# CS 421 Lecture 2: More OCaml

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  - Lists and pattern-matching

### Announcements

- Reminder: MP1 due 1:00PM CDT Wednesday
  - EWS machines to use: remlnx, gllnx1-40 (.ews.uiuc.edu)
- No "live" lectures next Monday & Tuesday (June 8, 9)
  - Pre-recorded lecture videos will be posted on the web site
- Limited course staff availability this weekend
  - Friday Sunday you are on your own!

# More OCaml

- Functional language rely on *expression evaluation* rather than *statement execution*
  - Heavy use of recursion
  - Type inference
  - Dynamic memory allocation
  - "Higher-order functions" (will be covered in the second half of the course)

# Types

- Basic: int, string, ...
- Function:  $\tau_1 \rightarrow \tau_2 \rightarrow \ldots \rightarrow \tau_n \rightarrow \tau$ 
  - *e.g.* int  $\rightarrow$  int  $\rightarrow$  int
- Later in this class: tuples, lists

#### Let expressions

At "top level," use let to define variables and functions

Use "let rec" for recursive definitions, *e.g.*:

let rec sumsqrs m =
 if m=0 then 0 else m\*m + sumsqrs (m-1);;

### Nested let definitions

let f x y = let f' a = a ^ "\n"  
in f' 
$$(x^y)$$

```
let sumsqrs n =
   let rec aux m =
        if m>n then 0
        else m*m + aux (m+1)
        in aux 1;;
```

# **Further Examples**

### Scope

- Set of variables accessible at a given point.
- Let's look at Java first. Basic rule: *closest enclosing declaration.*

```
class A {
    int x=3;
    void foo(int x) {
        System.out.println(x);
        for(int i=0; i<5; i++) {
            System.out.println(i);
        }
        System.out.println(i);
    }
}</pre>
```

# Scope in OCaml

# Scoping rules in OCaml

• Top level:

let  $x = \dots$ ;; Scope of x?

let f a = ... ;; Scope of f, a?

Scope of e  
e : let 
$$x = e_1 in e_2$$
  
Scope of e + x

e – all names defined up to this point

# Scoping rules in OCaml



Scope of ??

Scope of ??  
e : let rec f x = 
$$e_1$$
 in  $e_2$ 

Scope of ??

# Why let rec?

• To understand let rec, consider this definition:

let f x =  $x^*x;$ ; let f x = ... f (x-1) ... in ...

- It is legal if the entire let expression is in the scope of a definition of f (with the right type).
- In that case, the expression f (x-1) refers to the prior definition of f – not what we intended!

# **Mutual recursion**

#### Does this work?

let rec even n =
 if n=0 then true
 else odd (n-1)
and odd n =
 if n=0 then false
 else even(n-1);;

#### And this?

let rec even n =
 let rec odd n =
 if n=0 then ...
 in if n=0 then ...

What's different here...

vs. here?

# **Tuples in OCaml**

- Consider structs in C, or Java classes with public fields and no methods (and just one constructor).
- Example:

```
class Pr { public int x;
    public string x;
    public Pr(int x, int s) {
       this.x = x; this.s = s;
    }
}
```

 Purpose: put several values together into a single object that can be passed to, or returned from, methods.

## **Tuples**

In Java, clients of class Pr do this: Pr p = new Pr(3, "tim");

... p.x ... p.s ...

- Ocaml: create pair with no calss definition needed: let p = (3, "tim") ... fst p ... snd p ...
- Type of p is "int \* string"
- Pairs in Ocaml serve same purpose as structs in C, Java

### **Tuples**

Can have as many values as you wish in a tuple: (3, "rick", 4.0) : int \* string \* float

("ted", "bill") : string \* string

let b = (3, (a', 4)) : ??

How would we extract `a' from this?

 However, functions fst and snd work *only* on pairs. To define functions on other tuples you need...

## Pattern matching

Two ways to define the same function

let sum p = (fst p) + (snd p)let sum (a,b) = a+b

• Both define the same function of type int \* int  $\rightarrow$  int

#### • Examples:

let  $fst_of_3(x, y, z) = x;;$ 

let incr\_fst\_of\_3 (x, y, z) = x+1;;

### "Polymorphic" types

let 
$$fst_of_3(x, y, z) = x;;$$

'a \* 'b \* 'c  $\rightarrow$  'a

let incr\_fst\_of\_3 (x, y, z) = x+1;;

int \* 'a \* 'b  $\rightarrow$  int

# Curried vs. Uncurried functions

let f x y =  $\dots$  x  $\dots$  y  $\dots$ 

curried form

let 
$$g(x, y) = ... x ... y ...$$

uncurried form

- Wrong usage:
  - f (1,2)
  - g 1 2

## "match" expressions

Another way to use pattern-matching to define functions:

```
let fst_of_3 x =
  match x with
  (a,b,c) -> a;;
```

But match expressions allow *alternates*.

## Lists

#### Linked lists in Java:

```
class List {
    int head;
    List tail;
    static List cons(int x, List y) {
        List lst = new List();
        lst.head = x;
        lst.tail = y;
        List lst1 = List.cons(3,null);
        return lst;
        lst1.head = 3;
    }
    List lst2 = List.cons(4,lst1);
    List lst3 = List.cons(5,lst2);
}
```

# **Recursive functions in Java**

```
List lst1 = List.cons(3,null);
lst1.head = 3;
List lst2 = List.cons(4, lst1);
int sum(List L) {
   if (L==null)
   then return 0;
   else return L.head + sum(L.tail);
}
or...
int sum(List L) {
   return L==null ? 0 : L.head + sum(L.tail);
}
```

# Recursive functions in Java

Exercise: define Append(List x, List y)

List Append(List x, List y) {

}

# Lists in OCaml

- Built-in data type
- Syntax
  - [] empty list
  - [a; b; ...; c] list with elements a, b, ..., c
  - a :: x list obtained by putting a on the front of list x ("consing")

#### Examples

```
let lst1 = [];;
let lst2 = [3];;
let lst1 = lst2;;
let lst3 = 5::4::lst2;;
lst3 = [5;4;3];;
```

## Pattern-matching on lists

• Example:

```
let rec sum x =
    match x with [] -> 0
        | y::ys -> y + sum ys;;
```

# Append

```
let rec append x y =
    match x with [] -> y
        | z::zs -> z :: (append zs y);;
```

Compare the Ocaml functions to the Java functions...

# Tuples vs. lists

Tuples are fixed-size, heterogenous collections

Lists are extendable, homogeneous collections