

## Sample questions for midterm 2 CS 421, Spring 2009

1. Recall that in lectures 11 and 12 we gave several translation schemes for expressions and statements:  $[e]$  produces a pair containing the code for  $e$  and the location of the result;  $[S]$  gives the code for  $S$ ;  $[e]_x$  gives the code to evaluate  $e$  and put its value in  $x$ ;  $[e]_{Lt,Lf}$  translates a Boolean expression  $e$  to code that branches to either  $Lt$  or  $Lf$  (this is called the “short-circuit evaluation scheme”), and  $[S]_L$  translates  $S$  in a context in which  $L$  is the label for a break statement.

a. Generate code for the repeat-until statement: “repeat  $S$  until  $e$ ” executes  $S$  and tests  $e$ , and repeats until  $e$  becomes true. Thus, it is equivalent to “ $S$ ; while  $!e$  do  $S$ ”. Do this in two ways: (i) Using the regular scheme  $[e]$  to evaluate the condition; and (ii) Using the short-circuit evaluation scheme for  $e$ .

```
(i)  let (I, t) = [e]
      L1, L2 = new labels
      in
        L1: [S]
           I
           CJUMP t, L1, L2
      L2:
```

```
(ii) let (I, t) = [e]
      L1, L2 = new labels
      in
        L1: [S]
           [e]L2,L1
      L2:
```

b. Generate code for a multiple assignment statement:  $(x_1, x_2) = (e_1, e_2)$ , which does both assignments “in parallel.” Note that this is not that same as doing one assignment followed by the other, because variables  $x_1$  and  $x_2$  may appear in expressions  $e_1$  and  $e_2$ . Use evaluation scheme  $[e]_x$  where appropriate.

```
let t = new variable
in   [e1]t
     [e2]x2
     x1 = t
```

c. Give two schemes for conditional expression  $e_1 ? e_2 : e_3$ , which gives the value of  $e_2$  if  $e_1$  is true, or  $e_3$  if  $e_1$  is false. The two schemes you should provide are (a) the standard  $[e_1 ? e_2 : e_3]$ , and (b) the assignment scheme  $[e_1 ? e_2 : e_3]_x$ . You should use the short-circuit evaluation scheme for  $e_1$ .

```
[e1 ? e2 : e3] =
let (Ii, ti) = [ei], i=2,3
  t = new variable
  L1, L2, L3 = new labels
in  ( [e1]L1,L2
      L1: I2
        t = t2
        JUMP L3
```

```
[e1 ? e2 : e3]x =
let L1, L2, L3 = new labels
  in   [e1]L1,L2
      L1: [e2]x
         JUMP L3
      L2: [e3]x
      L3:
```

**L2:**  $I_3$   
 $t = t_3$   
**L3:**  $, t$

2. (a) Name the two parts of a compiler's front end.

**Lexing (or lexical analysis) and parsing (or syntactic analysis)**

(b) Name the two parts of a compiler's back end.

**Optimization (or machine-independent optimization) and code generation  
(or machine-dependent optimization).**

(c) What are the two outputs of the front end?

**Abstract syntax tree and symbol table.**

3. Name the items in an activation record.

**Function arguments  
Return address  
Dynamic link  
Saved registers  
Local variables**

4. Give two advantages of the copying garbage collection algorithm over the non-copying (mark-and-sweep) algorithm.

- 1. Copying g.c. takes time proportional to size of reachable data, rather than total size of heap**
- 2. It can improve virtual memory performance by compacting data into fewer pages**

5. Give two advantages of the non-copying (mark-and-sweep) garbage collection algorithm over the copying algorithm.

- 1. Mark-and-sweep does not require that half of memory be reserved at all times**
- 2. It does not require relocation of data and changing of pointers; in some cases, it may be difficult to change all pointers into the heap.**

6. Reference counting is not a popular algorithm. What drawback of this algorithm is the reason?

**Cannot handle circular structures.**

7. In APL, define multmat n which gives an nxn matrix where position i,j has the value i\*j.

```
multmat 4;;
1 2 3 4
2 4 6 8
3 6 9 12
4 8 12 16
```

*APL notation:*

$(\exists m) \times m, n \text{ } \rho \text{ } n$

*APL-in-OCaml notation:*

```
let multmat n = let m = rho (n ^@ n) (indx n)
                in m *@ (trans m);;
```

8. Define the following OCaml functions. [*Exam: we will provide definitions of `fold_right` and `fold_left`.*]:

(a) `repeat_until`: ('a -> bool) -> ('a -> 'a) -> 'a -> 'a. where `repeat_until p f x = x`, if `p x`, or `f x` if `p (f x)`, or `f (f x)` if `p (f (f x))`, etc.

```
let rec repeat_until p f x =
    if p x then x else repeat_until p f (f x);;
```

(b) `sift`: ('a -> bool) -> 'a list -> 'a list \* 'a list. `sift p lis` splits `lis` into a pair of lists (`lis1`, `lis2`), with `lis1` containing those elements of `lis` that satisfy `p` and `lis2` the others.

```
let rec sift p lis = match lis with
  [] -> ([],[])
| (x::xs) -> let (lis1, lis2) = sift p xs
              in if p x then (x::lis1, lis2) else (lis1, x::lis2);;
```

(c) Write `sift` using `fold_right`. Specifically, define `sift_base` and `sift_rec` so that `fold_right (sift_rec p) lis sift_base = sift p lis`

```
let sift_rec p x (xs, ys) = if p x then (x::xs, ys) else (xs, x::ys);;
let sift_base = ([], []);;
```

(d) Write an OCaml function that reverses a list, using `fold_right` instead of explicit recursion.

```
let rev l = fold_right (fun x -> fun y -> y @ [x]) l []
```

(e) Write a function `f` such that `map f lis` returns a list that contains the absolute values of the elements in `lis`, in the same order. Do not use any library functions in the definition of `f`.

```
f = fun x -> if x < 0 then -1 * x else x;;
```

(f) Using `fold_right` and no explicit recursion, define a function that concatenates the elements of a string list.

```
let concat lst = fold_right (fun x y -> x^y) lst "";
```

(g) `compose_all [f1;f2;...] a = f1 (f2 (... (fn a)...))`. Define `compose_all` and say what its type is.

```

compose: ('a -> 'a) list -> 'a -> 'a
let rec compose_all flis a =
  if flis=[] then a else (hd flis) (compose_all (tl flis) a);;

```

(h) `graph_fun f [x1; x2; ...; xn] = [(x1, f x1); (x2, f x2); ...]`. Define `graph_fun` and say what its type is.  
`graph_fun: ( $\alpha \rightarrow \beta$ )  $\rightarrow$   $\alpha$  list  $\rightarrow$  ( $\alpha * \beta$ ) list`, where

```

('a -> 'b) -> 'a list -> ('a * 'b) list
let rec graph_fun f x =
  if x=[] then [] else (hd x, f (hd x)):: graph_fun f (tl x);;

```

9. What does this OCaml program evaluate to:

```

let x = 4
let y = 6
let f y = x + y
let x = 8
in f(y+x)

```

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10. Suppose the following Java interface is defined:

```

interface FunObj {
  int apply (int) ;
}

```

A Java class might define a function like this:

```

void map (FunObj f, int[] a) {
  for (int i=0; i<a.length; i++)
    a[i] = f.apply(a[i]);
}

```

a. Define classes `decreobj` and `sqroobj` that implement `FunObj` so that `map (new decreobj(), a, n)` decrements each element of `a`, and `map (new sqroobj(), a, n)` squares each element of `a`.

```

class decreobj {
  int apply (int i) {
    return i-1;
  }
}

class sqroobj {
  int apply (int i) {
    return i*i;
  }
}

```

b. Define a class `compose` that implements `FunObj`:

```
class compose implements FunObj {
    FunObj f, g;

    compose (FunObj f, FunObj g) {
        this.f = f; this.g = g;
    }

    int apply (int i) {
        return f.apply(g.apply(i));
    }
}
```

that composes function objects, so that, for example, `map(new compose(new sqrobj(), new decrobj()), a, n)` changes every element `a[i]` to  $(a[i]-1)^2$ .