## CS 475: Formal Models of Computation

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University of Illinois, Urbana-Champaign

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#### Instructional Staff

- Instructor: Mahesh Viswanathan (vmahesh)
- Office Hours: After lecture. Also by appointment.

#### Electronic Bulletin Boards

- Webpage: General information, course policies, lecture notes courses.grainger.illinois.edu/cs475/fa2023
- Campuswire: Announcements, online questions and discussion, contacting course staff.
- Gradescope: All assigned work (Warm Up exercises and homework) submission
- Moodle: Everything related to grade calculation, homework solutions, additional textbook chapters (if needed)

#### Resources for class material

- Prerequisites: All material in CS 173, and CS 374
- Textbooks: Available online through university library.
  - Automata and Computability by Dexter Kozen
  - Theory of Computation by Dexter Kozen.
- Video Recording of Lectures: See course website for link.

## Grading Policy: Overview

#### Total Grade and Weight

- Warm Up exercises: 20%
- Homework: 25%
- Midterms: 30% (2 × 15)
- Finals: 25%

## Warm Up Exercises

- Once every week on Gradescope, except the week before exams and Thanksgiving break
- Released by Thursday night, and due the following Monday (midnight)
- Autograded multiple choice and short answer questions
- Not timed. Multiple attempts allowed, with the last attempt being graded
- 11 warm ups in total. Drop lowest 4 scores (3 credit) or lowest 3 scores (4 credit)
- Schedule on course webpage

### Homework

- One homework every two week: Due on Thursday at midnight on Gradescope. Assigned two weeks in advance on Thursday.
- No late homeworks. Lowest 2 homework scores (3 credit) or lowest homework score (4 credit) will be dropped.
- Homeworks may be solved in groups of size at most 3 and each group submits one written solution on Gradescope.
- Homework schedule on course webpage.

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- Homework schedule on course webpage.
- Read Homework Guidelines and Academic integrity policies on course website.

#### Examinations

- First Midterm: Tuesday, September 26, 3:30pm to 4:45pm
- Second Midterm: Tuesday, October 31, 3:30pm to 4:45pm
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- Midterms will only test material since the previous exam
- Final Exam will test all the course material

# Part I

## Course Overview

Viswanathan CS 475

Computational Complexity



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- Is finding proofs as easy as checking their correctness?
- Is every efficient sequential algorithm parallelizable?
- Can every (time) efficient algorithm be converted into one that uses a small amount of space?
- Can every efficient randomized algorithm be converted into an (efficient) deterministic one?