## CS 421 Lecture 12: More code generation

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- MP5 posted
- Compass issues
- Midterm pre-review
- Lecture outline
- Compiling in context
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- Break statements
- Short-circuit evaluation of boolean expressions
- Switch statements
- Arrays
- Code optimization


## Announcements

- MP5 posted
- Parser for MiniJava
- Due 1:00pm Wed, July 1
- Compass issues
- Midterm pre-review
- Next Tuesday: midterm review session
- Past exams and sample questions posted later today
- See the "Exams" section of the web site
- Submit your questions on the class newsgroup
- In the "Midterm review questions" topic


## Review: compiler back-end



## Notation

- Old:
" [ S ] = generated code for S
- [ e ] = generated code for e
- New:
- Use subscripts on brackets for additional arguments
- [ S ] is compiled code for $S$, assuming S occurs within a switch statement labeled L .
- [e] is compiled code for e , assigned to variable x


## Assignment statements

- Old scheme:

$$
[x=e]=\text { let }(I, t)=[e] \text { in } I ; x=t
$$

- Can give poor resuts:
[ $\mathrm{x}=3$ ] $=\mathrm{t}=3$; $\mathrm{x}=\mathrm{t}$
[ $x=x+1]=t_{1}=1 ; t_{2}=x+t_{1} ; x=t_{2}$
- Compile expressions in context of target location:

```
[ e ]x = code to calculate value of e and store it in x
    [ e ]x : instructruction list
```


## Examples

- Expressions within a variable context

```
[ x=e ] = [ e ]x
[ n ] x = "x = n"
[ y ]x = "x = y" (if y a different variable from x; \varepsilon otherwise)
[ e1+e2 ]x = let t = newloc() in
    [ e1 ]t; [ e2 ]_; x = x + t
[ x=x+1 ] =
[ x=1+x ] =
```


## break statements

- Definition: breaks from one level of switch or while
" Cannot translate "break" without knowing the context
- [ S ] $]_{L}$ = code for statement S, given that S occurs inside a switch or while statement, and L is the label just after that enclosing statement.
- More generally:
[ break $]_{\text {Lb, Lc }}=$ JUMP $L_{b}$
[ continue $]_{\text {Lb, Lc }}=$ JUMP $L_{c}$


## Example: while

- Old method (no break/continue)

```
[ while e do S1 ] = JUMP L2
    L1: [ S1 ]
    L2: I
        CJUMP t, L1, L3
    L3:
```

- New method (break/continue OK)

```
[
while e do S ] = JUMP L2
    L1: [ S ] L3,L2
    L2: [ e ]
        CJUMP t,L1,L3
```

    L3:
    
## Boolean expressions

- Current method: boolean expressions evaluated like any other, placing value in a temporary location:

```
[ e1 < e2 ] = let (I1,t1) = [ e1 ], (I2,t2) = [ e2 ], t = newloc()
    in (I1; I2; t = t1 < t2, t)
[ e1 && e2 ] = let (I1,t1) = [ e1 ], (I2,t2) = [ e2 ], t = newloc()
    in (I1; I2; t = t1 && t2, t)
[ if e then S1 else S2 ] = let (I,t) = [ e ], ...
    in (I; CJUMP t,L1,L2; ...)
```

- What's wrong with this?


## Example

[ if $(x<y$ \&\& $y<z)$ then $S 1$ else S2 ] =

## Short-circuit evaluation

- Improved method:

```
[ e1 \&\& e2 ] = let \(t=\) newloc(),
            \(I 1=[e 1]_{t}\),
            I2 \(=[\mathrm{e} 2]_{\mathrm{t}}\),
            \(\mathrm{L} 1, \mathrm{~L} 2=\) newlabel()
in (II
    CJUMP t, L1, L2
L1: I2
L2: ... , t)
```

- t contains value of e1 \&\& e2
- e2 is evaluated only if needed


## Example

```
[ if (x < y && y < z) then S1 else S2 ] = let ... in
            t = x < y
            CJUMP t, L1, L3
L1: t = y < z
    CJUMP t, L2, L3
L2: [ S1 ]
        JUMP L4
L3: [ S2 ]
L4:
```

- What's wrong now?


## Compiling boolean exprs in context

- Get better code if boolean expression can jump to correct label as soon as possible
- [e $]_{L t, L f}=$ code that calculates $e$ and jumps to $L_{t}$ if it is true, $L_{f}$ if it is false.
- The code does not save the value anywhere
- Examples
[ true $]_{\text {Lt, Lf }}=$
$[!e]_{\text {Lt, Lf }}=$


## Compiling boolean exprs in context

$[\mathrm{e}<\mathrm{e} 2]_{\mathrm{Lt}, \mathrm{Lf}}=$
$\left[\begin{array}{ll}\text { e1 } & \& \& 2\end{array}\right]_{\text {Lt,Lf }}=$
[ e1 || e2 $]_{\text {Lt,Lf }}=$

## Compiling boolean exprs in context

[ while e do S ] =
[ if e then $S 1$ else S2 ] =

## Example

$$
[\text { if }(x<y \& \& y<z) \text { then S1 else S2 ] = }
$$

## Compiling switch statement

- Use "jump table" and address calculation

```
[ switch (e) {
    case 0: SO;
        break;
    case 1: S1;
    break;
    }]
```

```
let (I,t) = [ e ] in
    I
        \delta = t*4
        i = table + \delta
        JUMPIND i
    LO: [ SO ]
        JUMP L
    L1: [ S1 ]
    L:
table: L0,L1, ...
```


## Compiling object references

- In expression e.t:
- Type of e is known; call its class C
- Location of field t within C is known; say its offset is o
- [ e ] will produce (I, t ), where t contains pointer to object

```
[ e.t ] = let (I,t) = [ e ]
                                    t1 = newloc()
in (I; t1 = t + o, t1)
```

- t1 is the address of e.x. To get value, add:

```
t2 = LOADIND t1
```

- Method calls e.t(...) more complicated - will discuss in future classes


## Compiling array references

- Simple rule: if A has elements of type T, and if elements of type T occupy $n$ bytes, then address of $A[i]$ is address of $A+i * n$.

```
[ A[e] ] = let (I,t) = [ e ]
    in (I
                t1 = &A
            t2 = t * w (w = size of A's elements)
            t3 = t1 + t2
            t4 = LOADIND t3,
                t4)
```


## Compiling array references

- Idea extends to multi-dimensional arrays
- Traditional 2D arrays (C, FORTRAN)

| $A_{0,0}$ | $\ldots$ | $A_{0, m-1}$ | $A_{1,0}$ | $\ldots$ | $A_{1, m-1}$ | $\ldots$ | $A_{n-1,0}$ | $\ldots$ | $A_{n-1, m-1}$ |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |

```
[ A[i][j] ] = t1 = &A
    t2 = i * 4 * m
    t3 = t1 + t2
    t4 = j * 4
    t5 = t3 + t4
    t6 = LOADIND t5
```


## Compiling array references

- 2D arrays (Java)
- Use LOADIND t3 for location of array; use 4 instead of $4^{*} m$



## Machine-independent optimizations

- Optimizations that can be done a the level of IR
- I.e., does not depend upon features of the target machine such as registers, pipeline, special instructions
- E.g., "loop-invariant code motion":

```
int A[100][100]
while (j < n) {
    x = x + A[i][j]
    j++;
}
```

```
    t1 = &A
    t2 = i*100
L1: t3 = t2 + j
    t4 = t3 * 4
    t5 = t1 + t4
    t6 = LOADIND t5
    x = x + t6
    j = j + 1
    CJUMP ...,L1,L2
```

L2:

## Machine-dependent optimizations

- Optimizations that exploit features of the target machine such as registers, pipeline, special instructions
- Register allocation
- Instruction selection
- Instruction scheduling

