## Getting Started with Isabelle • Choice CS477 Formal Software Development Methods • Use Isabelle on EWS Install on your machine Both • On EWS Elsa L Gunter 2112 SC, UIUC • Assuming you are running an X client, log in to EWS: egunter@illinois.edu ssh -Y <netid>@remlnx.ews.illinois.edu http://courses.engr.illinois.edu/cs477 • -Y used to forward X packets securely • To start Isabelle with emacs and ProofGeneral /class/cs477/bin/isabelle emacs Slides based in part on previous lectures by Mahesh Vishwanathan, and • To start Isabelle with jedit by Gul Agha /class/cs477/bin/isabelle jedit February 3, 2013 • Will assume emacs and ProofGeneral here Elsa L Gunter () CS477 Formal Sof Elsa I. Gunter () CS477 Formal Software Deve My First Theory File Overview of Isabelle/HOL File name: my\_theory.thy • HOL = Higher-Order Logic Contents: • HOL = Types + Lambda Calculus + Logic theory My\_theory • HOL has imports Main datatypes • recursive functions begin • logical operators ( $\land$ , $\lor$ , $\neg$ , $\longrightarrow$ , $\forall$ , $\exists$ , ...) thm impI • Contains propositional logic, first-order logic • HOL is very similar to a functional programming language lemma trivial: "A A" • Higher-order = functions are values, too! apply (rule impI) • Well start with propositional logic apply assumption done (\* of lemma \*) thm trivial end (\* of theory file \*) Elsa L Gu r () ter () Examples Formulae (first Approximation) • Syntax (in decreasing priority): form ::= (form) *term* = *term* ¬form $\textit{form} \land \textit{form}$ form $\lor$ form form $\longrightarrow$ form • $\neg A \land B \lor C \equiv ((\neg A) \land B) \lor C$ $\forall x. form$ $\exists x. form$ • $A \wedge B = C \equiv A \wedge (B = C)$ and some others • $\forall x. P \times \land Q \times \equiv \forall x. (P \times \land Q \times)$ • Scope of quantifiers: as far tot he right as possible • $\forall x. \exists y. P \times y \land Q \times \equiv \forall x. (\exists y. (P \times y \land Q \times))$





 $\frac{A \longrightarrow B}{A \longrightarrow B} \frac{\text{Impl}}{C} C$   $\frac{A \Longrightarrow False}{\neg A} \text{ notI} \qquad \frac{\neg A}{B} \frac{A}{B} \text{ notE}$ 

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## ExampleRule: $[?P \land ?Q; [?P; ?Q] \Rightarrow ?R] \Rightarrow ?R$ Subgoal:1. $[X; A \land B; Y] \Rightarrow Z$ Unification: $?P \land ?Q \equiv A \land B$ and $?R \equiv Z$ New subgoal:1. $[X; Y] \Rightarrow [A; B] \Rightarrow Z$ Same as:1. $[X; Y; A; B] \Rightarrow Z$

CS477 Formal Software Development Meth

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