

CS 42I Lecture 3

- ▶ Today's class: Types in OCaml and abstract syntax
 - ▶ Type declaration in OCaml
 - ▶ Trees
 - ▶ Polymorphic types
 - ▶ Abstract syntax

Type declaration in OCaml

OCaml allows new names to be introduced as abbreviations for types:

`type t = te`

- ▶ `te` is a *type expression*:
- ▶ `te = int | string | unit | ... | te list | te * te * ... * te`

Type declaration in OCaml

- ▶ More importantly, it allows you to create new types by defining a set of *constructors*:
- ▶ `type t = C1 [of te1] | ... | Cn [of ten]`
where C_1, \dots, C_n are the constructors, (Constructor names must start with a capital letter.)
- ▶ Values of type t are created by applying C_1 to value of type te_1 , or C_2 to value of type te_2 , etc.

▶ Lecture 3

Example – enumerated types

▶ Ex.

```
type weekday = Mon | Tues | Wed | Thurs | Fri;;
let today = Tues;;
let weekday_to_string d =
  match d with
  | Mon -> "Monday"
  | Tues -> "Tuesday"
  | ... ;;
```

Corresponds to “enum” type in C, C++:

```
typedef enum {Mon, Tues, Wed, Thurs, Fri} weekday;
```

▶ Lecture 3

Example – disjoint unions

▶ Ex.

```
type shape = Circle of float
           | Square of float
           | Triangle of float * float * float
let c = Circle 5.7
let t = Triangle (2.0, 3.0, 4.0)
```

- ▶ (Note: Triangle 2.0 3.0 4.0 is type error.)
- ▶ This corresponds to what is called *discriminated union*, *tagged union*, *disjoint union*, or *variant record*.

Example – disjoint unions (cont.)

```
let shape_to_string s =
  match s with
  | Circle r -> "circle" ^ float_to_string r
  | Square t -> "square" ^ float_to_string t
  | Triangle (s1, s2, s3) ->
    "triangle(" ^ float_to_string s1 ^ "," ^
    float_to_string s2 ^ "," ^
    float_to_string s3 ^ ")"
```

How to do this in C

```
struct shape {
    int type_of_shape;
    union {
        struct {float radius;}
        struct {float side;}
        struct {float side1, side2, side3;} triangle;
    } shape_data;
}
```

Shape_to_string function would look like this:

```
switch (type_of_shape){
    case 0: cout << "circle" << s.shape_data.radius;
    ... etc. ...
}
```

► Lecture 3

How to do this in Java – method 1

```
class Shape{
    float x; // radius or side
    float side2, side3;
    int shape_type;
    Shape(int i, float f){
        shape_type = i;
        x = f; }
    Shape(float, float, float){
        shape_type = 2; x = ...;
        side2 = ...; side3 = ...;
    }
}
```

► shape_to_string looks the same as in C.

► Lecture 3

How to do this in Java – method 2

```
class Shape{
    abstract string shape_to_string();
}
class Circle extends Shape {
    float radius;
    Circle(float r) {radius = r;}
    string shape_to_string(){
        return "circle" + radius; }
}
class Square extends Shape {
    float side;
    Square (float s) {side = s;}
    string shape_to_string(){
        return "square" + side; }
}
```

```
Shape sh;
if (...)
    sh = new Circle(...);
else
    sh = new Square(...);
...
sh.shape_to_string()
```

► Lecture 3

Recursive type definitions in OCaml

In type $t = C \text{ of } te \mid \dots$, te can include t .

```
type mylist = Empty | Cons of int * mylist
let list1 = Cons (3, Cons (4, Empty))
```

```
let rec sum x = match x with
    Empty -> 0
  | Cons(y,ys) -> y + sum ys
```

► Lecture 3

Defining trees

Binary trees (with integer labels):

```
type bintree = Empty
              | BTreeNode of int * bintree * bintree
let tree1 = BTreeNode (3,
                      BTreeNode (6, Empty, Empty), . . .);;
```

Arbitrary trees (with integer labels):

```
type tree = Node of int * tree list
let smalltree = Node (3, [])
let bigtree = Node (3, [Node(...), Node(...), ...])
```

► Lecture 3

Trees

Ex. Create a list of all the integers in a tree. (Use homework function `flatten : (int list) list -> int list`):

```
let rec flatten_tree (Node (n, kids)) =
  let rec flatten_list tlist = match tlist with
    [] -> []
  | (t :: ts) -> flatten_tree t :: flatten_list ts
  in n :: flatten (flatten_list kids)
```

Syntactic note: `flatten_tree Node(..., ...)` would be interpreted as `(flatten_tree Node)(..., ...)`. Since `Node` has type `(int * tree list) -> int list`, and the argument to `flatten_tree` should be tree, this is a type error. Need to write `flatten_tree (Node(..., ...))`

► .

Defining polymorphic types

```
type 'a bintree = Empty
                | Node of 'a * 'a bintree * 'a bintree
let x = Node("ben", Empty, Empty)
let y = Node(4.5, Empty, Empty)
```

- ▶ Although bintree is polymorphic, can still define functions that apply only to some bintrees (as you can for lists), e.g.

```
let rec sum t = match t with
  Empty -> 0 | Node(i,t1,t2) -> i + sum t1 + sum t2
sum: int bintree -> int
```

▶ Lecture 3

Mutually-recursive types

- ▶ Mutually-recursive types

```
type t = C1 of te1 | ...
and u = D1 of te1' | ...
```

- ▶ Example given below

▶ Lecture 3

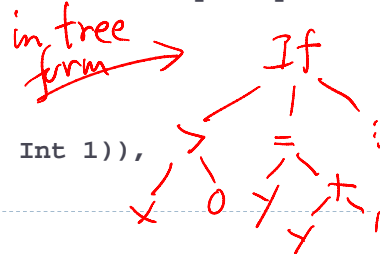
Abstract syntax

- ▶ “Deep” structure of program – represents nesting of syntactic units within other syntactic units as a tree. Can define as a type in Ocaml, e.g.

```
type stmt = Assign of string * expr
          | If of expr * stmt * stmt
and expr = Int of int | Var of string
          | Plus of expr*expr | Greater of expr*expr
```

“if (x>0) y=y+1; else z=x;” →

```
If(Greater(Var "x", Int 0),
    Assign("y", Plus(Var "y", Int 1)),
    Assign("z", Var "x"))
```



▶ Lecture 3

Abstract syntax (cont.)

- ▶ Example: Function to find all the variables used in an abstract syntax tree (AST):

```
let rec vars s = match s with
  Assign(x,e) -> x :: evars e
  | If(e,s1,s2) -> evars e @ vars s1 @ vars s2
and evars e = match e with
  Int i -> []
  | Var x -> [x]
  | Plus(e1,e2) -> evars e1 @ evars e2
  | Greater(e1,e2) -> evars e1 @ evars e2
```

▶ Lecture 3

Abstract syntax (cont.)

- ▶ Abstract syntax for a part of Ocaml gives example of mutually-recursive type definitions:

```
type decl = Decl of (string * expr) list
and expr = Int of int | Var of string
          | Plus of expr * expr
          | Let of decl * expr
```

- E.g. "let x = 3 and y = 5 in x+y" would have abstract syntax tree:

```
Let(Decl[("x", Int 3), ("y", Int 5)],
    Plus(Var "x", Var "y"))
```

- ▶ Lecture 3

MP 2 – Abstract syntax for Minijava

- (N.B. Do not use this definition as a reference for MP2, as the definition used there may differ slightly from this.)

```
type program = Program of (class_decl list)
and class_decl = Class of id * id * (var_decl list) *
                 (method_decl list)
and method_decl = Method of exp_type * id *
                        ((exp_type * id) list) * (var_decl list) * (statement list) *
                        exp
and var_decl = Var of exp_type * id
```

- ▶ Lecture 3

MP 2 – Abstract syntax for Minijava

and statement = Block of (statement list)

- | If of exp * statement * statement
- | While of exp * statement
- | Println of exp
- | Assignment of id * exp
- | ArrayAssignment of id * exp * exp
- | Break
- | Continue
- | Switch of exp * ((int * (statement list)) list)

▶ Lecture 3

MP 2 – Abstract syntax for Minijava

and exp = Operation of exp * binary_operation * exp

- | Array of exp * exp | Length of exp
- | MethodCall of exp * id * (exp list)
- | Id of id | This | NewArray of exp_type * exp
- | NewId of id | Not of exp | Null | True | False
- | Integer of int | String of string | Float of float

and binary_operation = And | Or | LessThan

- | Plus | Minus | Multiplication | Division

and exp_type = ArrayType of exp_type | BoolType

- | IntType | ObjectType of id | StringType | FloatType

and id = string

▶ Lecture 3

MP 2 – Abstract syntax for Minijava

Functions defined on this abstract syntax will generally consist of several mutually recursive functions:

let rec f_program (Program cds) = ...

and f_classdecls cds = match cds with [] -> ... | (c::cs) -> ...

and f_classdecl (Class(name, superclass, fields, methods)) = ...

and f_var_decl (Var (type, nm)) = ...

and f_stmt s = match s with

 Block sl -> ...

 If (e, s1, s2) -> ...

... etc. ...

and f_exp e = match e with ...

▶ Lecture 3