset$ ) $SH \Rightarrow ([ROOT, Economic],$ [news, . . . , .], $\emptyset$ ) $LA_{ATT} \Rightarrow ([ROOT],$ $A_1 = \{(\text{news}, \text{ATT}, \text{Economic})\})$ [news, ..., .], $SH \Rightarrow ([ROOT, news],$ $[had, \ldots, .],$ $A_1$ ) $LA_{SBJ} \Rightarrow ([ROOT],$ $[had, \ldots, .],$ $A_2 = A_1 \cup \{(\text{had}, \text{SBJ}, \text{news})\})$

#### **Transition Configuration** [Economic, ..., .], ([ROOT], $\emptyset$ ) $SH \Rightarrow ([ROOT, Economic],$ $[news, \ldots, .],$ $\emptyset$ ) $LA_{ATT} \Rightarrow ([ROOT],$ [news, $\dots$ , .], $A_1 = \{(\text{news}, \text{ATT}, \text{Economic})\}$ [had, ..., .], $SH \Rightarrow ([ROOT, news],$ $A_1$ $LA_{SBJ} \Rightarrow ([ROOT],$ $[had, \ldots, .],$ $A_2 = A_1 \cup \{(\text{had}, \text{SBJ}, \text{news})\})$ $SH \Rightarrow ([ROOT, had],$ [little, . . . , .], $A_2$

#### **Transition Configuration** ([ROOT], [Economic, $\ldots$ , .], $\emptyset$ ) $SH \Rightarrow ([ROOT, Economic],$ [news, $\dots$ , .], $\emptyset$ ) $LA_{ATT} \Rightarrow ([ROOT],$ [news, $\ldots$ , .], $A_1 = \{(\text{news, ATT, Economic})\}\$ $[had, \ldots, .],$ $SH \Rightarrow ([ROOT, news],$ $A_1$ ) $LA_{SBJ} \Rightarrow ([ROOT],$ [had, ..., .], $A_2 = A_1 \cup \{(\text{had, SBJ, news})\}$ $SH \Rightarrow ([ROOT, had], [little, ..., .],$ $A_2$ ) $SH \Rightarrow ([ROOT, had, little], [effect, ..., .],$ $A_2$ )

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# Transition Configuration

```
([ROOT],
                                        [Economic, ..., .],
                                                                  \emptyset)
    SH \Rightarrow ([ROOT, Economic], [news, ..., .],
                                                                  \emptyset)
LA_{ATT} \Rightarrow ([ROOT],
                                        [news, \ldots, .],
                                                                  A_1 = \{(\text{news, ATT, Economic})\}\
    SH \Rightarrow ([ROOT, news],
                                [had, \ldots, .],
                                                                  A_1)
 LA_{SBJ} \Rightarrow ([ROOT],
                                [had, \ldots, .],
                                                                 A_2 = A_1 \cup \{(\text{had}, \text{SBJ}, \text{news})\})
    SH \Rightarrow ([ROOT, had], [little, ..., .],
                                                              A_2
    SH \Rightarrow ([ROOT, had, little], [effect, ..., .],
                                                                  A_2
LA_{ATT} \Rightarrow ([ROOT, had], [effect, ..., .],
                                                                 A_3 = A_2 \cup \{(\text{effect}, ATT, \text{little})\})
    SH \Rightarrow ([ROOT, had, effect], [on, ..., .],
                                                                  A_3)
```

## Transition Configuration

```
([ROOT],
                                     [Economic, ..., .],
                                                             \emptyset)
   SH \Rightarrow ([ROOT, Economic], [news, ..., .],
                                                             \emptyset)
                             [news, ..., .], A_1 = \{(\text{news}, \text{ATT}, \text{Economic})\}
LA_{ATT} \Rightarrow ([ROOT],
   SH \Rightarrow ([ROOT, news],
                              [had, ..., .], A_1)
LA_{SBI} \Rightarrow ([ROOT],
                              [had, ..., .], 	 A_2 = A_1 \cup \{(had, SBJ, news)\})
   SH \Rightarrow ([ROOT, had], [little, ..., .], A_2)
   SH \Rightarrow ([ROOT, had, little], [effect, ..., .],
                                                            A_2
LA_{ATT} \Rightarrow ([ROOT, had],
                             [effect, . . . , .], A_3 = A_2 \cup \{(\text{effect, ATT, little})\})
   SH \Rightarrow ([ROOT, had, effect], [on, ..., .], A_3)
   SH \Rightarrow ([ROOT, \dots on],
                                     [financial, markets, .], A_3)
```

#### **Transition Configuration**

```
([ROOT],
                                   [Economic, ..., .],
                                                          \emptyset)
   SH \Rightarrow ([ROOT, Economic], [news, ..., .],
                                                          \emptyset
                        [news, ..., .], A_1 = \{(\text{news, ATT, Economic})\}
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   SH \Rightarrow ([ROOT, had, little], [effect, ..., .],
                                                         A_2
LA_{ATT} \Rightarrow ([ROOT, had], [effect, ..., .], A_3 = A_2 \cup \{(effect, ATT, little)\})
   SH \Rightarrow ([ROOT, had, effect], [on, ..., .], A_3)
   SH \Rightarrow ([ROOT, ...on], [financial, markets, .], A_3)
   SH \Rightarrow ([ROOT, ..., financial], [markets, .],
                                                         A_3)
```

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[effect, .],

 $A_5 = A_4 \cup \{(\text{on, PC, markets})\}\$ 

 $A_6 = A_5 \cup \{(\text{effect}, ATT, \text{on})\})$ 

 $RA_{ATT} \Rightarrow ([ROOT, had],$ 

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 $A_{0}$ )

[],

 $SH \Rightarrow ([ROOT],$ 

# Transition-based parsing in practice

Which action should the parser take under the current configuration?

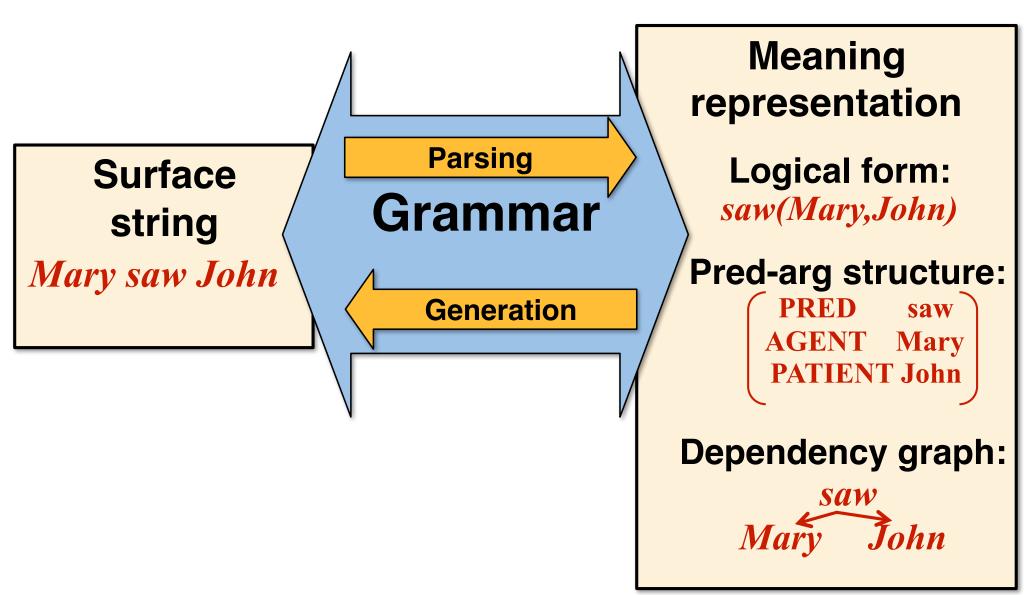
We also need a parsing model that assigns a score to each possible action given a current configuration.

- -Possible actions: SHIFT, and for any relation r: LEFT-ARC<sub>r</sub>, or RIGHT-ARC<sub>r</sub>
- -Possible features of the current configuration: The top {1,2,3} words on the buffer and on the stack, their POS tags, distances between the words, etc.

We can learn this model from a dependency treebank.

# **Expressive Grammars**

# Why grammar?



#### Grammar formalisms

Formalisms provide a **language** in which linguistic theories can be expressed and implemented

Formalisms define **elementary objects** (trees, strings, feature structures) and **recursive operations** which generate complex objects from simple objects.

Formalisms may impose **constraints** (e.g. on the kinds of dependencies they can capture)

#### How do grammar formalisms differ?

#### Formalisms define different representations

#### **Tree-adjoining Grammar (TAG):**

Fragments of phrase-structure trees

#### Lexical-functional Grammar (LFG):

Annotated phrase-structure trees (c-structure) linked to feature structures (f-structure)

#### **Combinatory Categorial Grammar (CCG):**

Syntactic categories paired with meaning representations

#### **Head-Driven Phrase Structure Grammar(HPSG):**

Complex feature structures (Attribute-value matrices)

## The dependencies so far:

#### Arguments:

Verbs take arguments: subject, object, complements, ...

Heads subcategorize for their arguments

#### Adjuncts/Modifiers:

Adjectives modify nouns, adverbs modify VPs or adjectives,

PPs modify NPs or VPs

Modifiers subcategorize for the head

Typically, these are *local* dependencies: they can be expressed *within individual CFG rules* 

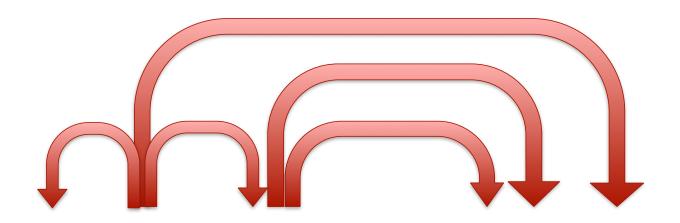


# Context-free grammars

CFGs capture only **nested** dependencies

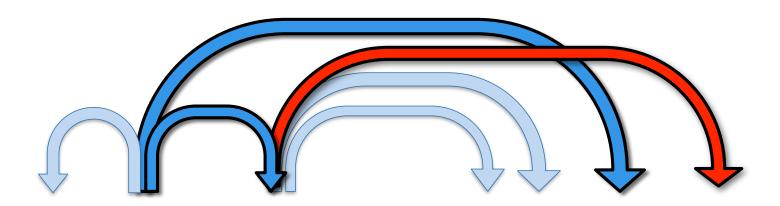
The dependency graph is a tree

The dependencies do not cross



#### Beyond CFGs: Nonprojective dependencies

Dependencies form a tree with crossing branches



# Non-projective dependencies

(Non-local) scrambling: In a sentence with multiple verbs, the argument of a verb appears in a different clause from that which contains the verb (arises in languages with freer word order than English)

Die Pizza hat Klaus versprochen zu bringen The pizza has Klaus promised to bring Klaus has promised to bring the pizza

**Extraposition:** Here, a modifier of the subject NP is moved to the end of the sentence

The <u>guy</u> is coming <u>who</u> is wearing a hat
Compare with the non-extraposed variant
The <u>[guy [who is wearing a hat]]</u> is coming

**Topicalization:** Here, the argument of the embedded verb is moved to the front of the sentence.

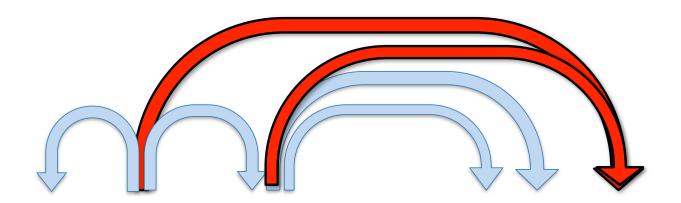
Cheeseburgers, I [thought [he likes]]

# Beyond CFGs: Nonlocal dependencies

Dependencies form a **DAG** (a node may have **multiple incoming edges**)

Arise in the following constructions:

- Control (He has promised me to go), raising (He seems to go)
- Wh-movement (the man who you saw yesterday is here again),
- Non-constituent coordination
   (right-node raising, gapping, argument-cluster coordination)

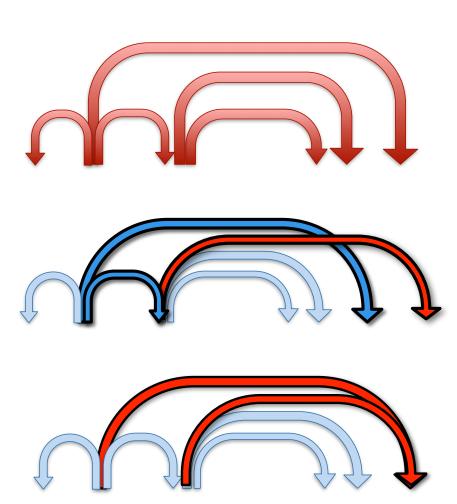


# Dependency structures

Nested (projective) dependency trees (CFGs)

Non-projective dependency trees

Non-local dependency graphs



# Non-local dependencies

## Long-range dependencies

#### Bounded long-range dependencies:

Limited distance between the head and argument

#### Unbounded long-range dependencies:

Arbitrary distance (within the same sentence) between the head and argument

Unbounded long-range dependencies cannot (in general) be represented with CFGs.

Chomsky's solution:
Add null elements (and co-indexation)

# Unbounded nonlocal dependencies

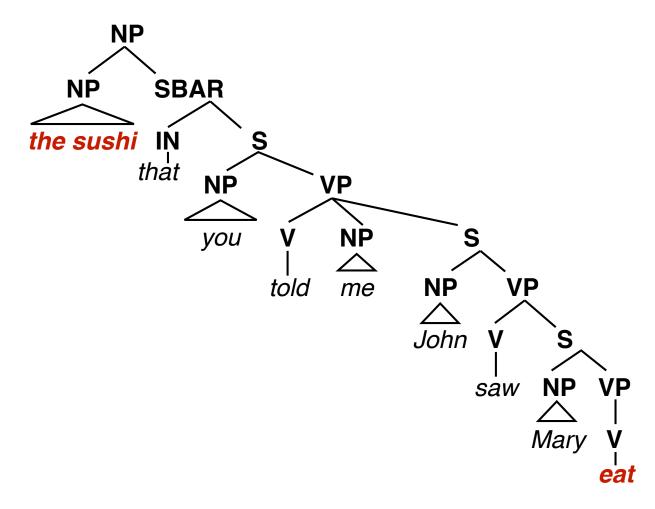
Wh-questions and relative clauses contain *unbounded* nonlocal dependencies, where the missing NP may be arbitrarily deeply embedded:

'the sushi that [you told me [John saw [Mary eat]]]'

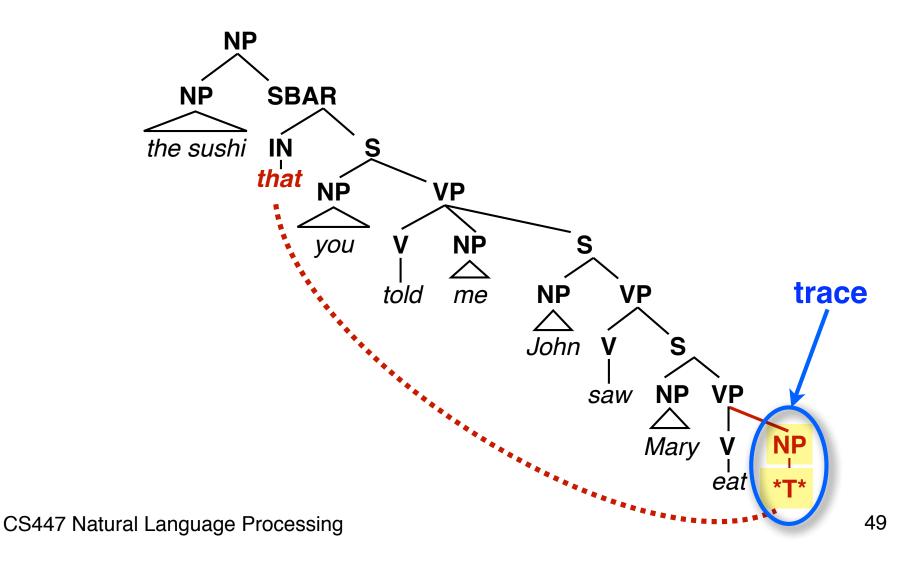
'what [did you tell me [John saw [Mary eat]]]?'

Linguists call this phenomenon wh-extraction (wh-movement).

# Non-local dependencies in *wh*-extraction



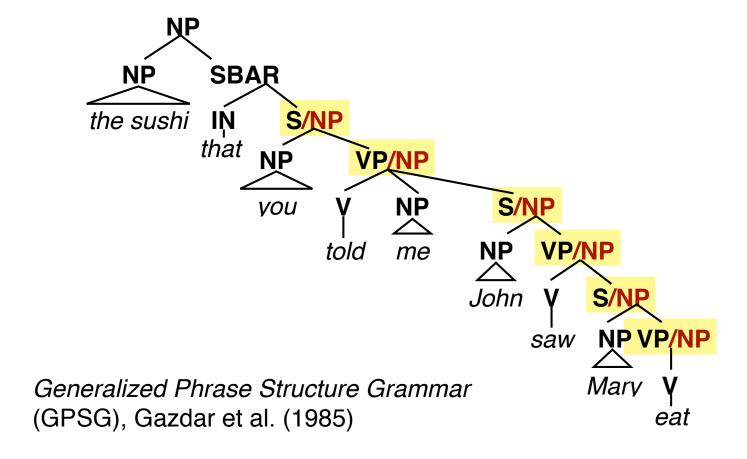
# The trace analysis of wh-extraction



## Slash categories for wh-extraction

Because only one element can be extracted, we can use slash categories.

This is still a CFG: the set of nonterminals is finite.



## German: center embedding

```
...daß ich [Hans schwimmen] sah
          Hans swim
...that I
                             saw
...that I saw [Hans swim]
...daß ich [Maria [Hans schwimmen] helfen] sah
...that I
          Maria Hans swim
                                      help
                                             saw
...that I saw [Mary help [Hans swim]]
...daß ich [Anna [Maria [Hans schwimmen] helfen] lassen] sah
...that I
       Anna Maria Hans swim
                                             help
                                                    let
                                                            saw
...that I saw [Anna let [Mary help [Hans swim]]]
```

#### Dutch: cross-serial dependencies

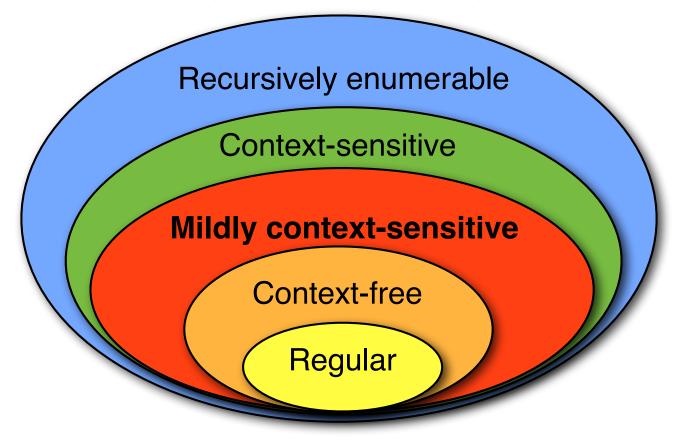
```
...dat ik Hans zag zwemmen
...that I Hans saw swim
...that I saw [Hans swim]
...dat ik Maria Hans zag helpen zwemmen
...that I Maria Hans saw help swim
...that I saw [Mary help [Hans swim]]
```

```
...dat ik Anna Maria Hans zag laten helpen zwemmen
...that I Anna Maria Hans saw let help swim
...that I saw [Anna let [Mary help [Hans swim]]]
```

Such cross-serial dependencies require mildly context-sensitive grammars

# Two mildly context-sensitive formalisms: TAG and CCG

# The Chomsky Hierarchy



# Mildly context-sensitive grammars

Contain all context-free grammars/languages

Can be parsed in polynomial time (TAG/CCG: O(n6))

(*Strong* generative capacity) capture certain kinds of dependencies: **nested** (like CFGs) and **cross-serial** (like the Dutch example), but not the MIX language:

MIX: the set of strings  $w \in \{a, b, c\}^*$  that contain equal numbers of as, bs and cs

Have the **constant growth** property: the length of strings grows in a linear way The power-of-2 language  $\{a^{2n}\}$  does not have the constant growth propery.

# TAG and CCG are lexicalized formalisms

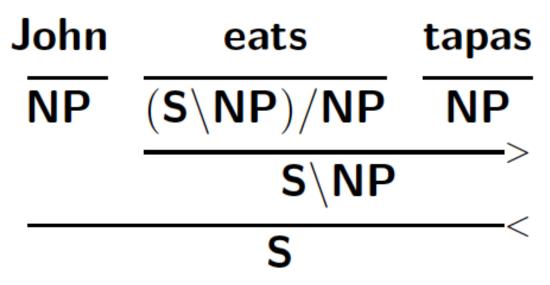
#### The lexicon:

- pairs words with elementary objects
- -specifies all language-specific information (e.g. subcategorization information)

#### The grammatical operations:

- are universal
- -define (and impose constraints on) recursion.

# A (C)CG derivation



CCG categories are defined recursively:

- Categories are atomic (S, NP) or complex (S\NP, (S\NP)/NP)
- Complex categories (X/Y or X\Y) are functions:

X/Y combines with an adjacent argument to its right of category Y to return a result of category X.

Function categories can be composed, giving more expressive power than CFGs

More on CCG in one of our Semantics lectures!

# Tree-Adjoining Grammar

# (Lexicalized) Tree-Adjoining Grammar

#### TAG is a tree-rewriting formalism:

TAG defines operations (substitution, adjunction) on trees.

The **elementary objects** in TAG are trees (not strings)

#### TAG is lexicalized:

Each elementary tree is **anchored** to a lexical item (word)

#### "Extended domain of locality":

The elementary tree contains all arguments of the anchor.

TAG requires a linguistic theory which specifies the shape of these elementary trees.

#### TAG is mildly context-sensitive:

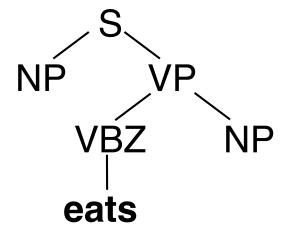
can capture Dutch cross-serial dependencies but is still efficiently parseable AK Joshi and Y Schabes (1996)
Tree Adjoining Grammars.
In G. Rosenberg and A. Salomaa,
Eds., Handbook of Formal
Languages9

## Extended domain of locality

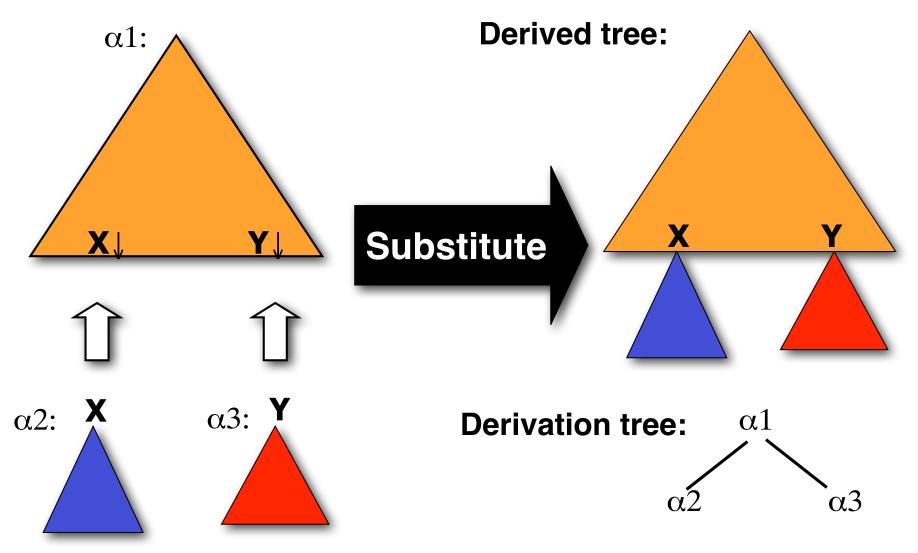
We want to capture all arguments of a word in a single elementary object.

We also want to retain certain syntactic structures (e.g. VPs).

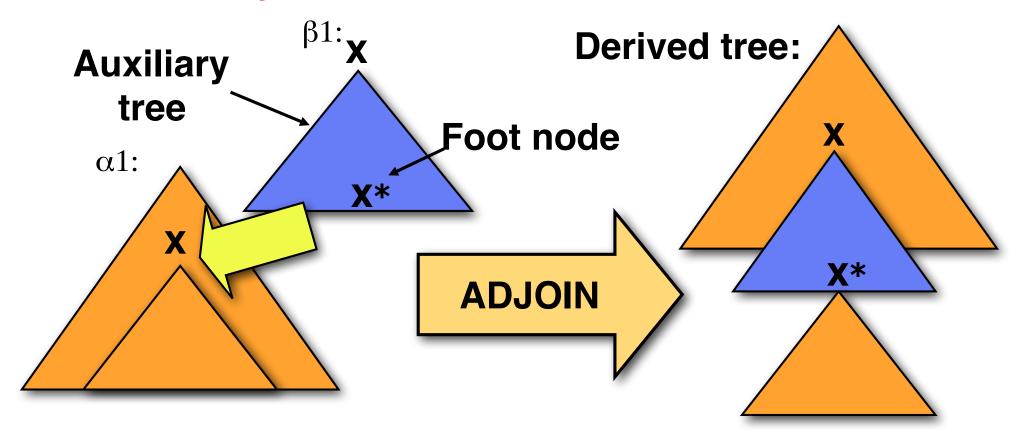
Our elementary objects are tree fragments:



# TAG substitution (arguments)

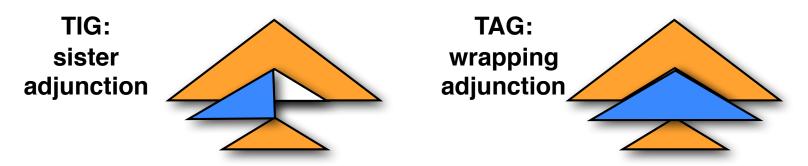


# TAG adjunction



Derivation tree:  $\alpha 1$ 

# The effect of adjunction

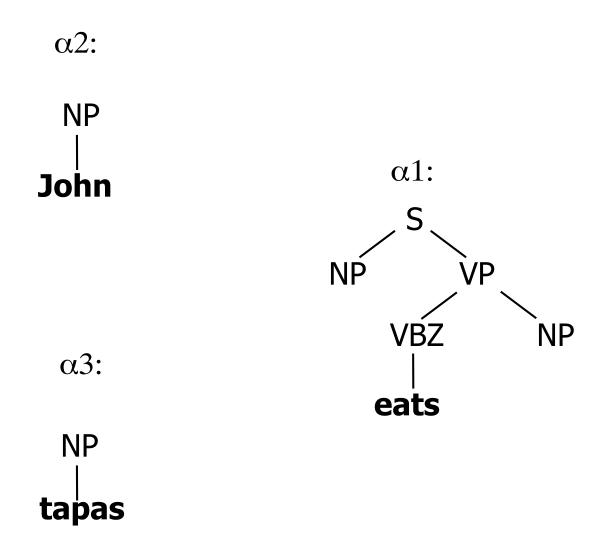


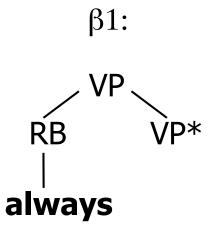
No adjunction: TSG (Tree substitution grammar) TSG is context-free

Sister adjunction: TIG (Tree insertion grammar)
TIG is also context-free, but has a linguistically more adequate treatment of modifiers

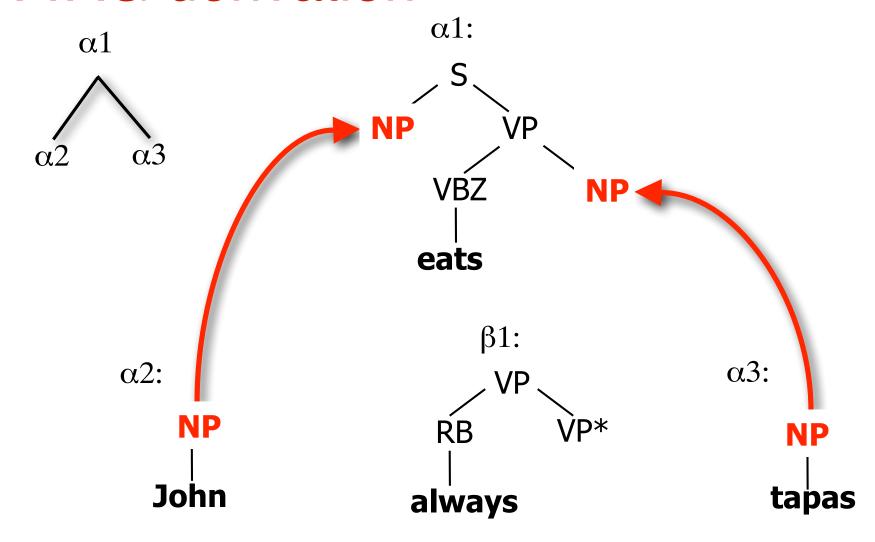
Wrapping adjunction: TAG (Tree-adjoining grammar) TAG is mildy context-sensitive

#### A small TAG lexicon

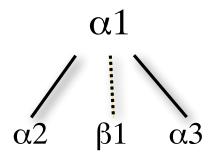


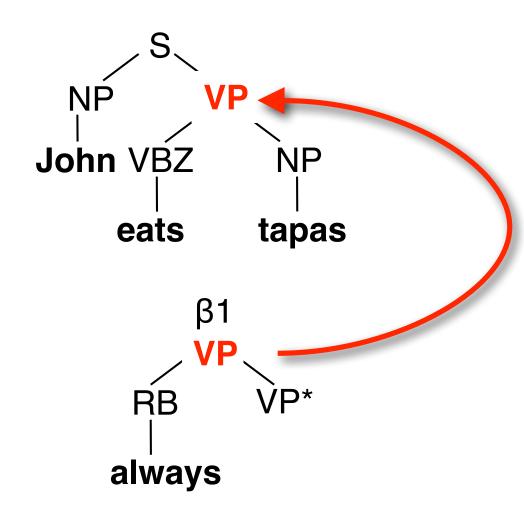


#### A TAG derivation

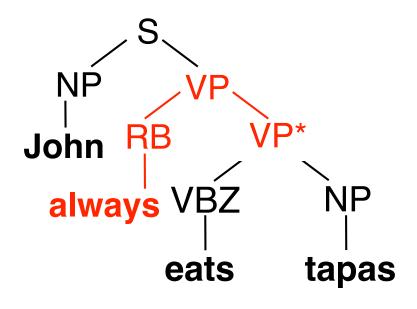


#### A TAG derivation



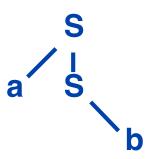


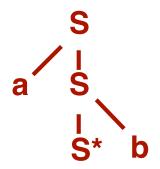
#### A TAG derivation



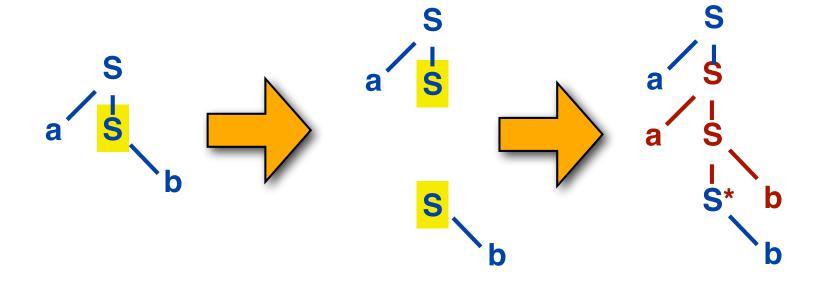
# anbn: Cross-serial dependencies

#### **Elementary trees:**





#### **Deriving aabb**



# Feature Structure Grammars

# Simple grammars overgenerate

```
S \rightarrow NP \ VP
VP \rightarrow Verb \ NP
NP \rightarrow Det \ Noun
Det \rightarrow the \ | \ a \ | \ these
Verb \rightarrow eat \ | eats
Noun \rightarrow cake \ | \ cakes \ | \ student \ | \ students
```

This generates ungrammatical sentences like "these student eats a cakes"

We need to capture (number/person) agreement

## Refining the nonterminals

$$S \rightarrow NPsg \ VPsg$$
 $S \rightarrow NPpl \ VPpl$ 
 $VPsg \rightarrow VerbSg \ NP$ 
 $VPpl \rightarrow VerbPl \ NP$ 
 $NPsg \rightarrow DetSg \ NounSg$ 
 $DetSg \rightarrow the \mid a$ 

This yields very large grammars.

What about person, case, ...?

Difficult to capture generalizations.

Subject and verb have to have number agreement *NPsg*, *NPpl* and *NP* are three distinct nonterminals

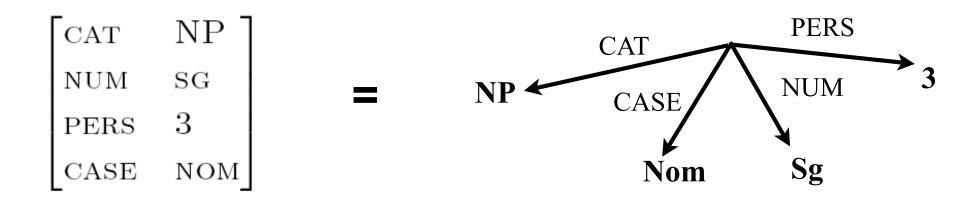
#### Feature structures

Replace atomic categories with feature structures:

A feature structure is a list of features (= attributes), e.g. CASE, and values (eg NOM).

We often represent feature structures as attribute value matrices (AVM)
Usually, values are typed (to avoid CASE:SG)

# Feature structures as directed graphs



## Complex feature structures

We distinguish between atomic and complex feature values.

A complex value is a feature structure itself.

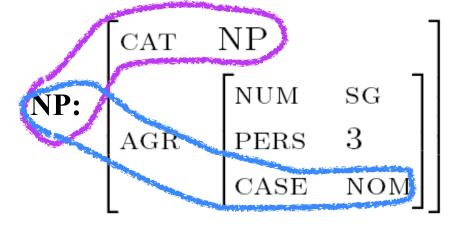
This allows us to capture better generalizations.

#### Only atomic values:

#### Complex values:

$$\begin{bmatrix} \text{CAT} & \text{NP} \\ & \begin{bmatrix} \text{NUM} & \text{SG} \\ \text{PERS} & 3 \\ & \text{CASE} & \text{NOM} \end{bmatrix} \end{bmatrix}$$

## Feature paths



A feature path allows us to identify particular values in a feature structure:

$$\langle \mathbf{NP} \ \mathbf{CAT} \rangle = \mathbf{NP}$$
  
 $\langle \mathbf{NP} \ \mathbf{AGR} \ \mathbf{CASE} \rangle = \mathbf{NOM}$ 

#### Unification

Two feature structures A and B unify (A ⊔ B) if they can be merged into one consistent feature structure C:

$$\begin{bmatrix} \text{CAT} & \text{NP} \\ \text{NUM} & \text{SG} \\ \text{CASE} & \text{NOM} \end{bmatrix} \sqcup \begin{bmatrix} \text{CAT} & \text{NP} \\ \text{PERS} & 3 \end{bmatrix} = \begin{bmatrix} \text{CAT} & \text{NP} \\ \text{NUM} & \text{SG} \\ \text{PERS} & 3 \\ \text{CASE} & \text{NOM} \end{bmatrix}$$

Otherwise. unification fails:

$$\begin{bmatrix} \text{CAT} & \text{NP} \\ \text{NUM} & \text{SG} \\ \text{CASE} & \text{NOM} \end{bmatrix} \sqcup \begin{bmatrix} \text{CAT} & \text{NP} \\ \text{NUM} & \text{PL} \end{bmatrix} = \emptyset$$

# PATR-II style feature structures

CFG rules are augmented with constraints:

$$A_0 \rightarrow A_1 \dots A_n$$
 {set of constraints}

There are two kinds of constraints:

#### Unification constraints:

 $\langle \mathbf{A_i} \text{ feature-path} \rangle = \langle \mathbf{A_j} \text{ feature-path} \rangle$ 

#### Value constraints:

 $\langle \mathbf{A_i} \text{ feature-path} \rangle = \text{ atomic value}$ 

# A grammar with feature structures

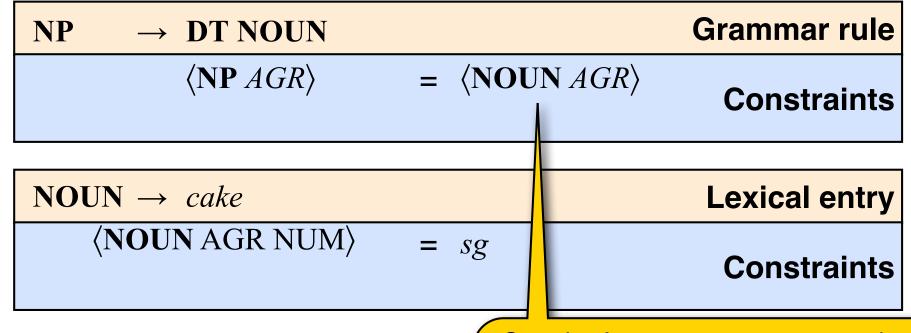
$S \longrightarrow$	NP VP		Grammar rule
	⟨NP NUM⟩ ⟨NP CASE⟩	$= \langle \mathbf{VP}  NUM \rangle$ $= nom$	Constraints

$NP \rightarrow DT$	NOUN	Grammar rule
}	·	$\begin{array}{c} \text{NOUN } NUM \rangle \\ \text{NOUN } CASE \rangle \end{array}$ Constraints

$NOUN \rightarrow cake$		Lexical entry
⟨NOUN NUM⟩	= sg	Constraints

## With complex feature structures

$S \longrightarrow$	NP VP		Grammar rule
	$\langle \mathbf{NP} \ AGR \rangle$ $\langle \mathbf{NP} \ CASE \rangle$	$= \langle \mathbf{VP}  AGR \rangle$ $= nom$	Constraints



Complex feature structures capture better generalizations (and hence require fewer constraints) — cf. the previous slide

# Attribute-Value Grammars and CFGs

If every feature can only have a finite set of values, any attribute-value grammar can be compiled out into a (possibly huge) context-free grammar

# Going beyond CFGs

The power-of-2 language:  $L_2 = \{w^i \mid i \text{ is a power of } 2\}$   $L_2$  is a (fully) context-sensitive language. (*Mildly* context-sensitive languages have the **constant growth property** (the length of words always increases by a constant factor c))

#### Here is a feature grammar which generates L<sub>2</sub>:

$$A \rightarrow a$$

$$\langle A F \rangle = 1$$
 $A \rightarrow A_1 A_2$ 

$$\langle A F \rangle = \langle A_1 \rangle$$

$$\langle A F \rangle = \langle A_2 \rangle$$

# Today's key concepts

Transition-based dependency parsing for projective dependency trees

#### Going beyond projective dependencies:

non-projective dependencies non-local dependencies

#### **Expressive Grammars**

TAG

CCG

Feature-Structure Grammars