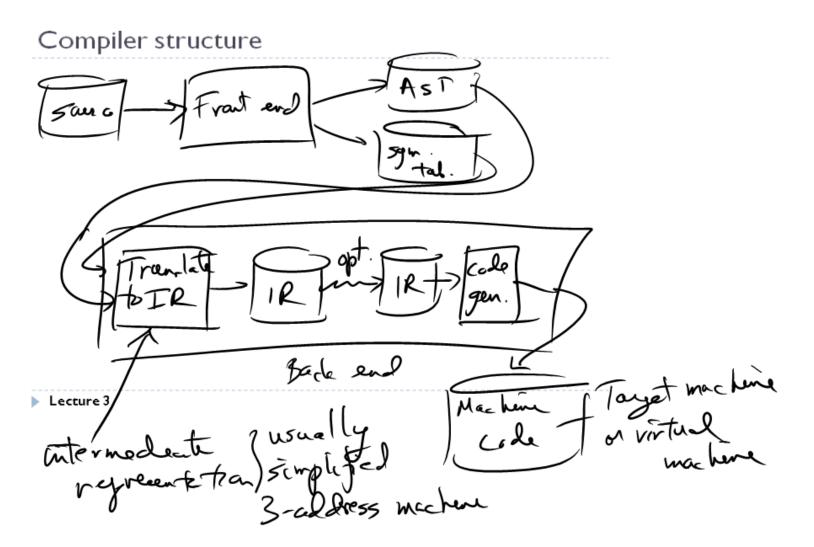
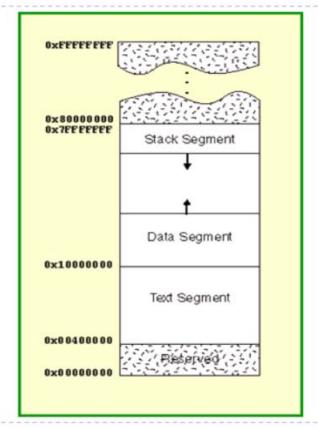
CS 421 Lecture 11

- Compilation and execution
 - Compilers
 - Execution of static languages
 - Code optimization why?
 - Code generation
 - Code optimization how?
- Tuesday's class: more compilation
- Thursday's class: execution of dynamic languages tagged values, "just-in-time" code generation, garbage collection, reflection

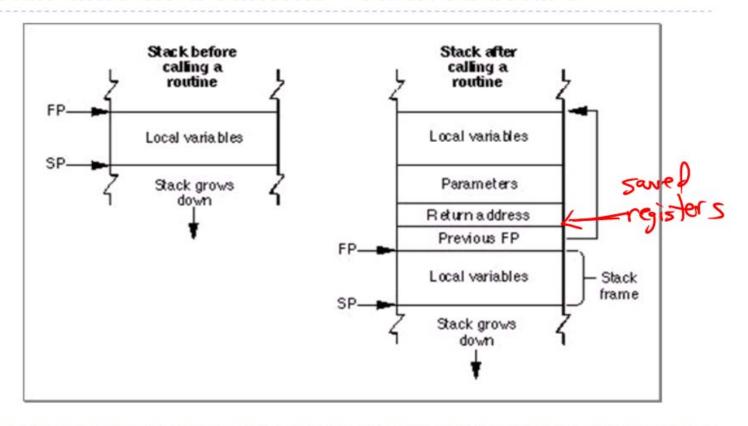


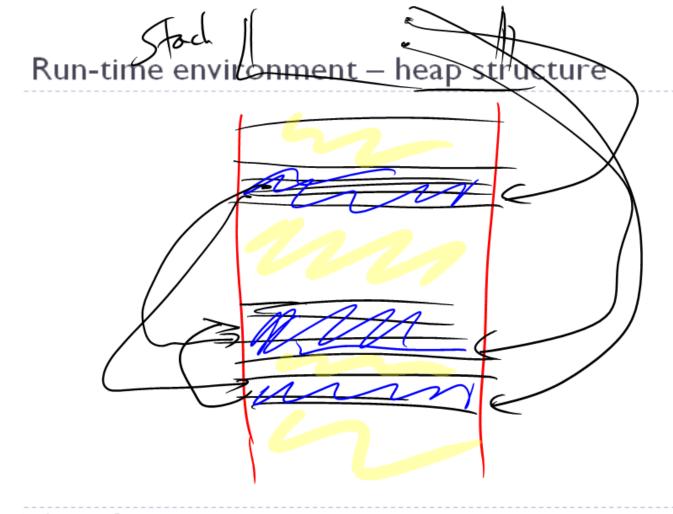
Run-time environment – memory layout



▶ Lecture 3

Run-time environment – stack structure





Code optimization - example

Just to show effect of code optimization, here's a C program:

```
f() {
  int i, j, k;

i = (j+1)*(k-1);

printf("%d", i);
}
```

Code produced from C compiler

_f:

```
%ebp
pushl
movl
        %esp, %ebp
subl
        $24, %esp
        -8(\%ebp),\%ed\times
movl
        %ed×
incl
        -12(%ebp), %eax
movl
decl
        %eax
        %edx, %eax
imull
        %eax, -4(%ebp)
movl
        -4(%ebp), %eax
movl
        %eax,4(%esp)
movl
        $LC0, (%esp)
movl
call
        printf
leave
ret
```

Code produced from C compiler with -O4

```
_f:
        pushl
                 %ebp
                 %edx
        decl
                 %eax
        incl
                 %ed×,%ea×
        imull
                 %esp, %ebp
        movl
        subl
                 $8, %esp
                 $LC0, (%esp)
        movl
                 %eax, 4(%esp)
        movl
                 _printf
        call
        leave
        ret
```

- Different types of intermediate representations
 - Stack machine
 - 3-address instructions
 - 2-address instructions
 - Various graph structures showing control flow and data dependencies
- Consider translation to 3-address form:
 - [S]: Statement -> instruction list
 - [e]: Expression -> instruction list * location
 - (At this stage, are not thinking about machine registers. Just give every location a name. In later stage, decide whether value will go in memory, in register, or on stack.)

- Will give a number of translation schemes, showing how to translate different expressions and statement to intermediate form. (We will not translate to any actual machine language, but machine languages are like our IR, just more complicated.)
- Will present code sequences either stacked vertically (as is usually done for assembly language), or horizontally separated by semicolons: instr.

 \inf_{n} or \inf_{n} ; \inf_{n} ; \inf_{n}

Will often write [e] or [S] in the middle of an instruction sequence: splice the instructions given by [e] or [S] into the instruction sequence.

Here, assume a three-address IR with machine instruction-like instructions (but simpler). These include:

\[
\left(\infty = \

References to variables implicitly get them from the stack.

Referencing variables

References to variables implicitly get values from the stack.

Unlike real machine language, will not use explicit offsets from frame pointer – but that is how these references would be implemented in machine language.

```
In machine language, inside function definition void f (int ×, double y, ...) { char c; ... }
```

x, y, c, etc. would occupy specific locations in the stack frame (chosen by compiler). References in the body of f would use those offsets. As a simplification, we will simply refer to their locations as x, y, c, etc.
Lecture 3

- Expressions. Recall, [e] return a pair consisting of a sequence of (zero or more) instructions, and a location.

Statements:

```
white (x >0) {
y = y+x;
x = x-1;
[ while e do SI] =
             let (I, t) = [e]
                L1, L2, L3 = newlabels()
             in JUMP L2
             LI: [SI]
             L2: 1
                 CJUMP 🕏 LI, L3
             L3:
```

while
$$(x > 0)$$
 {
 $y = y + x'$
 $x = x - 1$;

 $\begin{cases} y = y + x' \\ x = x - 1 \end{cases}$

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$$\begin{cases} y =$$

```
| [ f(el, ..., en)] = | let (l<sub>i</sub>, t<sub>i</sub>) = [ ei ], for all i | in | l<sub>i</sub> | PUSH t<sub>i</sub> | ... | ... | ... | ... | PUSH t<sub>n</sub> | CALL f
```