

# CS 42I Lecture 12

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- ▶ Compilation static languages, continued
  - ▶ Compiling in context (main for optimization)
    - ▶ Assignment
    - ▶ Break statements
    - ▶ Short-circuit evaluation of boolean expressions
  - ▶ Switch statements
  - ▶ Arrays
  - ▶ Code optimization
- ▶ Thursday's class: dynamic language execution via an example: the Sun HotSpot runtime system – tagged values; garbage collection

# Notation

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- ▶  $[S]$  = compiled code for  $S$
- ▶  $[e]$  = compiled code for  $e$
- ▶ Use subscripts on brackets for additional arguments, e.g.  $[S]_L$  is compiled code for  $S$ , assuming  $S$  occurs within a switch statements labeled  $L$ .

## Assignment statements

- ▶ Old scheme:  $[x=e] = \text{let } (l,t) = [e] \text{ in } l; x=t.$
- ▶ Can give poor results:  $[x=3] = \text{let } (t,x) = 3; x=t$   
 $[x=x+1] = t1=1; t2=x+t1; x=t2$
- ▶ Compile expressions in context of target location:  
 $[e]_x =$  code to calculate value of  $e$  and store it in  $x$ .  $[e]_x$ : instruction list
- ▶  $[x=e] = [e]_x$
- ▶  $[n]_x = "x=n"$
- ▶  $[y]_x = "x=y"$ , if  $y$  a different variable from  $x$ ;  $\epsilon$ , otherwise
- ▶  $[e1+e2]_x = \text{let } t = \text{new location in } [e1]_t; [e2]_x; x=t+x$

Examples:  $[x=x+1] = [x+1]_x = [x]_t; [1]_x; x=t+x$

▶ Lecture 12

$$= t=x; x=1; x=t+x$$

$$[x=1+x] = [1+x]_x = [1]_t; [x]_x; x=t+x$$


$$= t=1; x=1+x$$

## break statements


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- ▶ break statement breaks from one level of switch or while. Cannot translate “break” without knowing context.
- ▶  $[S]_L$  = code for statement S, given that S occurs inside a switch or while statement, and L is the label just after that enclosing statement.

```
while ( ) {  
    {  
    break;  
    }  
}
```



```
switch ( ) {  
    {  
    break;  
    }  
}
```



$[while (e) S] = \text{JUMP } L2$

$L1: [S]_{L3}$

$L2: [e]_t$   
 $\text{CJUMP } t, L1, L3$

$L3:$

$[break]_L = \text{JUMP } L$

Example

$[while (true) \{$   
   $if (x == 10)$   
     $break;$   
   $else$   
     $x = 1 + x;$   
 $\} ]$

$=$

$\text{JUMP } L2$   
 $L1: [if \dots]_{L3}$   
 $L2: [true]_t$   
 $\text{CJUMP } t, L1, L3$   
 $L3:$   
   $(cont.)$

[if (x==10) ...] L3 = t2 = x == 10  
 CJUMP t2, L4, L5  
 L4: [break] L3  
 JUMP L6  
 L5: t3 = 1  
 x = t3 + x  
 L6:

---

[while ...] = JUMP L2  
 L1: t2 = x == 10  
 CJUMP t2, L4, L5  
 L4: JUMP L3  
 JUMP L6  
 L5: t3 = 1  
 x = t3 + x  
 L6:  
 L2: t = true  
 CJUMP t, L1, L3  
 L3:

Notes:

- $[S]_L$  same as  $[S]$  in most cases, but substatements use  $[ ]_L$ .
- "continue" statement can be used in loops; terminates current iteration, but not whole loop. Also needs to be compiled "in context".
- More complicated versions of break are "break L" where L is the label of the while or switch, and "break n", which breaks out of n levels. Need more context to compile these.

# Boolean expressions

- ▶ Current scheme: boolean expressions evaluated like any other, placing value in a temporary location:

$[e_1 < e_2] = \text{let } (l_1, t_1) = [e_1], (l_2, t_2) = [e_2], t = \text{newloc}()$   
 $\text{in } (l_1; l_2; t = t_1 < t_2, t)$

$[e_1 \ \&\& \ e_2] = \text{let } (l_1, t_1) = [e_1]$   
 $(l_2, t_2) = [e_2]$   
 $\text{in } (l_1; l_2; t = t_1 \ \&\& \ t_2, t)$

evaluates both operands -  
Shouldn't do that,

$[\text{if } e \text{ then } S_1 \text{ else } S_2] = \text{let } (l, t) = [e]$   
 $\text{in } (l; \text{CJUMP } t \text{ LI } L_2; \dots)$

E.g.  
while  $(i < n \ \&\& \ A[i] \neq x)$   
{

- What's wrong?

don't evaluate  $i < n$  if  $i$  is false



# Boolean expressions w/ short-circuit evaluation

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- ▶ Improved scheme:

```
[e1 && e2] = let t = newlocation()
              l1 = [e1]t
              l2 = [e2]t
              L1, L2 = newlabel()
            in (l1
               CJUMP t, L1, L2
               L1: l2
               L2:                , t)
```

- What's wrong now?

*unnecessary jumps  
when evaluating conjunction!*

[if ( $x < y$  or  $y < z$ ) S1 else S2]

= [ $x < y$  or  $y < z$ ]<sub>t</sub>  
CJUMP t, L1, L2

L1: [S1]  
JUMP L3

L2: [S2]

L3:

t =  $x < y$   
CJUMP t, L4, L5

L4: t =  $y < z$

L5: CJUMP t, L1, L2

Jump to L5, but at L5 will  
definitely jump to L2.  
Should jump to L2 directly.

# Compiling boolean expressions in context

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- ▶ Get better code if boolean expression can jump to correct label as soon as possible
- ▶  $[e]_{L_t, L_f}$  = code that calculates  $e$  and jumps to  $L_t$  if it is true,  $L_f$  if it is false. The code does not save the value anywhere.

▶  $[true]_{L_t, L_f} = \text{JUMP } L_t$

$$[e_1 < e_2]_{L_t, L_f} = [e_1]_{t_1} \text{ CJAMP } t, L_t, L_f = [e_2]_{t_2} \text{ CJAMP } t, L_t, L_f$$

$t = t_1 < t_2$

## Compiling boolean expressions in context

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$$\triangleright [e_1 \ \&\& \ e_2]_{L_t, L_f} = [e_1]_{L_1, L_f} \quad (L_1 \text{ a fresh label}) \\ [e_2]_{L_t, L_f}$$

$$[\text{while } e \text{ do } S] = \text{JUMP } L_2 \\ L_1: [S] \\ L_2: [e]_{L_1, L_3} \\ L_3:$$

$$[!e]_{L_t, L_f} = [e]_{L_f, L_t}$$

$[ \text{if } (e) \text{ } S1 \text{ else } S2 ] = [e]_{L1, L2}$   
 $L1: [S1]$   
 $\text{JUMP } L3$   
 $L2: [S2]$   
 $L3:$

Ex:  
 $[ \text{if } (x < y \ \&\& \ y < z) \text{ } S1 \text{ else } S2 ] = [x < y \ \&\& \ y < z]_{L1, L2}$   
 $L1: [S1]$   
 $\text{JUMP } L3$   
 $L2: [S2]$   
 $L3:$

$[x < y]$  L4, L2  
L4:  $[y < z]$  L1, L2  
L1: [S1]  
    JUMP L3  
L2: [S2]  
L3:

$t1 = x < y$   
CJUMP  $t1, L4, L2$   
L4:  $t2 = y < z$   
    CJUMP  $t2, L1, L2$   
L1: [S1]  
    JUMP L3  
L2: [S2]  
L3

JUMP directly to L2  
if  $x < y$  false

# Compiling switch statement

► Use "jump table" and address calculation

```
[ switch (e) {  
  case 0: S0  
  case 1: S1  
  ⋮  
  case n: Sn  
}]
```

$[e]_t$   
offset =  $t \neq 4$   
 $l = \text{table} + \text{offset}$   
JUMPIND  $l$

$L_0: [S_0]_L$   
 $L_1: [S_1]_L$   
⋮  
 $L_n: [S_n]_L$   
 $L:$

In data  
section →

table: {  $L_0, L_1, \dots, L_n$  }

"jump  
table"

## Notes:

- Jump table more efficient than sequence of if statements if  $n$  large
- If  $n$  small, if may be better; compilers will not always use jump table
- If cases are widely separated - case 0: --, case 10000, ... - then jump table uses extra space - computer probably will not use it
- For "default" - check if value of  $e$  is between lowest and highest case at start; fill in gaps in jump table to point to default stmt.



## Compiling object references

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- ▶ In expression  $e.t$ :
  - ▶ Type of  $e$  is known; call its class  $C$
  - ▶ Location of field  $t$  within  $C$  is known; say its offset is  $o$
  - ▶  $[e]$  will produce  $(l, t)$ , where  $t$  contains pointer to object
- ▶  $[e.t] = \text{let } (l, t) = [e]$   
     $tl = \text{newlocation}()$   
    in  $(l; tl = t + o, tl)$
- ▶ Method calls  $e.t(\dots)$  more complicated – will discuss in a couple of weeks

*at compile time*

# Compiling array references

- ▶ Simple rule: If A has elements of type T, and if elements of type T occupy n bytes, then address of A[i] is address of A + i\*n.
- ▶  $[A[e]] = \text{let } (l, t) = [e]$   
in (l

Notes:

- Indexing from 1 would require extra decrement operation - that is why arrays are usually indexed from zero
  - Haven't included bounds check.
- $t1 = \&A$   
 $t2 = t * w$  (w size of A's elements)  
 $t3 = t1 + t2$   
 $t4 = \text{LOADIND } t3, \quad t4)$

In C, size of array may not be known, so cannot do bounds check. Also, bounds checking adds several extra instructions.

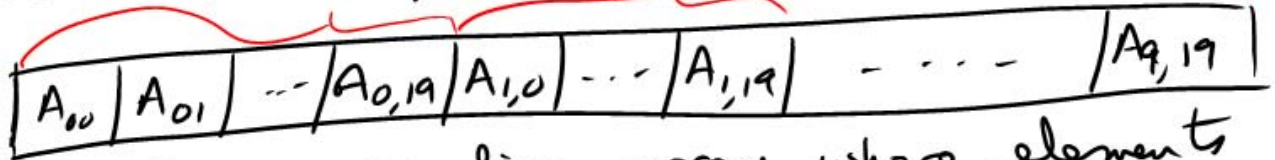
- eg. 1 for array of char's
- 4 for array of int's
- 8 for array of double

## Compiling array references

elements of A

- ▶ Idea extends to multi-dimensional arrays.

Consider: int A[10][20]



Think of A as one-dim. array whose elements are of size (w)  $4 \times 20$ ; those elements are arrays whose elements are of size 4. Eg,  $A[i][j]$  is at address  $A + i \times 80 + j \times 4$ .

$A[e_1][e_2]$  is just A indexed by  $e_1$  (previous slide), and the result indexed by  $e_2$ :

$$A[e_1][e_2] = \left. \begin{array}{l} [e_1]_{t_1} \\ t_2 = e_1 A \\ t_3 = t_1 * 80 \\ t_4 = t_2 + t_3 \\ [e_2]_{t_5} \\ t_6 = t_5 * 4 \\ t_7 = t_4 + t_6 \\ t_8 = \text{LOADIND } t_7 \end{array} \right\} \begin{array}{l} A[e_1] \\ A[e_1][e_2] \end{array}$$

Note: Java two-dim arrays are just arrays of pointers, so always have  $w=4$  and use `LOADIND` to get address of subarray

## “l-values” vs. “r-values”

- ▶ In an assignment:  $e_1 = e_2$ , need to evaluate  $e_1$  and  $e_2$  differently:  $e_1$  is evaluated to an address,  $e_2$  to a value.
- ▶ When an expression produces a location, that is called its “l-value”; when it produces a value, it is the “r-value”.
- ▶ Need l-value translation scheme,  $[e]_l$
- ▶ L-value scheme for array refs is same as r-value scheme, but omit final “LOADIND”

▶ Eg.  $A[i] = A[i] + 1$

Need address  
Need value

$$[A[e]]_l = ( [e]_{t_1}, t_2 = \&A, t_3 = t_1 * w, t_4 = t_2 + t_3, t_4 )$$

$$[e_1 = e_2] = [e_1]_{l, t_1}$$

$$[e_2]_{t_2}$$

STOREIND  $t_2, t_1$

# Machine-independent optimizations

- ▶ Machine-independent optimization = optimizations that can be done at the level of IR – i.e. does not depend upon features of target machine such as registers, pipeline, special instructions
- ▶ E.g. “loop-invariant code motion”:

```
int A[100][100]
t
while (j < n) {
    x = x + A[i][j]
    j++;
}
```

```
t1 = &A
t2 = i*100
t3 = t2+j
t4 = t3*4
t5 = t1+t4
t6 = LOADIND t5
x = x+t6
j = j+1
```

*t1, t2 invariant across iterations of loop*

*Code motion*

# Machine-dependent optimizations

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- ▶ Machine-dependent optimization = optimizations that exploit features of target machine such as registers, pipeline, special instructions
  - ▶ Register allocation
  - ▶ Instruction selection
  - ▶ Instruction scheduling

