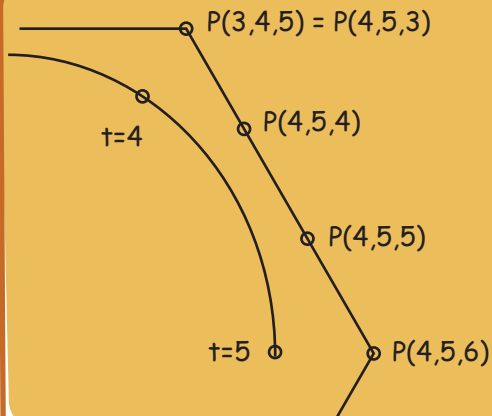
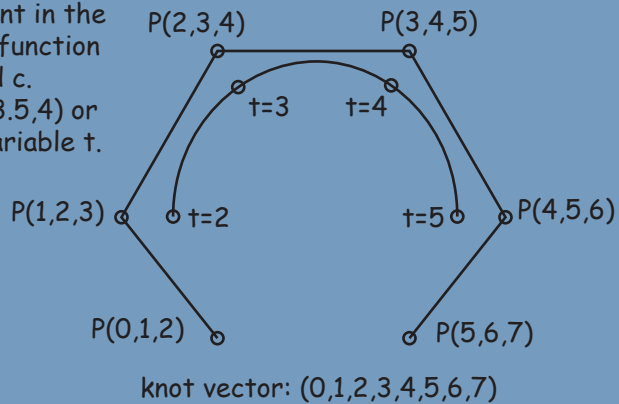


# The Blossoming Game

## B-Spline Evaluation Rules

**The Pieces.** A blossom labels a point in the construction of a cubic curve with a function  $P(a,b,c)$  of three parameters  $a$ ,  $b$  and  $c$ . Some sample blossoms might be  $P(1,3,5,4)$  or  $P(0,t,t)$  using the curve parameter variable  $t$ .

**Setting Up the Board.** For a cubic B-spline, the blossoms of the control points are labeled with consecutive triples from the knot vector. We don't need a control point to correspond with the first and last knot values.



**Order Doesn't Matter.** A blossom can be rewritten with its parameters in any order, so  $P(a,b,c) = P(a,c,b) = P(b,a,c) = P(b,c,a) = P(c,a,b) = P(c,b,a)$ .

**Creating New Blossoms.** If two blossoms share the same parameters except for one, then the blossom of a point on a line between them can be found by linearly interpolating this one parameter value (and setting the rest to the shared parameter values).

**Winning the Game.** The position  $P(t)$  on the NURBS curve at parameter value  $t$  can be found by finding the position of the blossom  $P(t,t,t)$  by repeatedly interpolating existing blossoms, starting with the control point blossoms, until a blossom is found with all parameters equal the desired curve parameter  $t$ .

