Lecture 19

Gossiping

Reading: Section 18.4 (relevant parts)

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Passive (Primary-Backup) Replication

- **Request Communication:** the request is issued to the primary RM and carries a unique request id.

- **Coordination:** Primary takes requests atomically, in order, checks id (resends response if not new id.)

- **Execution:** Primary executes & stores the response

- **Agreement:** If update, primary sends updated state/result, req-id and response to all backup RMs (1-phase commit enough).

- **Response:** primary sends result to the front end
Active Replication

- **Request Communication**: The request contains a unique identifier and is multicast to all by a reliable totally-ordered multicast.

- **Coordination**: Group communication ensures that requests are delivered to each RM in the same order (but may be at different physical times!).

- **Execution**: Each replica executes the request. (Correct replicas return same result since they are running the same program, i.e., they are *replicated protocols* or *replicated state machines*)

- **Agreement**: No agreement phase is needed, because of multicast delivery semantics of requests

- **Response**: Each replica sends response directly to FE
Eager versus Lazy

• Eager replication, e.g., B-multicast, R-multicast, etc. (previously in the course)
  – Multicast request to all RMs immediately

• Alternative: Lazy replication
  – “Don’t hurry; Be lazy.”
  – Allow replicas to converge eventually and lazily
  – Propagate updates and queries lazily, e.g., when network bandwidth available
  – Allow other RMs to be disconnected/unavailable
  – May provide weaker consistency than sequential consistency, but improves performance

• Lazy replication can be provided by using gossiping
Multicast

Process with a piece of information to be communicated to everyone

Distributed Group of Processes at Internet-based hosts
Fault-tolerance and Scalability

Multicast sender

- Process crashes
- Packets may be dropped
- Possibly 1000’s of processes

Multicast Protocol
Centralized (B-multicast)

- Simplest implementation
- Problems?

UDP/TCP packets
R-multicast

- Reliability (atomicity)
- Overhead is quadratic in N

+ Every process B-multicasts the message

UDP/TCP packets
Tree-Based

- Application-level: SRM, RMTP, TRAM, TMTP
- Also network-level: IP multicast
- Tree setup and maintenance
- Problems?

UDP/TCP packets
A Third Approach

Multicast sender
Periodically, transmit to $b$ random targets.
Other processes do the same after receiving multicast Gossip messages (UDP)
“Epidemic” Multicast (or “Gossip”)

Protocol rounds (local clock)

*b* random targets per round

Gossip Message (UDP)
Properties

Claim that this simple protocol
• Is lightweight in large groups
• Spreads a multicast quickly
• Is highly fault-tolerant
• For analysis purposes, assume loose synchronization and # gossip targets (i.e., b) = 1
• In the first few rounds, gossip spreads like a tree
  – Very few processes receive multiple gossip messages
• If \( q(i) = \) fraction of non-infected processes after round i, then \( q(i) \) is initially close to 1, and later:
  \[ q(i+1) = q(i) \times (1 - \frac{1}{N})^N \times (1 - q(i)) \]
  – Prob. (given process is non-infected after i+1) =
    Prob. (given process was non-infected after i) TIMES
    Prob. (not being picked as gossip target during round i+1)
  – \( N(1-q(i)) \) gossips go out, each to a random process
  – Probability of a given non-infected process not being picked by
    any given gossip is \((1-1/N)\)

Source: “Epidemic algorithms for replicated database management”, Demers et al
http://dl.acm.org/citation.cfm?id=41841&bnc=1
Gossip is fast and lightweight

(1) In first few rounds, takes $O(\log(N))$ rounds to get to about half the processes
   - Think of a binary tree

• Later, if $q(i)$ is the fraction of processes that have not received the gossip after round $i$, then:
  • $q(i+1) = q(i)(1 - 1/N)^N(1 - q(i))$
  • For large $N$ and $q(i+1)$ close to 0, approximates to:
    • $q(i+1) \approx q(i)e^{1}$

(2) In the end game, it takes $O(\log(N))$ rounds for $q(i+1)$ to be whittled down to close to 0

(1)+(2) = $O(\log(N))$

• = Latency of gossip with high probability
• = Average number of gossips each process sends out

Source: “Epidemic algorithms for replicated database management”, Demers et al
http://dl.acm.org/citation.cfm?id=41841&bnc=1
Fault-tolerance

• Packet loss
  – 50% packet loss: analyze with $b$ replaced with $b/2$
  – To achieve same reliability as 0% packet loss, takes twice as many rounds
  – Work it out!

• Process failure
  – 50% of processes fail: analyze with $N$ replaced with $N/2$ and $b$ replaced with $b/2$
  – Same as above
  – Work it out!
With failures, is it possible that the epidemic might die out quickly?

Possible, but improbable:
- Once a few processes are infected, with high probability, the epidemic will not die out
- So the analysis we saw in the previous slides is actually behavior *with high probability*

Think: why do rumors spread so fast? why do infectious diseases cascade quickly into epidemics? why does a worm like Blaster spread rapidly?
So,…

- Is this all theory and a bunch of equations?
- Or are there implementations yet?
Some implementations

- Amazon Web Services EC2/S3 (rumored)
- Clearinghouse project: email and database transactions [PODC ‘87]
- refDBMS system [Usenix ‘94]
- Bimodal Multicast [ACM TOCS ‘99]
- Ad-hoc networks [Li Li et al, Infocom ‘02]
- Delay-Tolerant Networks [Y. Li et al ‘09]
- Usenet NNTP (Network News Transport Protocol)! [‘79] – Newsgroup servers use gossip
NNTP Inter-server Protocol

1. Each client uploads and downloads news posts from a news server.

2. Server retains news posts for a while, transmits them lazily, deletes them after a while.
Gossip-style Membership

Array of Heartbeat Seq. \( I \) for member subset

\[ pi \]

😊 Good accuracy properties
Gossip-Style Failure Detection

**Protocol**

- Each process maintains a membership list
- Each process periodically increments its own heartbeat counter
- Each process periodically gossips its membership list
- On receipt, the heartbeats are merged, and local times are updated

<table>
<thead>
<tr>
<th>Address</th>
<th>Heartbeat Counter</th>
<th>Time (local)</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>10120</td>
<td>66</td>
</tr>
<tr>
<td>2</td>
<td>10103</td>
<td>62</td>
</tr>
<tr>
<td>3</td>
<td>10098</td>
<td>63</td>
</tr>
<tr>
<td>4</td>
<td>10111</td>
<td>65</td>
</tr>
</tbody>
</table>

Current time : 70 at node 2
(asynchronous clocks)
Gossip-Style Failure Detection

Now you know:
- In a group of $N$ processes, it takes $O(\log(N))$ time for a heartbeat update to propagate to everyone with high probability
- Very robust against failures – even if a large number of processes crash, most/all of the remaining processes still receive all heartbeats

Failure detection: If the heartbeat has not increased for more than $T_{\text{fail}}$ seconds, the member is considered failed
- $T_{\text{fail}}$ usually set to $O(\log(N))$.

But entry not deleted immediately: wait another $T_{\text{cleanup}}$ seconds (usually $= T_{\text{fail}}$)

Why not delete it immediately after the $T_{\text{fail}}$ timeout?
Gossip-Style Failure Detection

• What if an entry pointing to a failed node is deleted right after $T_{fail} (=24)$ seconds?

• Fix: remember for another $T_{fail}$

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Current time: 75 at node 2
Selecting Gossip Partners

• The frequency with which RMs send gossip messages depends on the application.

• Policy for choosing a partner to exchange gossip with:
  – Random policies: choose a partner randomly (perhaps with weighted probabilities)
    » Fastest, does not pay attention to updates, not so good on topology
  – Deterministic policies: a RM can examine its timestamp table and choose the RM that is the furthest behind in the updates it has received.
    » Somewhat fast, pays attention to updates, not so good on topology
  – Topological policies: choose gossip targets based on round-trip times (RTTs), or network topology.
Multi-level Gossiping

- Network topology is hierarchical
- Random gossip target selection => core routers face $O(N)$ load (Why?)

- **Fix**: Select gossip target in subnet $i$, which contains $n_i$ nodes, with probability $1/n_i$
- Router load=$O(1)$
- Dissemination time=$O(\log(N))$
  - Why?

- Can extend to multi-level hierarchical topology

![Diagram of network topology]
Gossipping Architecture: Query and Update Operations
Gossiping Architecture

• The RMs exchange “gossip” messages
  (1) periodically and (2) amongst each other. Gossip
  messages convey updates they have each received from
  clients, and serve to achieve anti-entropy (convergence of
  all RMs).

• Properties:
  – Each client obtains a consistent service over time: in response to a
    query, an RM may have to wait until it receives “required” updates
    from other RMs. The RM then provides client with data that at least
    reflects the updates that the client has observed so far.
  – Relaxed consistency among replicas: RMs may be inconsistent at any
    given point of time. Yet all RMs eventually receive all updates and they
    apply updates with ordering guarantees.

• Provides eventual consistency
Various Timestamps

- Virtual timestamps are used to control the order of operation processing. The timestamp contains an entry for each RM (i.e., it is a vector timestamp).
- Each front end keeps a vector timestamp, \textit{prev}, that reflects the latest data values accessed by that front end. The FE sends this along with every request it sends to any RM.
- Replies to FE:
  - When an RM returns a value as a result of a query operation, it supplies a new timestamp, \textit{new}.
  - An update operation returns a timestamp, \textit{update id}.
- Each returned timestamp is \textit{merged} with the FE’s previous timestamp to record the data that has been observed by the client.
  - Merging is a pairwise max operation applied to each element i (from 1 to N)
Front ends Propagate Their Timestamps

Since client-to-client communication can also lead to causal relationships between operations applied to services, the FE piggybacks its timestamp on messages to other clients.

Expanded on next slide…
A Gossip Replica Manager

- Gossip messages
  - Other replica managers
  - Replica manager
  - Timestamp table
  - Replica timestamp
    - Update log
  - Replica log
  - Executed operation table
  - Value
  - Valuetimestamp
  - OperationID
  - Update
  - Prev
  - FE
  - FE

Stable updates
• **Value**: value of the object maintained by the RM.
• **Value timestamp**: the timestamp that represents the updates reflected in the value. Updated whenever an update operation is applied.
• **Update log**: records all update operations as soon as they are received, until they are reflected in Value.
  - Keeps all the updates that are not stable, where a **stable update** is one that has been received by all other RMs and can be applied consistently with its ordering guarantees.
  - Keeps stable updates that have been applied, but cannot be purged yet, because no confirmation has been received from all other RMs.
• **Replica timestamp**: represents updates that have been accepted by the RM into the log.
• **Executed operation table**: contains the FE-supplied ids of updates (stable ones) that have been applied to the value.
  - Used to prevent an update being applied twice, as an update may arrive from a FE and in gossip messages from other RMs.

• **Timestamp table**: contains, for each other RM, the latest timestamp that has arrived in a gossip message from that other RM.
The $i$th element of a vector timestamp held by $RM_i$ corresponds to the total number of updates received from FEs by $RM_i$.

The $j$th element of a vector timestamp held by $RM_i$ ($j$ not equal to $i$) equals the number of updates received by $RM_j$ that have been forwarded to $RM_i$ in gossip messages.
Update Operations

- Each update request \( u \) contains
  - The update operation, \( u.op \)
  - The FE’s timestamp, \( u.prev \)
  - A unique id that the FE generates, \( u.id \).

- Upon receipt of an update request, the RM \( i \)
  - Checks if \( u \) has been processed by looking up \( u.id \) in the executed operation table and in the update log.
  - If not, increments the \( i \)-th element in the replica timestamp by 1 to keep track of the number of updates directly received from FEs.
  - Places a record for the update in the RM’s log.
    
    \[
    \text{logRecord} := <i, ts, u.op, u.prev, u.id>
    \]
    
    where \( ts \) is derived from \( u.prev \) by replacing \( u.prev \)’s \( i \)th element by the \( i \)th element of its replica timestamp.
  - Returns \( ts \) back to the FE, which merges it with its timestamp.
The stability condition for an update \( u \) is

\[
u.\text{prev} \leq valueTS
\]

i.e., All the updates on which this update depends have already been applied to the value.

When the update operation \( u \) becomes stable, the RM does the following

- \( value := \text{apply}(value, u.\text{op}) \)
- \( valueTS := \text{merge}(valueTS, ts) \) (update the value timestamp)
- \( \text{executed} := \text{executed} U \{u.\text{id}\} \) (update the executed operation table)
Exchange of Gossiping Messages

- A gossip message $m$ consists of the log of the RM, $m.log$, and the replica timestamp, $m.ts$.
  - Replica timestamp contains info about non-stable updates
- An RM that receives a gossip message $m$ has three tasks:
  - (1) Merge the arriving log with its own.
    - Let replicaTS denote the recipient RM’s replica timestamp.
      A record $r$ in $m.log$ is added to the recipient’s log unless $r.ts \leq replicaTS$.
    - $replicaTS \leftarrow merge(replicaTS, m.ts)$
  - (2) Apply any updates that have become stable but have not yet been executed (stable updates in the arrived log may cause some pending updates to become stable)
  - (3) Garbage collect: Eliminate records from the log and the executed operation table when it is known that the updates have been applied everywhere.
Query Operations

• A query request $q$ contains the operation, $q.op$, and the timestamp, $q.prev$, sent by the FE.

• Let $valueTS$ denote the RM’s value timestamp, then $q$ can be applied if

$$q.prev \leq valueTS$$

• The RM keeps $q$ on a hold back queue until the condition is fulfilled.
  - If $valueTS$ is (2,5,5) and $q.prev$ is (2,4,6), then one update from RM$_3$ is missing.

• Once the query is applied, the RM returns $new \leftarrow valueTS$

  to the FE (along with the value), and the FE merges $new$ with its timestamp.
More Examples

• **Bayou**
  – Replicated database with weaker guarantees than sequential consistency
  – Uses gossip, timestamps and concept of *anti-entropy*
  – Section 15.4.2

• **Coda**
  – Provides high availability in spite of disconnected operation, e.g., roving and transiently-disconnected laptops
  – Based on AFS
  – Aims to provide *Constant data availability*
  – Section 15.4.3
Employing decent algorithms for the present lecture.

- Reading for this lecture: Section 18.4
- MP3: By now you must have a design and must have started coding