

11.4.5

Running time of deterministic median selection

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A dance with recurrences

$$T(n) \leq T(\lceil n/5 \rceil) + \max\{T(|A_{\text{less}}|), T(|A_{\text{greater}}|)\} + O(n)$$

From Lemma,

$$T(n) \leq T(\lceil n/5 \rceil) + T(\lfloor 7n/10 + 6 \rfloor) + O(n)$$

and

$$T(n) = O(1) \quad n < 10$$

Exercise: show that $T(n) = O(n)$

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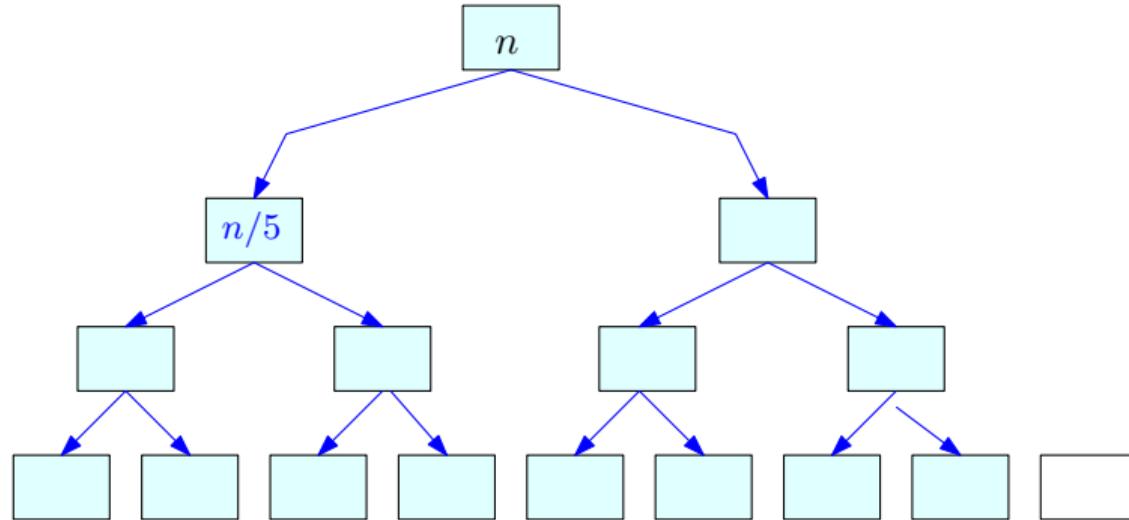
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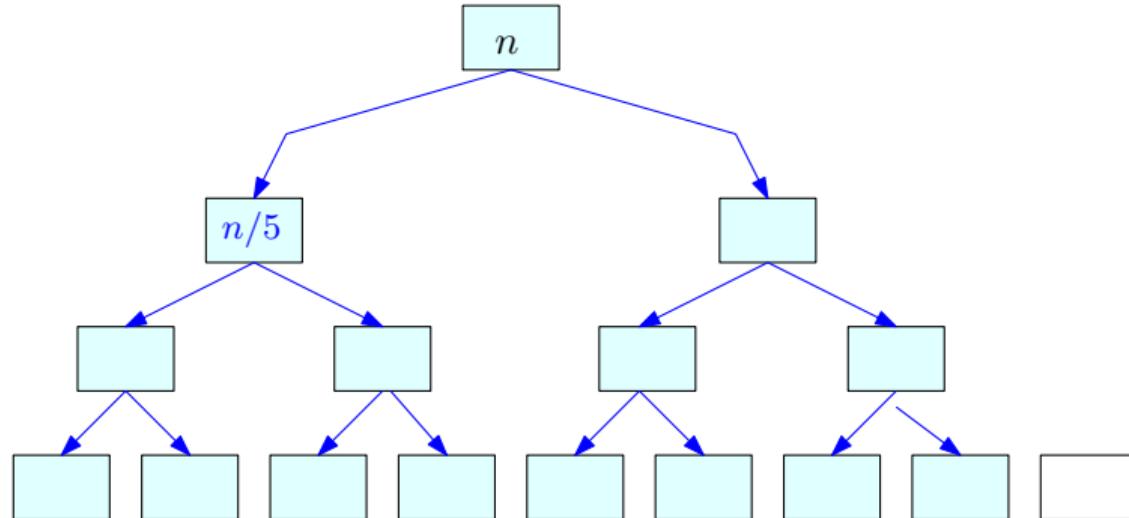
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Recursion tree fill in

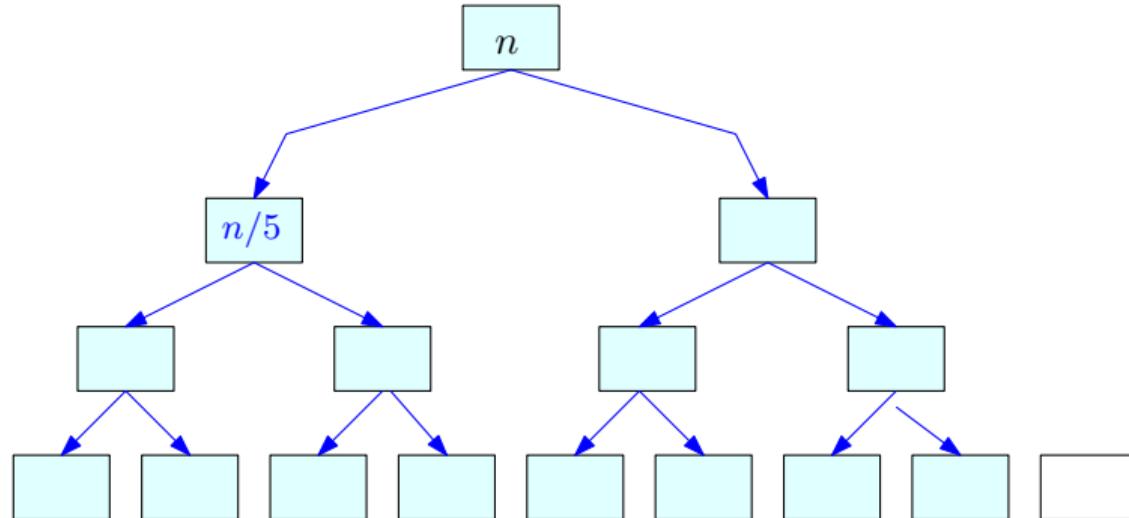


Recursion tree fill in



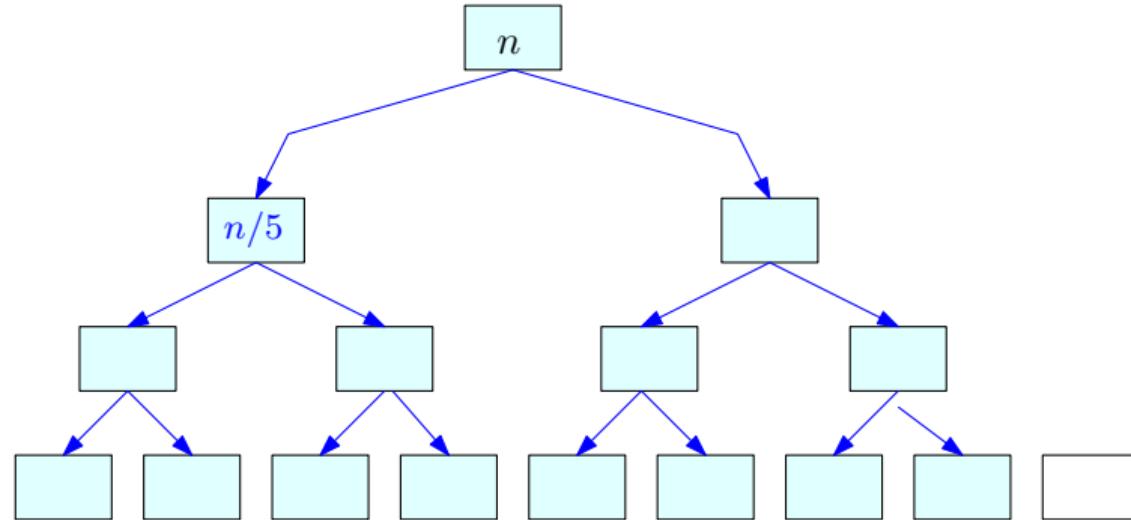
$(1/5)n, (7/10)n$

Recursion tree fill in



$(1/25)n, (7/50)n, (7/50)n, (49/100)n$

Recursion tree fill in



$(1/125)n, (7/250)n, (7/250)n, (49/500)n, (7/250)n, (49/500)n, (49/500)n,$
 $(343/1000)n$

THE END

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(for now)