ECE190 Exam 2, Spring 2007 Thursday 29 March

Name:		

- Be sure that your exam booklet has 14 pages.
- The exam is <u>meant</u> to be taken apart!
- Write your name at the top of each page.
- This is a closed book exam.
- You may not use a calculator.
- You are allowed two 8.5×11 " sheet of handwritten notes.
- Absolutely no interaction between students is allowed.
- Show all of your work.
- Don't panic, and good luck!

" 'Tis pity if the case require ... We speak the literal ..." —R. Frost

Problem 1	20 points	
Problem 2	15 points	
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Problem 3	25 points	
Problem 4	20 points	
Problem 5	20 points	-
Total	100 points	

Name:2
Problem 1 (20 points): Short Answers
Please answer concisely. If you find yourself writing more than a few words or a simple drawing, your answer is probably wrong.
Part A (6 points): Variable 'X' is stored in memory location with label 'X'. Write LC-3 assembly code to place the value of each of the C expressions into R0, assuming that the memory location of 'X' is within a 9-bit offset. Each of your answers should be a single LC-3 instruction.
i. (2 points) X
ii. (2 points) &X
iii. (2 points) *X
Part B (4 points): When compiling C for an LC-3 processor, how many memory locations are needed to represent a single variable of each of the following types?
i. (2 points) float
<pre>ii. (2 points) float*</pre>

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Problem 1, continued:

Part C (5 points): Write the output of the program below.

```
int main ()
{
    int i, j, k;

    j = 0;
    i = 7;
    k = (j++ && ++i);
    printf ("%d %d %d\n", i, j, k);
}
```

Part D*** (5 points): Certain instruction set architectures, such as x86, use variable-length instruction encodings, such that some instructions require only a byte, while others require more than one byte. In particular, conditional branches can take short (say, two-byte) forms if the branch target is nearby, or long (say, four-byte) forms if the branch target is more distant.

In terms of the two-pass assembly process discussed in class and in the textbook, explain why such variability can pose a problem for an assembler.

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Problem 2 (15 points): Systematic Decomposition

As you may already know, a number in base 10 is divisible by nine if and only if the sum of its digits are also divisible by nine. For example, consider the number 729. Since 7+2+9=18 (which is divisible by nine), 729 itself must be divisible by nine. Similarly, 1857382992 is divisible by 9, since 1+8+5+7+3+8+2+9+9+2=54, and 5+4=9.

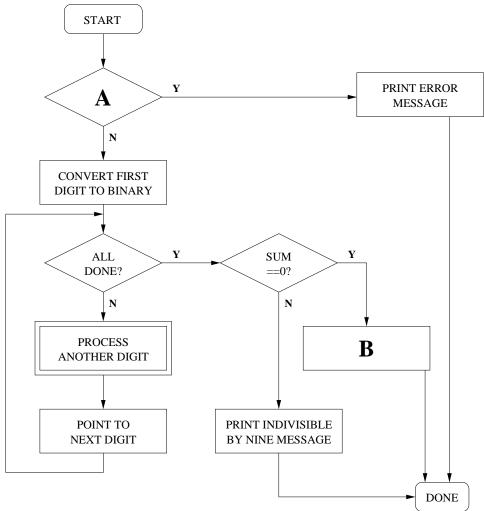
In this problem, you will implement an algorithm that applies this test to check whether a NUL-terminated ASCII string of digits representing a very large decimal number is divisible by 9.

For simplicity, you will leverage the associativity of addition by recognizing that the order of subsequent additions is not important to the final answer, allowing you to completely process each digit into a running sum before moving on to the next digit.

With "823436," for example, you start with 8, then add 2 to obtain 10. Before moving on to the third digit, however, you break 10 into 1 and 0 and add them up to obtain 1. After adding 3, the running sum of 4 requires only one digit, so we can go ahead and add the 4 from the string to obtain 8. Again, only a single digit, so we add the 3 to obtain 11. Now we again break the 11 into 1 and 1 and add them to obtain 2 before processing the final digit. Finally, adding 6 to our running sum of 2 gives 8, which is not divisible by 9.

It is important to realize that the process just described is entirely equivalent (but much easier to automate!) than adding 8 + 2 + 3 + 4 + 3 + 6 to obtain 26, then repeating the process to obtain 8.

The flow chart below is used for the problem on the next page.



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Problem 2, continued:
In Parts A through C , you must complete the systematic decomposition of the given problem. Assume that all non-NUL characters in the string provided are ASCII digits (0 through 9, encoded as x30 through x39).
Part A (2 points): Write a description of the test to be made in the box marked "A" in the flow chart on the previous page.
${f Part~B}$ (2 points): Write a description of the task to be performed in the box marked "B" in the flow chart on the previous page.
Part C (8 points): Decompose the double-lined box marked "PROCESS ANOTHER DIGIT" in the flow chart on the previous page such that each task or test can be accomplished with individual LC-3 instructions (not counting branches). Hint: In your code, you should keep the running sum between 0 and 8 after processing each digit. Note that sums of 0 and 9 are equivalent for the human-based testing process.

Part D*** (3 points): A friend suggests that you could just use a running sum from 1 to 9 and check whether the final sum is equal to 9 instead of 0. What strings would produce inappropriate results with such a change?

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Problem 3 (25 points): I/O, Assembly, and C

Part A (10 points): One of your TAs has implemented a new storage device for ECE 395 and needs you to write a simple interface in LC-3 assembly to write to the device.

The device has a status register that is mapped into memory location xFE10. The device signals that it is ready to receive data by setting the most significant bit of this register, indicated by S in the figure below.

15	14	4 3	0
S	unused	l	offset

The device reads data by maintaining an array of 16 data registers. These are memory-mapped registers; the first register is mapped to xFE12, the next is mapped to xFE14, and so on, with each data register mapped two locations away from the previous one.

When the device signals that it is ready to receive data, it places a four-bit offset into bits [3:0] of its status register, as shown in the diagram above. These bits are an offset into the array of data registers; thus, an offset of 0 corresponds to the first data register, and an offset of 15 corresponds to the last data register.

You will write the STORE_DATA subroutine. The caller will place the data to be written in R0 before calling your subroutine. Your routine must wait until the device is ready, then store the contents of R0 to the data register indicated by the offset field. You may not assume that unused bits are equal to zero. You may assume that R0, R1, R2, and R3 are caller-saved.

Write your subroutine below. Some helpful constants, which you may use freely, have been provided for you.

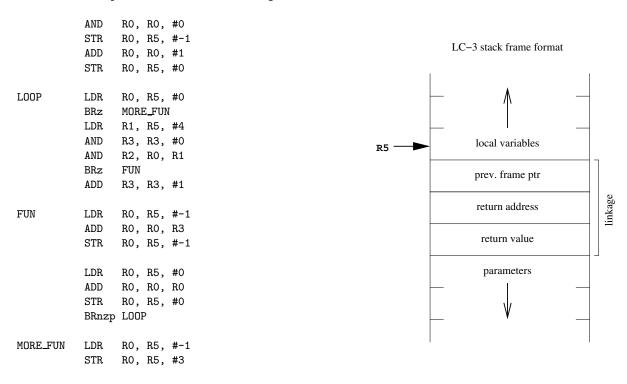
STORE_DATA ; subroutine that you must write

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Problem 3, continued:

The following LC-3 assembly code was generated by compiling the C function int my_op (int value). The canonical LC-3 stack frame (activation record) format appears in the diagram to the right.

; code to set up stack frame and save registers omitted



; code to restore registers and tear down stack frame omitted $% \left(1\right) =\left(1\right) \left(1\right) +\left(1\right) \left(1\right) \left(1\right) +\left(1\right) \left(1\right) \left($

Part B (10 points): Based on the LC-3 assembly code above, fill in the body of the C function below. int my_op (int value)

Part C (5 points): What does this function do?

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Problem 4 (20 points): C and Stack Frames

This question focuses on the program below, and particularly on the stack frames (also called activation records) that are used by each function in the program.

Consider the following pair of C functions.

```
int bar (int x, int y)
    return ((x - y) * (x - y));
                                /* line A */
int foo (int a)
                                  /* line B */
    int b, c;
    printf ("Enter input: ");
                                  /* line C */
    scanf ("%d", &b);
    c = a - b;
    a = bar (b, c);
    return (a + b + c);
                                  /* line D */
}
int main ()
    int q = foo (5);
    printf ("d\n", q);
    return 0;
}
```

The program is run. When prompted for input, the user types "3". For both parts of this question, you are asked to fill in a diagram to show the stack frames (activation records) for all appropriate functions.

The diagrams are on the following two pages.

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Problem 4, continued:

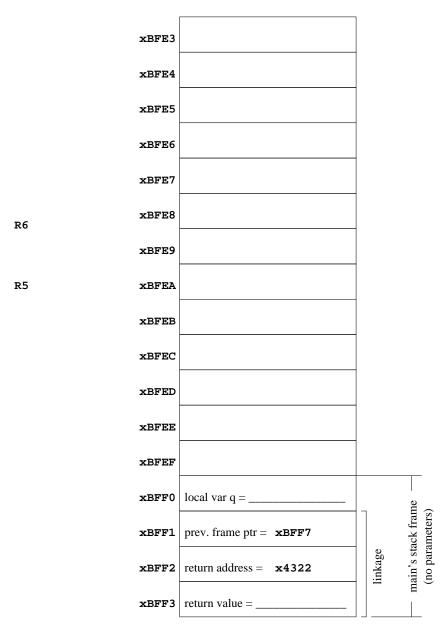
Part A (12 points): Using the diagram, fill in the state of the stack just before line A executes.

The stack frame for the main function is shown at the bottom of each diagram, and a canonical frame diagram was provided in **Problem 3** of this exam. During execution of main, the stack pointer R6=xBFF0, and the frame pointer R5=xBFF0.

Draw arrows to indicate the values of R6 and R5 at the point of program execution just described. For each memory location included in the stack (*i.e.*, between the stack pointer and the bottom of the figure), label the location with the type of information **and** the value stored there. If a memory location's value **cannot** be known, put a question mark by the description, *e.g.*, "x=?".

Only draw current activation records. If a function has already returned after being called, do not draw its activation record. Do not mark or label any locations above the stack pointer, even if you know the values in those locations!

The address of the JSR bar instruction in foo is x3056.



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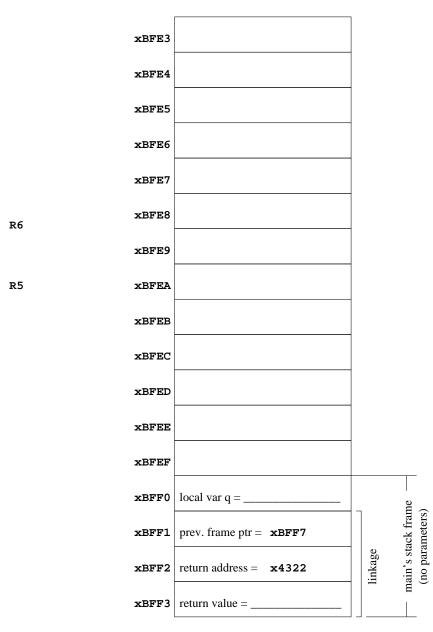
Problem 4, continued:

Part B (8 points): Using the diagram, fill in the state of the stack just after line D executes, i.e., just before foo's stack frame is torn down and the function returns.

The stack frame for the main function is shown at the bottom of each diagram, and a canonical frame diagram was provided in **Problem 3** of this exam. During execution of main, the stack pointer R6=xBFF0, and the frame pointer R5=xBFF0.

Draw arrows to indicate the values of R6 and R5 at the point of program execution just described. For each memory location included in the stack (*i.e.*, between the stack pointer and the bottom of the figure), label the location with the type of information **and** the value stored there. If a memory location's value **cannot** be known, put a question mark by the description, *e.g.*, "x=?".

Only draw current activation records. If a function has already returned after being called, do not draw its activation record. Do not mark or label any locations above the stack pointer, even if you know the values in those locations!



Problem 5 (20 points): C Programming
Fill in the missing code and answer the following questions. Some code has been provided for you. Ea answer should be at most a few lines of code; rethink your answer if you are writing more than a few lines.
Part A (4 points): The function below does not perform as expected.
<pre>/* assuming that num >= 0 and mult > 0, return num rounded down to the nearest multiple of mult * int round_down (int num, int mult) {</pre>
return (mult * num / mult); }
What does the function really return? A small change will fix the function. Make the change.
Part B (4 points): Fill in the first argument to make the function work as expected.
/* assuming that num >= 0 and mult > 0, return num rounded up to the nearest multiple of mult */ int round_up (int num, int mult) $\{$
return round_down (, mult);
}
Part C (6 points): Fill in the body of this function that rounds the number num to the nearest multiple of mult. For example:
Part C (6 points): Fill in the body of this function that rounds the number num to the nearest multiple of the control of the
Part C (6 points): Fill in the body of this function that rounds the number num to the nearest multiple of mult. For example: round (7, 4) should return 8. round (6, 4) should return 8 as well (round midpoints up). round (5, 4) should return 4.
<pre>Part C (6 points): Fill in the body of this function that rounds the number num to the nearest multiple of mult. For example: round (7, 4) should return 8. round (6, 4) should return 8 as well (round midpoints up). round (5, 4) should return 4. You must call the functions round_up and round_down in your answer. Assume that they work as described that the same statement of the nearest multiple of mult */ int round (int num, int mult)</pre>
<pre>round (6, 4) should return 8 as well (round midpoints up). round (5, 4) should return 4. You must call the functions round_up and round_down in your answer. Assume that they work as describe /* assuming that num >= 0 and mult > 0, return num rounded to the nearest multiple of mult */</pre>

return answer;

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Problem 5, continued:

Your wonderful TAs advocate a new grading function that rounds all grades up to the nearest letter grade! They write a test program to try it out.

```
int grade_student1 (int grade)
    grade = round_up (grade, 10);
    return grade;
int grade_student2 (int* grade)
    *grade = round_up (*grade, 10);
    return *grade;
int main ()
    int s1 = 89;
    int s2 = 77;
    int s3 = 54;
    int s4 = 42;
    int grade;
    grade = s1;
    grade_student1 (grade);
    s1 = grade;
    grade = s2;
    s2 = grade_student1 (grade);
    s2 = grade;
    grade = s3;
    s3 = grade_student2 (&grade);
    s3 = grade;
    grade = s4;
    grade_student2 (&grade);
    s4 = grade;
    printf ("s1: %d s2: %d s3: %d s4: %d\n", s1, s2, s3, s4);
    return 0;
}
```

Part D (6 points): Write the program's output.

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Use this page as scratch paper.

NOTES: RTL corresponds to execution (after fetch!); JSRR not shown

ADD	0001 DR SR1 0 00 SR2 ADD 0	DR, SR1, SR2 LD	0010 DR PCoffset9	LD DR, PCoffset9
	$DR \leftarrow SR1 + SR2$, Setcc		$DR \leftarrow M[PC + SEXT(PCoffset9)],Setcc$	
ADD	0001 DR SR1 1 imm5 ADD 0	DR, SR1, imm5 LDI	1010 DR PCoffset9	LDI DR, PCoffset9
	$DR \leftarrow SR1 + SEXT(imm5),Setcc$		$DR \leftarrow M[M[PC + SEXT(PCoffset9)]],Setcc$	
AND	0101 DR SR1 0 00 SR2 AND	DR, SR1, SR2 LDR	0110 DR BaseR offset6	LDR DR, BaseR, offset6
	DR ← SR1 AND SR2, Setcc		$DR \leftarrow M[BaseR + SEXT(offset6)],Setcc$	
AND	0101 DR SR1 1 imm5 AND	DR, SR1, imm5 LEA	1110 DR PCoffset9	LEA DR, PCoffset9
	$DR \leftarrow SR1 \; AND \; SEXT(imm5), Setcc$		$DR \leftarrow PC + SEXT(PCoffset9),Setcc$	
BR		zp} PCoffset9 NOT	1001 DR SR 111111	NOT DR, SR
	((n AND N) OR (z AND Z) OR (p AND P)): $PC \leftarrow PC + SEXT(PCoffset9)$		$DR \leftarrow NOT SR, Setcc$	
JMP	1100 000 BaseR 000000 JMP	BaseR ST	0011 SR PCoffset9	ST SR, PCoffset9
	PC ← BaseR		$M[PC + SEXT(PCoffset9)] \leftarrow SR$	
JSR	0100 1 PCoffset11 JSR	PCoffset11 STI	1011 SR PCoffset9	STI SR, PCoffset9
	$R7 \leftarrow PC, PC \leftarrow PC + SEXT(PCoffset11)$		$M[M[PC + SEXT(PCoffset9)]] \leftarrow SR$	
TRAP	1111 0000 trapvect8 TRAF	P trapvect8 STR	0111 SR BaseR offset6	STR SR, BaseR, offset6
	$R7 \leftarrow PC,PC \leftarrow M[ZEXT(trapvect8)]$		$M[BaseR + SEXT(offset6)] \leftarrow SR$	